

The Al-Pt-Ru ternary phase diagram

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Declaration

I declare that this dissertation is my own work. It is being submitted for the degree of Masters of Science in the Faculty of Engineering, Build Environment and Information Technology, University of Pretoria, South Africa. It has not been submitted before for any degree or examination at any other University.

Sara Natalia Prins 1 April 2004



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Chapter 1 Introduction

1.1 Introduction

This study evaluates the phase diagram of the Al-Pt-Ru ternary system. The study consists of two parts: an experimental part and a computational part.

This chapter gives a background to the development of platinum-based alloys and states the motivation of this work in the light of the current platinum market.

The phase diagrams pertaining to the Al-Pt-Ru system are reviewed in Chapter 2.

Chapters 3 and 4 cover the experimental work. Chapter 3 discusses the experimental methodology u sed in this study. The experimental results for the Al-Pt-Ru system are discussed, the results reported and a liquidus surface projection is proposed in Chapter 4.

In the computational part, an overview of computational thermodynamics and the principles of the CALPHAD method are presented in Chapter 5. Chapter 6 describes the calculation of the binary phase diagrams with the CALPHAD method, using the Thermo-Calc software, and the extrapolation of the ternary system from the binaries is discussed. A liquidus surface projection is predicted by calculation.

The experimental and calculated phase diagrams are compared in Chapter 7. Conclusions and recommendations are listed.

1.2 Background

Since World War II, Ni-based superalloys (NBSAs) have been developed to become highly successful, operating at high temperatures in the severe environmental conditions in turbine engines, while maintaining their strength. However, NBSAs are approaching the limit of their capabilities, despite advanced processing technologies like single-crystal technology and thermal barrier coatings.

There is a present and future need for a new ultra-high temperature alloy that will still maintain its mechanical properties at least 200 degrees above the maximum operating temperature of the current advanced NBSAs. A number of studies [2000Fai, 2001Hill] have indicated the potential of platinum-based alloys as the future ultra-high structural alloy since platinum is similar to nickel in crystal structure and chemistry, but has a much higher melting point (2042 K for platinum and 1725 K for nickel) as well as improved corrosion resistance. Platinum forms phases similar to Ni₃Al (the principal strengthening precipitate in superalloys) with a number of elements (e.g. Al, Zr) and initial studies have shown that these alloys have an analogue microstructure of small, semi-coherent



precipitates in a softer matrix, with improved mechanical properties, strength and high-temperature corrosion resistance in comparison to Ni-based superalloys.

Although platinum-based alloys are unlikely to ever replace Ni-based superalloys on account of both higher price and higher density, it is likely that they can be used for the highest application temperature components, in static components in gas turbines and for rockets. Platinum is also extensively used in the protective environmental coatings on Ni-based superalloys, as platinum forms a very stable aluminide with better properties than nickel aluminides, thus shielding the underlying Ni-based superalloy bulk from the high temperatures and corrosive environment.

The development of the Ni-based superalloys spans more than sixty years. In the early years, research and development were based on experimental work alone. However, ways to predict phase diagrams were systematically developed and increasingly assisted alloy development during this period [1998Sau]. There were different ways of thinking, from first principle calculations to neural networks. As computational power became available, the development of these predictions accelerated. One of the successful methods is called the CALPHAD method, an acronym for 'CALculation of PHAse Diagrams', which was developed by Larry Kaufman and a number of co-workers [1970Kau]. This method has lead to the development of databases for many systems, and a number of them are specifically for Ni-based superalloys. The CALPHAD method is based on Gibbs energy functions for elements and phases and predicts equilibrium phase diagrams from thermodynamic principles. One of the major advantages of the CALPHAD method is that experimental work can be limited for a system where a database is available, thus saving time and costs.

A thorough experimental study of Pt-Al-X based alloys (X=Ru, Cr, Ni, Ti, Ta, Re) to identify a base alloy for further development to a potential Pt-based alloy superior to Ni-based alloys, reported that Pt-Al-Ru and Pt-Al-Cr alloys had the best potential properties for high temperature applications [2001Hill]. Further to that work, the quaternary alloy Pt₈₄:Al₁₁:Ru₂:Cr₃ was identified to be a two phase alloy of fine precipitates in a platinum matrix, with good oxidation resistance and a high hardness [2000Süs]. Thus to facilitate the further development of these Pt-based alloys, a thermodynamic database will be developed, initially covering the Pt-Al-Cr-Ru quaternary system [2002Cor].

In order to understand a multi-component alloy system, one first should understand the binary and ternary phase diagrams that are part of the multi-component system. Not all the binaries in this suggested quaternary Pt-base system are well defined, and for the Pt-based ternaries relevant to the quaternary, no data are available.

In this study, the Al-Pt-Ru ternary alloy system was studied experimentally and the microstructure was characterised over the complete composition ranges. Although the platinum-rich corner is the important area for Pt-based superalloys, all three of the elements play a significant role in the coating technology of Ni-based superalloys since both platinum and ruthenium form stable aluminides. These are still not well characterised in the coating technology, prompting the full ternary to be determined.



1.3 Motivation

The Platinum Development Initiative (PDI) is supporting a drive to investigate new applications for platinum. A Mintek – Department of Science and Technology (DS&T) (previously the Department of Arts, Culture, Science and Technology – DACST) Lead Fund project to identify Pt-base alloy compositions for further investigation lead to a second DS&T Lead Fund project, with the aim to develop a thermodynamic database to facilitate Pt-based alloy design in future. This work is the first contribution to the Pt-database.

As one of the most frequent questions posed when 'platinum-based alloys' are mentioned is 'Cost!!!!', an overview of the platinum market and platinum applications is presented here to give the reader some background and understanding of the market, as well as to place this study in perspective with the bigger platinum picture.

Platinum is an expensive precious metal, and very few people really understand the dynamics of supply and demand in the platinum market. The platinum market is dynamic and vibrant, with some new applications emerging while many other applications decline as substitute materials are found to reduce costs. Furthermore, significant expansion of the South African platinum mining sector might bring changes in the always-complicated balance between supply and demand.

South Africa is the major platinum producer in the world; in 2002 more than 70% of the total world production (5860 million oz = 182.3 tons) was produced, well ahead of Russia which supplies 22% of the total world platinum [2002Joh]. With the current and planned mining expansions in South Africa, a supply of 10 000 million oz are predicted for 2010. In 2000, Pt also took over from gold as the 'forex roost' of South African exports. While gold is continuing a long-term trend of declining production, the platinum industry seems to be forging ahead. It is not expected that supply will balance demand before 2005. The world supply and demand figures for platinum are summarised in Table 1.1.

The PGM applications fall broadly into the following categories:

- Automotive
- Jewellery
- Processing/Production
- Electronics
- Petroleum refining
- Dental/Medical
- Investment

The automotive sector is the largest consumer of platinum, with catalytic converters and the possibility of fuel cells in the near future, immediately coming to mind. Platinum is, with palladium and rhodium, an active element in catalytic converters that convert unburned hydrocarbons into carbon dioxide and water vapour in fossil fuelled automotives. The amount of palladium in the catalytic converters was increased a few

years ago, but it is inevitable that the platinum and rhodium content will have to be raised again to meet the ever-increasing stricter emission control requirements. Diesel powered automotives, a market which increased sharply over the last few years, can use only platinum as a catalyst. On the other side of the coin, automakers are aggressively researching ways to eliminate the expensive platinum group metals (PGM) based emission control components, especially with new 'lean-burn' technologies that will reduce or even eliminate the need for PGM catalytic converters.

Table 1.1. Platinum demand and supply [2002Joh]

'000 oz	1992	1993	1994	1995	1996	1997	1998	1999	2000	2001
Supply	1		1 =	1 2220	1 ->>0	1 -227	1 2220	1 2222	1	
South Africa	2,750	3,360	3,160	3,370	3,390	3,700	3,680	3,900	3,800	4,100
Russia	750	680	1,010	1,280	1,220	900	1,300	540	1,100	1,300
North America	200	220	220	240	240	240	285	270	285	350
Others	120	130	140	100	130	120	135	160	105	110
Total Supply	3,820	4,390	4,530	4,990	4,980	4,960	5,400	4,870	5,290	5,860
Demand by applicati	on					···••		1 /	<u> </u>	<u> </u>
Auto catalyst: Gross	1,550	1,685	1,870	1,850	1,880	1,830	1,800	1,610	1,890	2,520
Recovery	-230	-255	-290	320	-350	-370	-405	-420	-470	-520
Chemical	215	180	190	215	230	235	280	320	295	290
Electrical	165	165	185	240	275	305	300	370	455	385
Glass	80	80	160	225	255	265	220	200	255	285
Investment: small	145	125	155	75	110	180	210	90	-100	30
Large	110	180	240	270	130	60	105	90	-100	30
Jewell ery	1,510	1,615	1,740	1,810	1,990	2,160	2,430	2,880	2,830	2,550
Petroleum	120	105	90	120	185	170	125	115	110	125
Other	150	165	190	225	255	295	305	335	375	435
	3,815	4,045	4,530	4,710	4,960	5,130	5,370	5,590	5,680	6,150
Western sales to China*	0	20	50	130						
Total demand	3,815	4,065	4,580	4,840	4,960	5,130	5,370	5,590	5,680	6,150
Movements in stocks	5	325	-50	150	20	-170	30	-720	-390	-290
	3,820	4,390	4,530	4,990	4,980	4,960	5,400	4,870	5,290	5,860
Demand by region										
Europe	860	895	935	880	840	875	910	995	1,150	1,490
Japan	1,870	1,975	2,145	2,215	2,005	1,885	1,795	1,820	1,410	1,250
North America	705	760	940	1,015	1,180	1,250	1,325	1,080	1,225	1,285
Rest of the world	380	415	510	600	935	1,120	1,340	1,695	1,895	2,125
	3,815	4,045	4,530	4,710	4,960	5,130	5,370	5,590	5,680	6,150
Western sales to China *	0	20	50	130						
Total demand	3,815	4,065	4,580	4,840	4,960	5,130	5,370	5,590	5,660	6,150

*Before 1993, estimates include Eastern Europe; for 1993 and subsequent years, demand in this region is included in the European figures. From 1996, demand in China is incorporated in our Rest of the World estimates

The use of fuel cell technology to replace fossil fuel in the automotive industry is a strong likelihood, as international emission and fuel-efficiency mandates are becoming more challenging. Prototypes of this new generation of automobiles have been released by some of the major automotive manufacturers. Catalysts are the only way to increase the efficiency of proton exchange membrane fuel cells (PEMFC), the most suitable fuel cell for automotive applications. While platinum was initially the main catalyst in PEMFC technology, which could have resulted in a complete world shortage of platinum, recent developments have shrunk the amount of platinum from 26 mg/cm² to only 0.2 mg/cm² [2001Wil] as Pt is replaced by a Pt-FeO_x compound.

Other automotive applications include PGMs used in oxygen and ozone sensors for antipollution subsystems. Both platinum and ruthenium are also used in life-long spark plugs.

The demand for platinum jewellery increased sharply in the mid-nineties mainly due to consumers in the eastern markets switching from gold to platinum. However, since 2000 there has been a 13% decline in this demand, as the Japanese economy is in recession. On the other hand, China is still a growing market for platinum jewellery as gold trade is strictly controlled in China. This is a market driven by Asian and other ethnic groups feeling that platinum has a more pleasing contrast with their skin colour than other metals. Jewellery is an extremely fickle market, and specifically in platinum based jewellery, the market share is directly proportional to the marketing effort, whereas gold and diamond sales are not related to marketing input.

It is estimated that platinum is used as a catalyst in about 20 % of products purchased by modern consumers. Platinum is a catalytic agent in the processing of nitric acid, fertilizers, synthetic fibres and a number of other materials. Although platinum is essential in these processes and there are few satisfactory substitutes, it is not consumed in the process and can be recycled for future use.

The glass industry uses platinum dies extensively. Platinum is also used in fibreglass production. While the initial amount of platinum needed for bushings and claddings is high, these components only need a $\sim 1\%$ refurbishing per year.

Various kinds of PGM alloy combinations are used in thermocouple devices to measure temperature with high accuracies, while a platinum silicide is used in thin film optical and temperature sensing systems. Platinum is used in the semi-conductor industry for wire and electrical contacts in corrosive or high-voltage environments, as well as for magnetic coatings for high-density hard disk drives and optical storage systems. Hewlett Packard recently announced a new memory storage device, based on rotaxane molecules, where they plant these molecules between tiny platinum and titanium layers. This could revolutionise memory storage as it has at least 10 times the memory density of the best DRAM (silicon based memory). HP will partly disclose their results to 'seed their own competition', thus the use of platinum in the semiconductor industry can increase significantly over the next few years [2002Eco].



Platinum and palladium catalysis is an environmentally-friendly way to perform crude oil separation. While a significant amount of platinum is needed for the fine meshed nets used in this industry, the platinum is not consumed by the separation process and only needs a refurbishment after the initial capital outlay to procure the nets.

Investment demand for platinum is unpredictable. Investment is usually related to the platinum price. When the price falls, the interest in platinum investment products is high. During the first six months of 2001, demand for the US Mint's platinum Eagle series of proof and bullion coins fell as the platinum price hovered around \$600 per oz and only increased as the platinum price began to fall.

Platinum use in medicine is a growing market. In the USA, the annual revenue from platinum used in medicine was \$1billion, and the market is growing at $\sim 15\%$ per year. Most of these drugs are used in the treatment of cancer. Due to the complexity in identifying an active unit, these drugs will remain a platinum domain as all research on substituting the platinum in the active unit has failed to date.

Other application demands increased steadily from 4% in 1992 to 7% in 2001. One of the growing applications in this field is the use of Pt in environmentally protective coatings especially on the Ni-based superalloys to enhance their properties, as Pt additions to the aluminide coatings significantly increase the oxide scale adherence at high temperatures [2000Hay].

The platinum supply is further boosted by an 11% increase in 2001 in the platinum recovered from autocatalysts. This figure is likely to keep on increasing in the future as a new smelter plant in South Africa is planned, dedicated to the recovery of platinum, and in Europe legislation will require that at least 85% of a car's weight is recycled.

It is thus clear that, as the South African platinum industries are increasing their mining operations and world research is focused on reducing platinum to reduce cost, efforts must be maintained to search for future applications for platinum to avoid an over-supply on the market. It is, therefore, to the advantage of the South African platinum market that studies such as this are conducted, as they might open up other opportunities for platinum demand along the way.

So what is the future of platinum in high temperature applications? As previously mentioned, platinum already plays an important role in environmentally protective coatings on Ni-based superalloys. The extreme high-temperature components in a turbine (e.g. blades, vanes and airfoils) are typically coated with a 2-10 µm thick layer of platinum by electrolysis or PVD. An aluminide coating is then grown by a diffusion treatment as platinum promotes the formation of a slow growth, very adherent and stable Al₂O₃ layer on the surface. With roughly 600-700 new commercial aircraft per year, a current fleet of about 12 000 commercial aircraft and 12 000 business a ircraft, at 2-4 engines per aircraft, it amounts to about 60 000 engines. Blades are recoated every 10 000 - 150 000 hours. The current military fleet is estimated to about 15 000 aircraft, with 5 000 new aircraft planned for the next 10 years. At 2-3 engines per aircraft, another at



least 32 000 engines, which have shorter lifespans due to the higher demands placed on them. At roughly 50g of platinum per aircraft engine, the aerospace industry uses at least 4500 kg platinum per year. It is nearly impossible to account for industrial gas turbines on land. These typically have a 15m² blade surface area per turbine and it has been estimated that the land turbine industry could use 10 000 kg of platinum per year [2001Hil1].

Looking at a platinum-based superalloy, and not a Ni-based superalloy coated with a few microns of platinum, the picture is different. No detailed study has yet been done on the feasibility of such an option, but platinum-based superalloys are not an impossibility. There will be advantages of a higher operating temperature, which will increase the efficiency of the turbines dramatically and reduce the thrust fuel cost. However, platinum is very dense (21.5 g/cm³ against ~8 g/cm³ for NBSAs) and the cost of platinum as base material will significantly change the cost-breakdown for turbine engines. The raw material cost is currently 2% of the total turbine cost for NBSAs, while nearly 45% of the cost is due to the highly specialised casting, machining and coating costs, as well as another 25% for quality management, which is critical as the coatings must be fail-proof. Platinum-based turbine blades might not need these specialized coating technologies. The use of platinum based alloys as high temperature alloys in turbines will be limited to only the components exposed to the highest temperatures: first stage blades and vanes, combustors, transitions and shrouds.

This might just be what South African platinum production needs to increase the demand and justify the current expansions to increase the platinum supply, especially since there are platinum reserves for the next 500 years. It is thus important that opportunities for new applications for platinum are explored and investigated beyond the present limits, to ensure the future of this white metal as South Africa's main foreign currency commodity.



Chapter 2 Literature review - The Phase Diagrams

The Al-Pt-Ru ternary phase diagram is virtually unstudied, as only one partial isothermal section at 1350°C for the high-platinum corner has been reported [2001Big1,2001Big2, 2001Hil1].

In order to evaluate a ternary system accurately and completely, the binary systems making up the ternary diagram must be well defined, as they are the 'building blocks' of the system. Discrepancies must be addressed and assumptions well identified. As both the Al-Pt and Al-Ru phase diagrams published in the Binary Alloy Phase Diagrams series of Massalski *et al.* [1990Mas] show some discrepancies with later results published in the literature, this chapter gives a detailed overview of the phases found in the Al-Pt, Al-Ru and Pt-Ru binary phase diagrams and the data used in this determination of the Al-Pt-Ru phase diagram.

2.1 The Elements: Al, Pt and Ru

Aluminium is a soft, lightweight silvery-white metal, the third most abundant metal in the earth's crust, mostly occurring in the form of Al₂O₃. Too soft in its pure form, it is alloyed with other metals to harden and strengthen it. Aluminium alloys are used for many purposes from airplanes to beverage cans. Bonded to the transition metals, highly ordered aluminides, such as MAl, MAl₃ and M₃Al (M=Ni, Fe, Ti, etc), can form. These intermetallic phases possess many remarkable properties. Their high temperature strength is often very attractive (some aluminide intermetallic phases get stronger as the temperature increases over certain temperature ranges), and they frequently exhibit very good resistance to high temperature corrosion, due to the formation of stable Al₂O₃ rich oxide films. However, an inherent brittleness at room temperature has hampered their fabrication to date.

Platinum and ruthenium belong to the so-called platinum group metals (PGMs), the six metal group of platinum, palladium, rhodium, iridium, ruthenium and osmium. Platinum is soft, ductile, and resistant to oxidation and high temperature corrosion. Platinum is one of the densest known metals. Ruthenium is hard, brittle, shows poor oxidation resistance at high temperatures and is almost unworkable in the metallic state. Alloys of the PGMs are used for their exceptional catalytic properties. Other distinctive properties include resistance to chemical attack, excellent high-temperature characteristics, and stable electrical properties. The properties of Al, Pt and Ru are given in Table 2.1.



Table 2.1. Properties of the pure elements [1985Vil, 2001ICDD].

	Aluminium	Platinum	Ruthenium
Chemical symbol	Al	Pt	Ru
Crystal structure	fcc-Al	fcc-A1	hcp-A3
Space Group	Fm-3m	Fm-3m	P6 ₃ /mmc
Lattice parameter [nm]	0.40496	0.39239	0.27057
Melting point [K]	933.5	2 042	2 583
Density [g/cm ³]	2.698	21.45	12.45

2.2 The Al-Pt Binary System

2.2.1 Phase Diagram Data

The Al-Pt phase diagram is complex, with nine intermetallic phases present in the equilibrium diagram, of which two phases have transformations to polymorphic phases at lower temperatures. The diagram is shown in Figure 2.1 and the stable intermetallic phases are listed in Table 2.2. Six metastable phases have been reported (Table 2.3).

While certain features in the system had been determined reliably, other aspects of this diagram, especially at the Pt-rich end, remain problematic. McAlister and Kahan reviewed the Pt-Al system in 1986 for the Bulletin of Alloy Phase Diagrams [1986McA]. The transformation temperatures for the formation of the low temperature polymorphs of the Pt₃Al and Pt₂Al phases are uncertain, and the presence of the β phase had not been confirmed. Oya, Mishima and Suzuki [1987Oya] proposed a revised phase diagram for the platinum rich area (Figure 2.2).

Huch and Klemm [1964Huc] reported platinum to be practically insoluble in (Al). They reported an eutectic reaction $L \rightarrow (Al) + Pt_5Al_{21}$ at 700 K. Extrapolation of this reaction by McAlister [1986McA] places the eutectic composition at 0.44 at. % Pt, which is in agreement with experimental unidirectional solidification work by Piatti and Pellegrini [1980Pia].

Pt₅Al₂₁ forms by a peritectic reaction L + Pt₈Al₂₁ \rightarrow Pt₅Al₂₁ at 1079 K. Pt₅Al₂₁ is a complex cubic stoichiometric phase. Huch and Klemm [1964Huc] reported a cubic 'PtAl₄' with ~20 at. % Pt. They suggested the phase might rather be of the form Pt₅Al₂₁. Guex [1976Gue] also reported a complex cubic phase of either PtAl₄ or Pt₅Al₂₁structure.

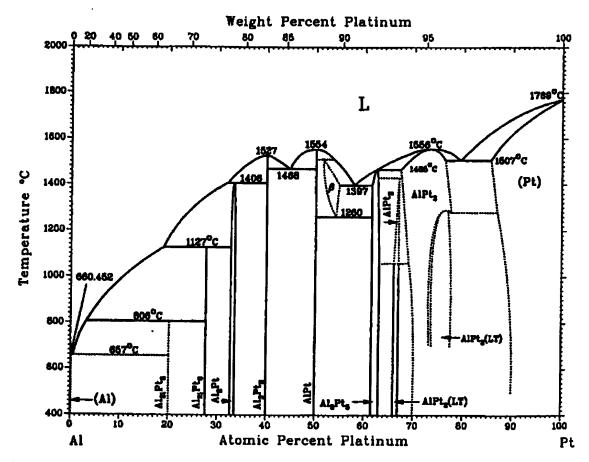


Figure 2.1. The Al-Pt phase diagram from Massalski [1990Mas].

Schaller [1979Sch] reported, without experimental detail, a hexagonal Pt₅Al₂₁ phase while Ellner, Kattner and Predel [1982Ell] confirmed the hexagonal structure of the phase and suggested it to be a PtAl₄ phase. Piatti and Pellegrini [1980Pia] also reported a hexagonal phase in this composition range, which they suggested to be Pt₆Al₂₁, but also noted a transformation from hexagonal to cubic phases after treatment at 473 K for several hours. Careful analysis of thermal arrest data reported by Huch and Klemm [1964Huc] confirmed the phase as Pt₅Al₂₁ [1986McA]. PtAl₄ has thus been suggested as a metastable phase in the Pt-Al system. A crystal structure of Pt₅Al₂₁ has not been published.

The stoichiometric Pt_8Al_{21} phase at 27.5 at. % Pt has been confirmed by Edshammer [1965Eds] and Ellner *et al.* [1982Ell] after earlier reports of a $PtAl_3$ -like phase by Huch [1964Huc] and Guex [1976Gue]. Pt_8Al_{21} forms by the peritectic reaction L+ $PtAl_2 \rightarrow Pt_8Al_{21}$ at 1400 K.

Huch and Klemm [1964Huc], Guex [1976] and Ellner *et al.* [1982Ell] reported the PtAl₂ phase which forms through a peritectic reaction $L + Pt_2Al_3 \rightarrow PtAl_2$ at 1952 K. The PtAl₂ phase is of the cubic CaF₂ type. It has been reported as a stoichiometric compound by Guex [1976Gue], while the other workers reported a ~1 at. % phase range up to 1123 K.

Table 2.2. Crystal structure data for the stable phases in the Al-Pt binary system.

Phase	Compe	osition (at. %Pt)	Pearson symbol	Space Group	Struktur- bericht	Prototype	Reference
(Al)	0		cF4	Fm3m	A1	Cu	
Pt ₅ Al ₂₁	19.2		c**				[1964Huc] [1980Pia]
Pt ₈ Al ₂₁	27		<i>tI</i> 1116	I4 _{1α}			[1968Eds] [1982Ell]
PtAl ₂	31.5	33.5	cF12	Fm3m	C1	CaF ₂	[1937Zin] [1963Fer] [1982Ell]
Pt ₂ Al ₃	40		hP5	P3m1			[1978Bah]
PtAl	50		cP8	P2 ₁ 3	B20	FeSi	[1957Sch] [1963Fer]
β	52	56	cP2	Pm3m	B2	CsCl	[1975Cha1] [1978Bha]
Pt ₅ Al ₃	61.5	63	oP16	Pbam	-	Ge₃Rh₅	[1964Huc]
Pt ₂ A1	66	67	oP12	Pnma	C23	PbCl ₂	[1975Cha1]
Pt ₂ Al (LT)	66	67	oP24	Pmma		GaPt ₂ (LT)	[1976Cha]
Pt ₃ Al	67.3	77.7	cP4	Pm3m	L1 ₂	AuCu₃	[1962Bro] [1964Huc] [1963Mag]
Pt ₃ Al (LT)	73.5	100	<i>tP</i> 16	P4/mbm	DO _c '	GaPt ₃ (LT)	[1975Cha1]
(Pt)	83.8	100	cF4	Fm3m	A1	Cu	

(LT - Low Temperature, HT - High Temperature)

Table 2.3 Crystal structure data for the metastable phases in the Al-Pt binary system.

Phase	Composition (at. % Pt)	Pearson symbol	Space Group	Struktur- bericht	Prototype	Reference
α'		cF4	Fm3m	A1	Cu	[1964Com]
PtAl ₄	20	hP*				[1978Sch] [1980Pia] [1982Ell]
PtAl ₅		P4			<u> </u>	[2001Lab]
PtAl ₆	14	0**				[1975Ton] [1979Cha]
ε'		c**				[1979Cha]
λ'	10-25					[1982Ell]

Pt₂Al₃ forms congruently L \leftrightarrow Pt₂Al₃ at 1800 K and 40 at. % Pt. Huch and Klemm [1964Huc], Guex [1976Gue] and Ellner *et al.* [1982Ell] reported that Pt₂Al₃ has a structure related to, but not isotypic with, hexagonal Ni₂Al₃ and essentially has no solubility range.

PtAl is a stoichiometric intermetallic phase and has a cubic FeSi structure. It forms congruently from the liquid at 1827 K and 50 at. % Pt by the reaction $L \leftrightarrow PtAl$.

Experimental evidence of a β -phase existing between 1533 - 1733 K, with a composition range from 51 - 56 at. % Pt, has been reported by Chattopadhyay and Schubert [1975Cha1], as well as by Bhan and Kudielka [1978Bha]. McAlister and Kahan [1986McA] included these observations in their assessment of the Pt-Al system and proposed a peritectic reaction PtAl + L $\rightarrow \beta$. No temperature was reported for this reaction. The eutectoid decomposition $\beta \leftrightarrow \text{PtAl} + \text{Pt}_5 \text{Al}_3$ has also been proposed by McAlister and Kahan [1986McA] to correspond with a thermal arrest reported by Huch and Klemm [1964Huc].

A Pt₃Al₂ phase was reported by Huch and Klemm [1964Huc] after observing a thermal arrest at 1533 K between 50 to 60 at. % Pt. Guex [1976Gue] also reported this phase, but it was referenced to the work of Huch and Klemm [1964Huc] and not an experimental observation. Subsequent studies have failed to confirm the existence of this phase and it has been suggested by McAlister and Kahan [1986McA] that Huch and Klemm most likely misinterpreted the solubility range of Pt₅Al₃, and that what they observed was the eutectoid decomposition of the β phase.

Pt₅Al₃ is rhombohedral of the Rh₅Ge₃ type and forms by peritectically $L + PtAl_3 \rightarrow Pt_5Al_3$ at 1738 K. McAlister's version of the phase diagram [1986McA] shows Pt₅Al₃ having a solubility range 61.5 to 63 at. % Pt, as reported by Ellner *et al.* [1982Ell] and Oya *et al.* [1987Oya].

A peritectoid reaction $PtAl_3 + Pt_5Al_3 \rightarrow Pt_2Al$ occurs at about 1703 K and 67.5 at. % Pt, forming Pt_2Al with a phase range of ~ 2 at. %. Two crystal variants of the Pt_2Al phase have been reported, a high temperature (HT) form similar to the $PbCl_2$ type and a low temperature (LT) form relating to the Pt_2Al type. While the nature of the reaction is still unknown, it is accepted that the reaction occurs at ~ 1333 K [1986McA,1987Oya]. Biggs [2001Big2] suggested a martensitic-type reaction.

The highest Pt-containing intermetallic phase is Pt₃Al. Pt₃Al forms congruently L \rightarrow Pt₃Al at 1829 K at 73.2 at. % Pt. A phase width of \sim 4-6 at. % has been reported for Pt₃Al. A martensitic type transformation has been reported where the cubic L1₂ structure of Pt₃Al, transforms to a tetragonal DO'_c Pt₃Al during cooling. There are many discrepancies, and to further complicate matters, the temperature of the transformation is composition dependent. It has been reported as either a congruent transformation at 1563 K or an eutectic reaction at 1553 K, depending on the composition. Oya *et al.* [1987Oya] reported an intermediate phase between the HT and LT Pt₃Al phases (Figure 2.2). The intermediate phase forms at \sim 613 K and the low temperature phase at \sim 400 K. The DO_c



phase was reported to be extremely unstable. Biggs [2001Big2] reported the L1₂ to DO'_c transformation at between 623 to 673 K.

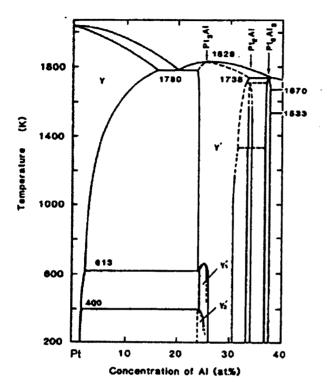


Figure 2.2. Revised Pt-rich portion of the Al-Pt phase diagram [1987Oya].

An eutectic reaction $L \rightarrow (Pt) + Pt_3Al$, reported by Huch and Klemm [1964Huc] and confirmed by Darling. Selman and Rushforth [1970Dar], occurs at 1780 K and 79.5 at. % Pt.

From the combined data of Huch and Klemm [1964Huc] and Darling et al. [1970Dar], (Pt) dissolves about 14 at.% Al at 1783 K. Darling et al. [1970Dar] suggested a lower solubility of Al in (Pt) at lower temperatures, confirmed as 10 at. % Pt at 1473 K by Bronger and Klemm [1962Bro] and 10 and 5 at. % Pt at 1273 K and 573 K respectively by Schaller [1979Sch].

Wu and Jin [2000Wu] calculated the Al-Pt phase diagram with the CALPHAD technique (Figure 2.3). The calculation did not include the β and the Pt₂Al phases. The Pt₃Al phase was not described as an ordered phase and the order/disorder transformation had not been included. The low temperature Pt₃Al phases have not been included either. Both PtAl₂ and Pt₅Al₃ have been modelled as stoichiometric compounds, making no provision for the composition ranges reported above.

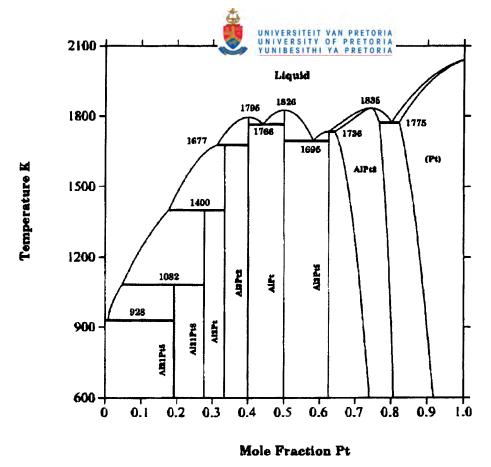


Figure 2.3. The calculated Al-Pt phase diagram by Wu and Jin [2000Wu].

2.2.2 Thermodynamic data

Ferro et al. [1968Fer] determined the heat of formation (ΔH_f) for alloys in the Al-Pt system experimentally by solute solvent drop calorimetry. Worrel and Ramanarayanan [1981Wor] determined the Gibbs energy of mixing (ΔG_m) for the 75 at. % Pt composition by an electrochemical cell technique. Lee and Sommer [1985Lee] determined the partial enthalpies of mixing (ΔH_m) of liquid aluminium-rich Pt alloys at ~1200 K using solution calorimetry. Jung and Kleppa [1991Jun] determined the enthalpy of formation for PtAl by direct synthesis calorimetry at 1473 \pm 2 K. Meschel and Kleppa [1993Mes] determined the enthalpies of formation for Pt₂Al₃ and Pt₃Al in the same way.

Miedema's semi-empirical model has been used to estimate enthalpies of formation for some of the phases [1988deB].

Ab initio techniques have also been applied to predict the enthalpies of formation. Ngoepe [2002Ngo] used a pseudo-potential total energy package (CASTEP) approach to calculate heats of formation for PtAl and Pt₃Al.

The thermodynamic data for the Al-Pt system are listed in Table 2.4.

Table 2.4.Enthalpies of formation for the stable phases in the Al-Pt system.

Phase	ΔH_f	Method	Reference
	[kJ/mole atoms]		
Pt ₅ Al ₂₁	-57.320	Solute solvent drop calorimetry	[1968Fer]
Pt ₈ Al ₂₁	-71.130	Solute solvent drop calorimetry	[1968Fer]
PtAl ₂	-100.420	Solute solvent drop calorimetry	[1968Fer]
Pt ₂ Al ₃	-94.980	Solute solvent drop calorimetry	[1968Fer]
	-79.000	Miedema semi-empirical method	[1988deB]
	-96.500	Direct Synthesis Calorimetry	[1993Mes]
PtAl	-100.420	Solute solvent drop calorimetry	[1968Fer]
	-100.000	Direct Synthesis Calorimetry	[1991Jun]
	-82.000	Miedema semi-empirical method	[1988deB]
	-67.440	Ab initio	[2002Ngo]
β			
Pt ₅ Al ₃	-90.730	Miedema semi-empirical method	[1998Wol]
Pt ₂ A1	-88.280	Miedema semi-empirical method	[1998Wol]
Pt ₂ Al (LT)			
Pt ₃ Al	-69.870	Solution Calorimetry	[1968Fer]
	-63.600	Direct Synthesis Calorimetry	[1993Mes]
	-50.990	Miedema semi-empirical method	[1988deB]
	-76.000 [*]	Electrochemical	[1981Wor]
	-74.380	Ab initio	[2002Ngo]
Pt ₃ Al(LT)**	-79.100	Ab initio	[2002Ngo]

Gibbs energy of mixing: -76 460 + 7.48*T [1981Wor], which gives an estimated enthalpy of formation of -76 000 J/mol of atoms

2.3 The Al-Ru Binary System

2.3.1 Phase Diagram Data

The Al-Ru phase diagram from the Binary Alloy Phase Diagrams series [1990Mas] includes five stable intermetallic phases as shown in Figure 2.4. However, the phase boundaries are in dashed lines, indicating that uncertainties are associated with the phases and their homogeneity ranges. Most of the invariant reaction temperatures are also not well determined. Subsequent work by Anlage [1988Anl] and Boniface and Cornish [1996Bon1, 1996Bon2] clarified some of these uncertainties. Boniface and Cornish [1996Bon2] proposed a revised phase diagram, incorporating the results from Anlage [1988Anl] (Figure 2.5). Okamoto [1997Oka] reviewed the Al-Ru system and reported the diagram proposed by Boniface and Cornish to be the more acceptable phase diagram. However, the liquidus surface on the cascade of peritectic reactions did not obey all phase diagram rules and a modification was suggested by Prins and Cornish [2000Pri].

^{**} DOc structure

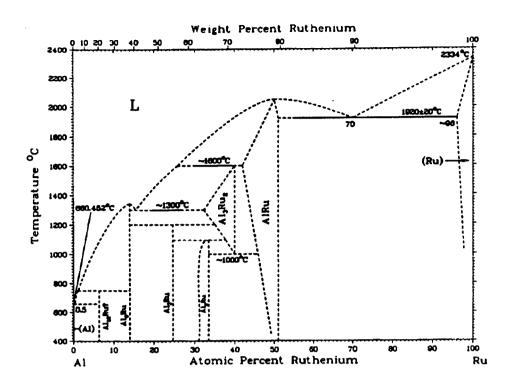


Figure 2.4 The Al-Ru phase diagram after Massalski [1990Mas].

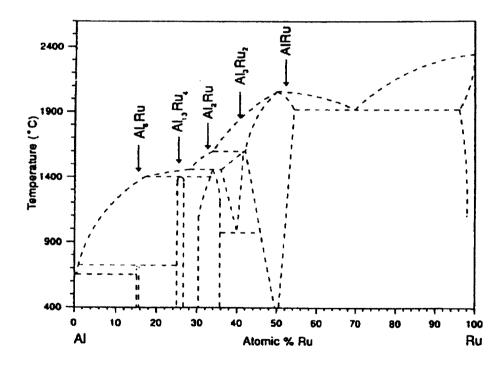


Figure 2.5. The modified Al-Ru phase diagram after Boniface and Cornish [1996Bon2].

The peritectic formation temperatures of the RuAl₂ and Ru₂Al₃ phases were raised to 1873K and 1973 K respectively, to agree with reaction temperatures reported by Obrowski [1860Obr]. The crystal structure data for the stable intermetallic phases are listed in Table 2.5. Only one metastable phase, RuAl_{2.5}, has been reported for the Al-Ru system [1968Eds].

Obrowski [1960Obr] reported the first phase diagram for the Al-Ru system and this was based on microscopic, X-ray and thermoanalytical observations. Six intermetallic phases were reported: RuAl₁₂ (although some uncertainty existed of the exact composition), RuAl₆, RuAl₃, RuAl₂, Ru₂Al₃ and RuAl, taking part in eight invariant reactions. The Rurich solid solution was reported to comprise \sim 4 at. % Al at the eutectic temperature. No solubility of Ru in (Al) was detected and it was also concluded that all the Al-rich intermetallic compounds were stoichiometric line compounds. The RuAl phase was observed to melt at 2333 \pm 20 K and the eutectic reaction between RuAl + (Ru) at 2193 \pm 20 K. Reactions were observed at 1573 and 1873 K and these were assigned to eutectic and peritectic reactions respectively. However, it was concluded that some uncertainty existed of the solid-state reactions between 20 and 40 at. % Ru. Apart from Obrowski, no subsequent workers have reported the existence of RuAl₁₂. Other reactions reported by Obrowski, but not found by other workers are:

 $L \rightarrow RuAl_6$ $L \rightarrow RuAl_6 + Ru_2Al_3$ $RuAl_6 + Ru_2Al_3 \rightarrow RuAl_3$ $RuAl_3 + Ru_2Al_3 \rightarrow RuAl_2.$

Table 2.5. The compositions and crystal data for the elements and compounds in the Al-Ru system.

Phase	Composition (at. % Ru)		Pearson symbol	Space Group	Struktur- bericht	Prototype	Reference
A1			cF4	Fm3-m	A1	Cu	
RuAl ₆	14.3	14.3	oC28				[1968Eds]
						MnAl ₆	[1982Cha]
	15.1±1	15.7±1					[1996Bon2]
Ru ₄ Al ₁₃			mC102	C2/m		Fe ₄ Al ₁₃	[1965Eds]
	23.6	23.6					[1988Anl]
	25.0±1.5	26.6±1.5					[1996Bon2]
RuAl ₂	30.35	33	<i>tI</i> 6	I4/mmm	C11 _a	CaC ₂	[1960Obr]
			oF24	Fddd	C54	TiSi ₂	[1966Eds]
	30.4±1	35.8±1					[1996Bon2]
Ru ₂ Al ₃			hP5	P3-m1	D5 ₁₃	Ni ₂ Al ₃	[1960Obr]
			<i>tI</i> 10	I4/mmm		Os ₂ Al ₃	[1966Eds]
RuAl			cP2	Pm3-m	B2	CsCl	[1960Obr]
Ru			hP2	Fm3-m	A3	Mg	



Schwomma [1963Sch] undertook X-ray work on a 33.3 at. % Ru sample, and found RuAl₂ and RuAl. Uncertainty through the contamination of the samples by silicon and oxygen was, however, raised as a possible problem by the author.

Edshammar determined the crystal structure for Ru₄Al₁₃ [1965Eds] (Obrowski's RuAl₃ [1960Obr]), and noted the similarity with Fe₄Al₁₃ because of the twinned prismatic structure and co-ordination numbers, although Ru₄Al₁₃ showed even better agreement with Os₄Al₁₃. It was also found that Al atoms were absent from some of the sites which were partially occupied by Al in Fe₄Al₁₃ and Co₄Al₁₃. Ru₄Al₁₃ was, therefore, considered to be the ideal structure of RuAl₃ [1960Obr]. Subsequently with X-ray powder methods, Edshammer reported the crystal structures for five more intermetallic phases: RuAl, Ru₂Al₃, RuAl₂, RuAl_{2.5} and RuAl₆ [1966Eds, 1968Eds]. The phase RuAl_{2.5} was observed only in arc-melted samples. There were some additional CsCl-like phases reported around the composition RuAl, but no further details were given. No evidence of the RuAl₁₂ phase was found, and there were other inconsistencies with Obrowski's phase diagram [1960Obr] concerning the Ru₂Al₃ and RuAl₂ phases.

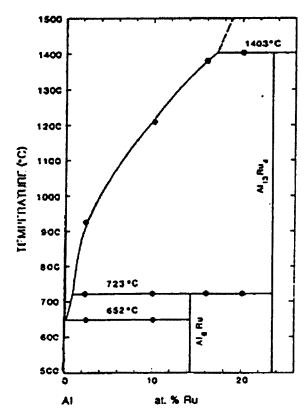


Figure 2.6. The phase diagram of Anlage et al. [1988Anl] for the high-Al corner in the Al-Ru system.

Anlage, Nash and Ramachandran [1988Anl] undertook experiments up to 26 at. % Ru using scanning electron microscopy, X-ray diffraction and thermal analysis (DSC) and proposed a revised p hase diagram for the Al-rich portion of the Al-Ru p hase diagram

(Figure 2.6). Confirmation of the RuAl₁₂ phase was not found. Edshammar's [1965Eds] notation for the Ru₄Al₁₃ phase was used. It was also reported that both RuAl₆ and Ru₄Al₁₃ melt by a peritectic reaction at 996 K and 1676 K respectively, and not congruently as suggested by Obrowski [1960Obr]. Some liquidus temperatures were provided. Problems with homogeneity of the alloys were reported, and also that the peritectic reaction forming RuAl₆, was sluggish. Under rapid solidification conditions, icosahedral phases were reported between 2.4 and 23.5 at. % Ru.

Boniface and Cornish [1996Bon1] confirmed Anlage's results for the high-Al end of the phase diagram. No evidence of the $L \leftrightarrow Ru_2Al_3 + RuAl_6$ eutectic reaction, reported by Obrowski [1960Obr], was found and the presence of $RuAl_2$ in a s-cast samples over a specific range indicated stability at higher temperatures. The microstructures revealed that there was a peritectic cascade of reactions from the formation of Ru_2Al_3 to the formation of $RuAl_6$. A slight endothermic peak at 1733 K suggested the formation temperature for $RuAl_2$ [1996Bon2]. The Ru_2Al_3 phase was found to decompose at \sim 1223K.

Although Varich and Luykevich [1973Var] found a maximum solubility of Ru in (Al) of 3.23 at.% Ru by rapid solidification techniques, this solubility has not been reported for equilibrium conditions.

No assessment of the Al-Ru phase diagram, based on the CALPHAD method, had been published prior to this work.

2.3.2 Thermodynamic data

The only experimental thermodynamic value for the Al-Ru system was determined by Jung and Kleppa [1992Jun] by dropping a mixed 1:1 powder mixture (atomic percent) of the elements into the calorimeter, which showed that RuAl (B2) has a high heat of formation, $\Delta H_f = -124.1 \text{ kJ.mol}^{-1}$.

Miedema's method was used to estimate values for the heats of formation for the intermetallic phases [1998Wol], as no other data were available.

Neumann, Chang and Lee [1976Neu], without using Obrowski's experimental data [1960Obr] used a theoretical method to predict that the RuAl phase has a very narrow phase width, probably not exceeding 1 at. % on either side of the stoichiometric composition. They suggested that RuAl is slightly off-stoichiometric and that the disorder parameter is less than 3.10⁻³, indicating that RuAl is a highly ordered phase.

Several *ab initio* results have been reported for the enthalpy of formation of RuAl. However, the data are scattered, probably due to the different assumptions for defect formation in RuAl, which have been implied to be vacancies [1993Fle] or anti-structure defects [1976Neu]. Ngyen-Manh and Pettifor [1999Man] used the full-potential linear muffin-tin orbital (FP-LMTO) method within a local-density-function approximation



(LDA), while Gargano, Mosca, Bozolla and Noebe. [2002Gar] used the Bozzolo-Ferrante-Smith-based (BFS) Monte Carlo simulations. Hu et al. [1999Hu] applied an embedded atom model to calculate the enthalpies of formation for the phases, though most of their data differed vastly from the values estimated by Miedema's semi-empirical model. They have also misquoted data from the literature for the RuAl phase. However, their result for the Ru₄Al₁₃ phase is in better agreement with the Miedema estimation.

The thermodynamic data are listed in Table 2.6.

2.3.3 Applications of Al-Ru intermetallics

The RuAl compound has an unusual combination of properties. Fleischer and co-workers [1991Fle] first reported the excellent room temperature toughness, compared to other intermetallic compounds, and recommended its potential for structural applications because of its high melting point and good oxidation resistance. The improved toughness is due to five independent slip systems in the crystal.

The excellent corrosion resistance of RuAl in hot, concentrated mineral acids was first reported by Wopersnow and Raub [1979Wop], and more recently, McEwan and Biggs [1996McE] demonstrated its capability as a coating in a range of aqueous media. They recognised that it has potential in corrosion-resistant coatings and electrochemical applications. The electrical conductivity of RuAl is high, almost metallic in value, and it exhibits good work function attributes [1995Smi]. This, and the good thermal conductivity [1998And] and a high wear resistance [1994Ste] also render the material suitable for lifelong spark-plug electrodes [1997Wol].

Although RuAl is difficult to manufacture by melting because of its high melting point, it can be manufactured by powder processing techniques, especially by reactive powder processing [1996Cor], or reactive hot isostatic processing (RHIP) [1996Wol].

Table 2.6 Enthalpies of formation for the phases in the Al-Ru system.

Phase	ΔH_f	Method	Reference
	[kJ/mol of atom]		
RuAl ₆	$-17.930 \pm 10\%$	Miedema semi-empirical method	[1998Wol]
Ru ₄ Al ₁₃	$-30.030 \pm 10\%$	Miedema semi-empirical method	[1998Wol]
	-28.940	Ab initio	[1999Hu]
RuAl ₂	$-38.260 \pm 10\%$	Miedema semi-empirical method	[1998Wol]
Ru ₂ Al ₃	-44.040 ± 10%	Miedema semi-empirical method	[1998Wol]
RuAl	-47.320 ± 10%	Miedema semi-empirical method	[1998Wol]
	-62.050 ± 3000	Direct Solution Calorimetry	[1992Jun]
	-70.740	Ab initio	[1992Lin]
	-58.150	Ab initio	[1999Man]
	-95.510	Ab initio (BFS method)	[2002Gar]



2.4 The Pt-Ru Binary System

The Pt-Ru phase diagram is rather simple in that there are no phases other than the two end-member solid solutions (Pt) and (Ru) and a two phase area comprising of (Pt) and (Ru). The phase diagram [1990Mas] is shown in Figure 2.7.

About 62% Ru dissolves in (Pt) at 1000 °C. A two-phase region of (Pt) and (Ru) exists between ~62 and ~80 at. % Pt. A ruthenium solid solution is observed above ~80 at. % Pt at 1000 °C. (Pt) forms by a peritectic reaction at ~2120 °C.

The Pt-Ru phase diagram has been calculated by Spencer using the CALPHAD method [1996Spe] and is shown in Figure 2.8. The calculated diagram is just an extrapolation of the elemental data. It is only in relative good agreement with the published ASM diagram [1990Mas], as it shows an eutectic reaction instead of the peritectic reaction, as in Figure 2.7. However, there are limited data available for the liquidus and solidus curves.

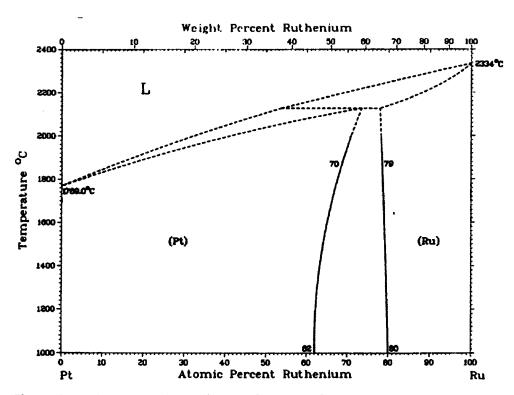


Figure 2.7. The Pt-Ru phase diagram [1990Mas].

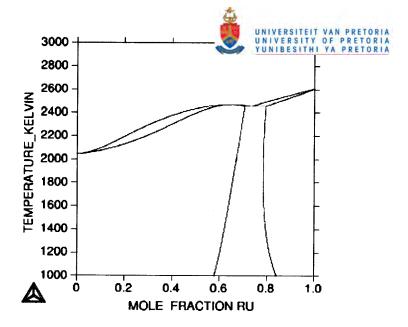


Figure 2.8. Calculated Pt-Ru phase diagram, from Spencer [1996Spe].

2.5 The Pt-Al-Ru Ternary System

The only published data is an isothermal section at 1350° C [2001Big1, 2001Big2, 2001Hil1]. No ternary reactions or ternary phases have been reported and very limited extension of the ~Pt₃Al phase into the ternary was observed. The isothermal section is shown in Figure 2.9.

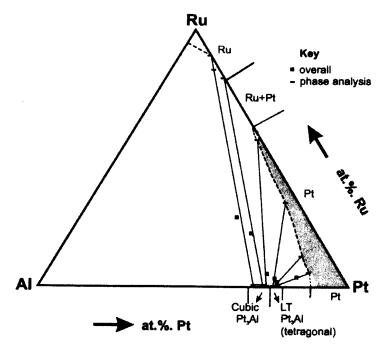


Figure 2.9. Isothermal section of the Al-Pt-Ru system at 1350°C [2001Big2].



Chapter 3 Experimental Procedure

This chapter describes the basic experimental procedures that were followed in this study. The methodology on how the solidification sequences and liquidus surface projection were determined is also presented.

3.1 Introduction

Sixteen samples were prepared in four stages. An initial set of six alloy compositions was selected after extrapolations from the binary phase diagrams to identify possible two-phase areas in the ternary. Two-phase samples were targeted because more information could be gleaned per sample. Samples were selected to have a lower Pt-content than the alloys investigated by Biggs [2001Big1] and Hill [2001Hill], as their work covered the platinum-rich corner. The highest platinum composition sample was selected to be the same composition as the lowest platinum composition sample from Biggs [2001Big1] in order to benchmark this set of samples. Samples were also selected away from the ruthenium-rich corner since previous experimental work on the Al-Ru system indicated that there is only the eutectic reaction above 50 at. % Ru and such a sample would not give new information.

Six more alloy compositions were selected later to clarify uncertainties raised by the results of the first set of samples. Three more samples were subsequently prepared in order to complete the liquidus surface projection. A final sample was prepared to confirm a ternary phase found in the alloy system.

3.2 Sample Preparation

The as-cast samples were prepared at Mintek, according to their standard preparation method PMD-SOP-037. The samples were prepared by arc-melting on a water-cooled copper hearth, using elemental powders of at least 99.9 percent purity. Three grams of powder were mixed by hand. No binders were used. The powders were compressed before melting under a protective argon atmosphere. Samples were re-melted five times to ensure homogeneity. Samples were turned upside down between each re-melt. Six samples could be prepared per arc-melt.

The arc-melting electrode was equipped with a tungsten-metal tip. No mass-loss measurements were performed on the electrode tip, but no evidence of any detectable tungsten uptake by the samples was found in the composition analyses of any of the phases.

The mass losses of the samples were monitored. All the recorded weight losses were less than 5 %, which were considered acceptable since a luminium is a lmost a lways lost during a remelting as it has a much lower melting point than platinum and ruthenium, and a very high partial pressure. Mass losses were only recorded for the first six samples.

The cooling rate of the arc-melted samples is not known, but it was not sufficiently fast enough to totally freeze in the as-solidified liquidus-solid structure, as some coring was observed in some samples, which indicated that there was time for some diffusion on cooling.



Additionally, the cooling rate was also not fast enough to freeze in the high temperature binary phases or a new high temperature ternary phase, which was found in this study, as solid-state decompositions were observed in the microstructures.

Arc-melted samples were cut into two pieces. The high aluminium content samples were brittle and cracked when they were fastened in the vice for cutting. The more ductile samples were cut with a diamond wheel in a Struers Accutome. One half was mounted in a conductive resin and prepared metallographically to a 0.25 µm finish.

3.3 Analyses

3.3.1 Scanning electron microscopy and Energy Dispersive X-ray Analysis (SEM/EDS)

All imaging was conducted in the backscattered electron (BSE) mode for phase contrast, on a LEO 1525 field-emission scanning electron microscope (FE-SEM). BSE mode is suitable for phase analysis, as the intensity of the backscattered electrons is a function of the atomic number of the phase, so different phases have a different amount of backscattered electrons associated with them and this shows as different shades of grey in the resulting micrograph. The higher the average atomic number of the phase, the more electrons are backscattered and the brighter the phase appears in the micrograph.

The overall and phase compositions of the samples were determined using an Oxford INCA energy dispersive X-ray (EDS) system attached to the abovementioned SEM. The resolution of the EDS detector was 132 eV. The accelerating voltage was optimised for the alloys using the Oxford Inca Spectrum Synthesiser, since all samples could only contain Al, Pt and Ru. The synthesiser program models the spectrum, taking into account the input variables for EDS, as well as the energy lines which will be used for analysis. The acquisition conditions can be optimised taking into account the elements present in the sample. This ensured that excessive over-voltages were not used in generating the X-rays for EDS, as this could influence the results significantly. All samples were analysed at 12 mm working distance (optimum for the SEM used) and 12 kV accelerating voltage. All the EDS analyses were done quantitatively against pure element standards.

The microstructures of the samples were visually inspected in the SEM prior to analysis to ensure they were homogenous. Some samples had a small fraction of unreacted Ru in them. In these cases, the areas adjacent to the Ru were avoided in the analysis. The presence of the Ru was not considered a problem as previous sample preparations involving Ru at Mintek has shown that Ru tends to agglomerate and form lumps, especially in the small samples which are mixed by hand. It is also possible that the Ru did not melt properly, as Ru has a very high melting point (2701 K).

Overall compositions were determined by scanning a sufficiently large area of the sample, 200 - 1000 times magnification, depending on how coarse the microstructure was. Five overall analyses were recorded per sample.

The composition of each phase was recorded in spot mode in the SEM. At least five spots were measured for each phase and for each phase the standard deviation was calculated. In some samples the phases were present on a very fine scale, which complicated results, since the spatial resolution of EDS analysis is not lower than 1 μ m. X-ray information in EDS comes from an interaction volume from about 5 to 2 μ m under the surface of the sample,

depending on the operating conditions and average atomic number of the phase, which means that for fine particles, there could be a big matrix contribution. In these cases, more analysis points were recorded, and were taken into account in the plotting of the results on a ternary projection, as the composition of the two phases must lie on the tie-line between the two phases. Due to this, phases could not always be assigned beyond doubt using EDS, thus X-ray diffraction (XRD) was used to confirm phases.

It should be noted that since all samples were analysed at the same conditions, the standard deviations reported in this study only reflect the composition deviations and are not true uncertainties associated with EDS analysis. EDS is only accurate to a minimum of ± 1 at. % due to counting statistics, detector resolution, beam-sample interactions and a number of other factors. However, these factors have been assumed constant in this study as all the samples contained the same elements and all the conditions were constant. Depending on operating conditions, EDS also has a minimum detection limit of 0.5 - 2 at. %, which means that low concentrations of one of the elements in a binary phase could not always be detected. Thus, the uncertainty for elements present in low atomic percentages was much higher. Again, all factors were assumed constant and low atomic concentrations have been reported in the same way as higher concentrations.

3.3.2 X-Ray Diffraction

The samples were broken out of the resin mounts and analysed in a Philips XRD, with monochromated Cu K α radiation using a continuous scan from 4 to 90° 20 with step size of 0.02° and dwell time of 0.5 s, to confirm the phases found in EDS.

XRD is a suitable technique for phase analyses incorporating lattice parameter and latticetype determinations on crystalline materials. XRD can also be used to determine and evaluate the effect of a solute on the lattice parameter of a phase.

XRD is based on Bragg diffraction. When a crystalline material is irradiated by a monochromatic source of X-rays, reflections will occur from the various lattice planes in the crystal. Each reflecting plane will diffract a portion of the X-ray beam as governed by the relationship

 $n\lambda=2d \sin \theta$

where

 λ = wavelength of the incident radiation

d = interplanar spacing

 θ = incident angle of radiation with the plane

n = a small integer.

The reflections are characteristic for a specific crystal structure and give the d-values for a phase, from which the lattice parameter can be calculated through the relationship (for a cubic phase)

$$d^2 = \frac{a^2}{h^2 + k^2 + l^2}$$

where d is the interplanar spacing, a is the lattice parameter and h, k and l are the Miller indices, referring to the plane from which the reflection originates. The positions of the atoms in the unit cell are then determined by the space group.

Phases are identified in XRD by matching the phase under investigation to standard patterns, which are available in the International Crystallography Diffraction Database (ICDD) [2001ICD] and International Crystal Structure Database (ICSD) [2002ICS]. However, there are many phases not yet included in these databases, and the standard patterns are normally only for end-member phases, solid solutions are usually not included.

Many of the phases found in the Al-Pt and Al-Ru binaries are not included in the ICDD or ICSD. Most of the binary phases showed solubility for the third element in the system, which shifts the position of the reflections. Some of the diffraction patterns also had overlaps on the major peaks. These complicated the XRD identification significantly and a different approach to only matching recorded and standard patterns had to be followed to confirm the phases proposed by EDS analyses.

A method that is used at the CSIR-NML has been followed to identify the phases. This method uses a software program WinCell [2002Raj], a freeware program from the internet, to refine lattice parameters, based on the crystal structure, d-values and (hkl) values for a phase. From the crystal structure data reported in the literature for the pure binary phases, the lattice parameter and reflections present in the spectra were known.

The method comprised the following steps:

- 1. For the phases that were present in the ICDD or ICSD, the lattice parameters were calculated in WinCell from the standard pattern data in the database. For phases which were not in the databases, but for which prototypes have been suggested in the literature, the lattice parameters of the prototypes have been calculated. For some phases very limited data were available and in those cases related binary systems were searched to find suitable prototypes. Some phases have more than one prototype suggested in the literature, in these cases all the prototypes were evaluated, as there are some discrepancies in the binary phase diagrams. This provided a starting set of values for each phase.
- 2. Once a 'standard' has been set up in WinCell, the corresponding phase was evaluated. The corresponding 2θ values from the diffractogram were selected for input to WinCell and a lattice parameter was calculated and refined through a non-linear regression method. A standard deviation and an overall coefficient of determination, R², are also calculated for each phase.

In Appendix B the XRD spectrum, the ICDD data of the phases to be confirmed, the WinCell inputs and results are presented as an example.

Unfortunately, in WinCell it was not possible to assign different weights to the relative intensities of the reflections in the diffractogram, which sometimes complicated the calculations. But this method also ensured that all phases were, as far as possible, identified, as the number of lines in the diffractogram that were not already assigned to a phase could be identified.

The advantage of this approach was that phases could be identified with a figure of merit, the R² value, and that the shifts due to the presence of a third element in the binary phase lattice were taken into account, making it possible to calculate the solid solubilities of the phases.



Two new ternary phases were also found in the study. The one phase is a high temperature phase and was found in only one sample. It was not quenched into the microstructure, and decomposed. This phase is referred to as phase T in this study. The other ternary phase, called phase X in this study, was stable to room temperature and present in a number of samples. Through a search and match procedure, a structure was found which matched the diffraction patterns of this phase. This was then used as a prototype for phase X.

3.4 Methodology to determine a solidification sequence for a ternary alloy

In order to determine a solidification sequence of an alloy and then propose a liquidus surface projection, also called the polythermal projection of the liquidus, fundamental thermodynamic principles as well as practical experimental observations have to be considered. This section attempts to describe the basic method which was used to propose the solidification sequences and liquidus surface projection.

3.4.1 Analyses of as-cast alloys

Overall compositions were determined for the samples. The phases in the microstructure were then analysed. EDS is a useful tool to determine the compositions of the phases as well as the overall composition of the alloy. The composition results from the EDS analyses were plotted on a ternary composition triangle. In this study all the overall compositions are indicated with a solid square on the diagrams and the phase compositions are indicated with solid triangles. These are shown in Figure 3.1. When there were only two phases present in a sample, the overall composition had to be on the line connecting the two-phase compositions. When there were three or four phases present, the overall composition had to fall within the area formed when the phase compositions are connected, as shown below for the triangular area.

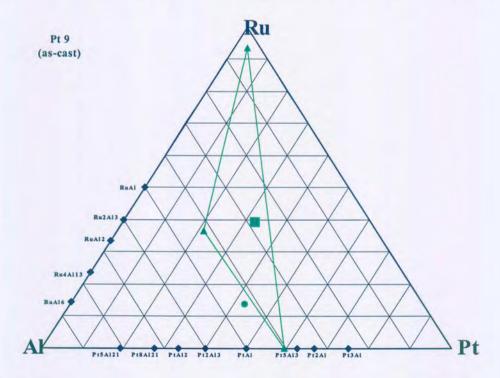


Figure 3.1. Ternary plot showing the EDS phase analyses. The square indicates the overall composition, the triangles the phase analysis and the solid circle indicates a two-phase area.



Since EDS only gives the compositions of the phases, and not the structures, XRD analyses had to be used to confirm the phases in the sample. The phases confirmed by XRD were assigned to the phase compositions on the ternary plot. This had to be in agreement with the binary phases on the axes of the ternary diagram, unless it was a ternary phase, for which there is no extrapolation to the binaries that make up the ternary diagram.

The shapes of the phases in the microstructures were also evaluated qualitatively. Did the phase form dendrites in a matrix? Were the dendrites coated with another phase? Was the area between the dendrites a mixture of two phases? Which phase was coating what? These are important considerations in determining the solidification sequence and in identifying what type of reaction (monotectic, eutectic or peritectic) occurred.

Phases solidify in a sequence. The order of the sequence is very important, because it gives the order of the reactions.

3.4.2 Fundamental and theoretical considerations

Once the experimental analysis data were consolidated, certain fundamental and theoretical factors were considered to propose a solidification reaction sequence and to plot a proposed liquidus surface projection for the Al-Pt-Ru system. These are outlined below. Although discrepancies can occur between the theory and experiment, these should not detract from the usefulness of the theoretical approach, since the theory can provide useful ideas on the phase growth and resulting experimental microstructures.

This discussion is only a rough guideline to the possible fundamental and theoretical considerations, as non-equilibrium solidification of multi-element liquids is complex and it is influenced by many factors. Predicting what will happen only theoretically is, today, still nearly impossible.

3.4.2.1 Phase Diagram Considerations

The Phase Rule

During equilibrium solidification, the phase rules must be obeyed. The phase rule is

$$F = C - P + 2$$

where F is the degrees of freedom, C is the number of components and P is the number of phases, and it describes the relation between the phases and system variables (temperature, pressure and composition). At constant pressure, the rule reduces to

$$\mathbf{F} = \mathbf{C} - \mathbf{P} + \mathbf{1}.$$

Although the non-equilibrium freezing of the arc-melted samples is too fast for equilibrium solidification, and compositions constantly change during the non-equilibrium freezing, a local equilibrium at each interface can be assumed, and the basic principles of the phase rule should be considered in considering and evaluating the invariant reactions.

Reactions in a ternary system

In a ternary system, all the reactions from the binary systems are possible in the ternary system, as well as some ternary reactions. The most commonly observed ternary reactions are [1965Wes]:



- (i) ternary eutectic reactions $L \rightarrow \alpha + \beta + \gamma$,
- (ii) ternary quasi-peritectic reactions $L + \alpha \rightarrow \beta + \gamma$
- (iii) true ternary peritectic reactions $L + \alpha + \beta \rightarrow \gamma$.

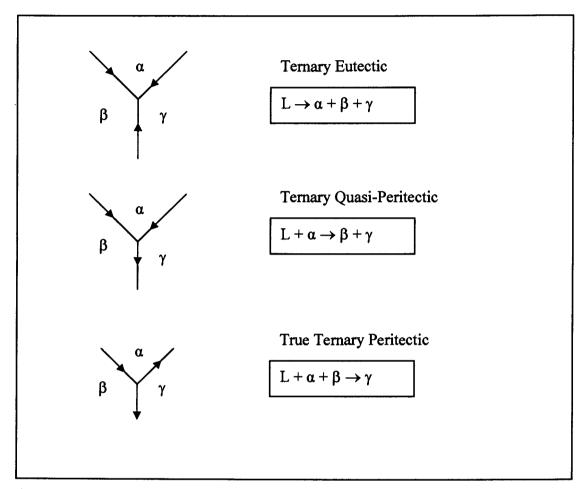


Figure 3.2 Ternary invariant reactions, after West [1965Wes].

These ternary reactions are illustrated in Figure 3.2, where the arrows on the liquid surface point in the direction of decreasing temperature. Reaction (ii) is also sometimes referred to as a 'weak' peritectic reaction.

It is important to note that a reaction which is an eutectic reaction in the binary, can appear as a peritectic reaction in the ternary. The presence of a third element in the ternary can change the compositions of the binary phases when the third element is dissolved in the binary phase in the ternary system. This can change the Gibbs energy of the phase so that the relative stabilities of the phases change. Thermodynamically, a eutectic reaction can become a peritectic reaction. In some cases, the eutectic reaction was observed before the conditions for the eutectic became unstable, in other cases the eutectic from the binary was not observed at all, only the peritectic reaction was observed. Also, if cooled too quickly, a stable eutectic reaction can become a metastable peritectic reaction.

3.4.2.2 Liquid-solid interactions and transformations

Some fundamentals on liquid-solid transformations were considered. Solidification of an alloy from the liquid consists of nucleation of the primary solidification phase in the liquid, and then the growth of the phase into the liquid, consuming the liquid, until all the liquid is solidified.

Nucleation

Nucleation is always associated with a change in crystal structure, a change in volume or a change in composition. Embryos form in the liquid, and once these reach a critical size and become thermodynamically stable, a stable nucleus is formed.

Solid-liquid interactions

The liquid-solid interface of the growing solid nucleus shows three characteristic features[1972Cha]:

- (i) the interface is non-crystallographic and atomically rough;
- (ii) the interface is planar, i.e. contains no projections;
- (iii) the interface is isothermal and undercooled by an amount ΔT related to the growth rate.

Not all of above is necessarily observed.

The growth of the nuclei is then dependent on the interface energy, surface energy of the nuclei and amount of undercooling. Liquid metal must undercool by a few degrees before solidification begins. The type and direction of grain growth is controlled by the temperature gradients at the solid-liquid interface. It is also dependent on the alloy composition.

As solidification continues after nucleation, temperature gradients develop. The gradients develop during the transport of the latent heat of fusion from the interface, produced by the formation of the solid phase. If the liquid-solid interface grows into a supercooled liquid (negative temperature gradient), protrusions at the interface can grow into the liquid without being melted back, resulting in dendritic growth. If the temperature gradient ahead of the interface is positive, then grain growth occurs by the advancement of a more stable solid-liquid interface. The liquid can also be supercooled by both thermal and constitutional effects, then seed crystals can appear, which can grow into equiaxed, dendritic or columnar crystals.

It is often that the bulk sample solidifies with a dendritic morphology. Dendrites grow in quite specific crystallographic directions. Dendrites can have a cellular appearance, or branches can develop to produce a tree-like appearance, depending on the composition and temperature gradients. However, the morphology of the primary phase also depends on the surface energy of the primary phase, and when growth in a specific crystal direction in the liquid is not thermodynamically favoured, discrete particles can form in the liquid. The discrete particles grow without direction preference or they can form facetted crystals.

The growth of the primary phase continues until the remaining liquid composition is too saturated with elements rejected from the solid and the phase cannot grow anymore. This is assuming that most of the partitioning of the elements occurs in the liquid and not in the solid. Then three types of liquid-solid interactions are possible. Eutectic, peritectic and monotectic reactions occur most often in a ternary system. For eutectic and peritectic reactions, the liquid phase is in equilibrium with two solid phases. These are recognised by their different morphologies [1972Cha]. The peritectic reaction can continue only whilst the phase being



coated is still in contact with the liquid. For a monotectic type reaction, a miscibility gap must exist in the liquid.

The further sequence of solidification is then determined taking into account the shape of the microstructure.

Eutectic reactions are the simultaneous solidification of two phases and the two phases are always finely dispersed. The morphology could include globular, rod-like, lamellar and more irregular shapes (see Chadwick [1972Cha] for detail on eutectic morphologies). In peritectic reactions, the phase which formed peritectically formed directly on the phase which reacted with the liquid, in other words, the phase which formed peritectically 'coated' the primary phase. Since the liquid reacted with the primary phase, the latter could have an uneven appearance.

Solid-state eutectoid reactions occur where a phase had been formed during solidification and it is not stable at lower temperatures. A solid-state decomposition is characterized by a very fine structure if a high nucleation rate was attained. In the time during rapid solidification, the structure remains fine, as the diffusion rates are much less in the solid, and at a lower temperature than solidification from the liquid.

Coring is also possible in as-cast samples. Coring means that individual dendrites do not have the same composition from the center to the outer edge of the dendrite. This is due to the fact that the composition of the solidifying liquid, as well as the temperature of the liquid, is changing as the dendrite grows from the liquid. The composition of the liquid is either enriched or depleted of a solute, thus the solute concentration in the dendrite differs from the surrounding liquid, and the phase solidifies in a continuous layered structure until the liquid concentration has changed and the phase cannot precipitate anymore (Figure 3.3).

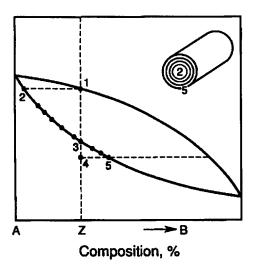


Figure 3.3. Phase diagram of two components showing the influence of solute diffusion on solidification, a phenomenon called coring [1990Tom].



3.4.2.3 Deriving the solidification sequence and liquidus surface projection

The proposed solidification sequence and liquidus surface projection were derived from the experimental microstructures. Drawing a liquidus surface projection is a bit like building a jigsaw puzzle, as a number of factors need to be considered.

For each alloy a solidification sequence was deduced. The primary phase was identified, and the solidification reactions were proposed as eutectic or peritectic, following the shape of the microstructure. These deduced solidification sequences for the alloys were used to derive the liquidus surface projection.

The overall composition of an alloy falls on the liquid surface of the primary phase. Furthermore, the surfaces of phases in a particular solidification reaction had to be in contact on the liquidus surface projection. The solidification reactions also had to agree with the liquid reactions found in the binaries, although, as described above, the reaction types could have changed based on the relative thermodynamic stabilities of the phases when third elements are dissolved in the binary crystal structures.

The proposed solidification sequence had to be consistent with the microstructure. The order of the phases in the microstructure, from the primary phase to the final phase solidified, had to be such that there were no extra phases in the microstructure between two consecutive phases in the solidification sequence. The cooling of the as-cast alloys was too fast to allow phases to form through diffusion alone, although it was not fast enough to prevent coring and solid state decomposition. Although quite unusual in as-cast alloys, it is possible that in some cases a phase is not observed, since in some peritectic reactions all the previously formed phase can be consumed during the reaction. In such cases, only a small part of the liquid surface of the consumed phase could fall on the solidification path on the liquidus surface projection. The solidification reactions had to agree with the liquid reactions found in the binaries, although, as described above, the reaction types can change based on the relative thermodynamic stabilities of the phases when third elements are dissolved in the binary crystal structures.

Since three binary systems were involved, and ternary phases could be present, the solidification microstructures were used as input to the solidification sequence. Usually the same order of formation for the phases from the liquid had to occur in the ternary system. It was also considered that the presence of a third element in a binary structure could change the composition range and formation temperature of the phase. The formation temperatures of the phases from the liquid in the binary systems were also used to give an indication of the solidification sequence.

The proposed liquidus surface projection was evaluated against the solidification sequences to ensure consistency between them. This is best explained with an example. If one considers the alloy composition 14 (overall and the phase compositions) plotted on a liquidus surface projection (Figure 3.4), the primary crystallisation product will be RuA₂, since the overall composition lies on the RuAl₂ liquidus surface. RuAl₂ is not a stoichiometric line compound in the binary system; it shows a small solubility range, which extends more to the Al-side than the Ru-side (Figures 2.4 and 2.5 in Chapter 2). The crystallisation path of the liquid will be along a line roughly towards the overall composition and the phase composition of RuAl₂. If RuAl₂ had been a line compound, the crystallisation path of the liquid would have been on the straight line between the overall composition and the RuAl₂ composition on the Al-Ru side of the ternary plot. The solidification of RuAl₂ continues until the liquid attains a composition on



the univariant valley, the boundary between the RuAl₂ and X liquidus surfaces. The direction of continued solidifications is determined by the direction of the liquidus slope (valley or 'kink'), as well as the steepness of the slopes of the adjoining liquidus surfaces. The solidification can continue down the valley in a eutectic, or go over the adjoining liquidus surface if the slope permits it in a peritectic. In the example, the solidification continues in a peritectic way over the liquidus surface of phase X, until the liquid compositions reach the univariant boundary between X and PtAl₂. The solidification continues down the valley, until there is no more liquid to consume.

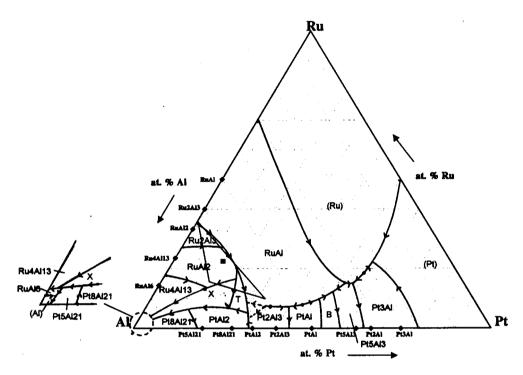


Figure 3.4. Sample 14 on the liquidus surface.

Pelton [1995Pel] presented the solidification of a ternary alloy in more detail. However, only stoichiometric line compounds were considered in the discussion.

It is possible that, in some cases, the path of so lidification crossed a liquidus surface of a phase which is not observed. In such a case, the phase probably was consumed during a peritectic reaction and it was not observed in the solidification microstructure, especially for a small liquidus surface. In cases where the two adjacent liquidus slopes are both very steep, the solidification path might have 'jumped' to the other surface before the univariant boundary between the two phases was reached.

Although the solidification occurred under non-equilibrium conditions, the Gibbs phase rule should be obeyed in the liquidus surface projection. For a ternary system at constant pressure, the phase rule becomes F=4-P, where F is the degrees of freedom and P is the number of phases. When the liquid and one solid phase are in equilibrium, P=2, thus F=2 and the system is bivariant. A ternary liquidus is thus a two-dimensional surface. At a ternary eutectic point, F=0 as the temperature and the composition for all four phases (liquid, α , β and γ) in equilibrium are fixed. Thus, in a ternary system, only three phases can be in equilibrium at any stage, so no more than three lines could meet in an invariant point on the liquidus surface.



3.5 Syntax and terminology

Solidification reaction sequences are sometimes written in "short hand", without indicating the remaining liquid on the right hand side of the equation. Thus, in this work, solidification reactions were written as

$$L \rightarrow \sim RuAl$$

 $L + \sim RuAl \rightarrow \sim PtAl_2$
 $L + PtAl_2 \rightarrow X$

with the above actually implying more explicitly, the following

$$L_1 \rightarrow L_2 + \sim RuAl$$

 $L_2 + \sim RuAl \rightarrow L_3 + \sim PtAl_2$
 $L_3 + \sim PtAl_2 \rightarrow X$

In some instances, a '~' sign is put in front of a binary phase. This indicates that the binary phase shows some solubility for the third element in the system, and that the phase is slightly changed from the pure binary phase. The '~' sign is also sometimes used to represent a non-stoichiometric binary phase.

The end members of the ternary phase diagram (the corners) are the solid solutions of aluminium, platinum and ruthenium, dissolving varying amounts of the other two elements in the system. These solid solutions are indicated in parentheses: (Al), (Pt) and (Ru).

A line compound describes a phase with no solubility range. A phase is stoichiometric when it appears at its stoichiometric composition in the phase diagram.



Chapter 4 Results and Discussion of the Experimental Investigation.

This chapter presents and discusses the results of the experimental work.

The first part of the chapter deals with the analyses of the alloy samples, evaluating the microstructures and proposing a solidification sequence. The XRD results and observations are discussed. An overall solidification sequence for the Al-Pt-Ru system is presented and a liquidus surface projection is proposed. Some conclusions are made from the experimental results.

4.1 Introduction

Sixteen samples were analysed in the as-cast condition. The alloy compositions of the alloys studied are shown in Figure 4.1. The targeted and analysed compositions are listed in Table 4.1. The microstructures were investigated in the SEM, the overall compositions determined and the phase compositions were analysed with EDS, and confirmed by XRD where possible.

Six samples (1-6) were initially selected. A further six (7-12) was prepared to shed more light and clarify discrepancies from the first six samples. A further three samples (13-15) were prepared to glean more information in unclear areas of the system. As new ternary phase was suspected, a final sample (16) was prepared, the composition of this sampled was specifically targeted in the are of this sample. Samples were not prepared for the high platinum side, since that have been covered in two previous studies [2001Big, 2001Hil]

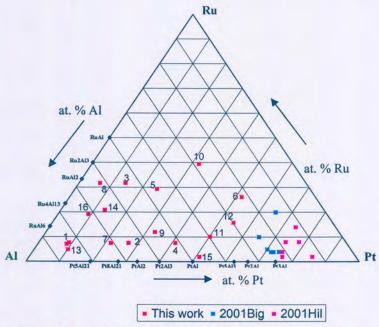


Figure 4.1. Overall compositions of the Al-Pt-Ru alloys studied.



Table 4.1. Targeted and analysed compositions for the experimental alloy samples.

Sample	Target	ed Composition	n (at. %)	Analys	ed Compositio	n (at. %)
	Al	Pt	Ru	Al	Pt	Ru
PAR 1	86	7	7	84	8.5	7.5
PAR 2	66	26	6	65	26.9	7.6
PAR 3	57	12	31	54.4	13.8	31.8
PAR 4	54	38	8	51.6	40.9	7.6
PAR 5	50	25	25	43.6	26.5	29.9
PAR 6	25	55	20	21.4	51.7	26.2
PAR 7	73	22	5	70.8	21.6	7.6
PAR 8	71	7	22	62.0	6.2	31.8
PAR 9	59	33	8	55.4	32.5	12.1
PAR 10	34	40	26	28	32.6	39.5
PAR 11	42	52	6	39.7	50.1	10.2
PAR 12	33	59	8	29.9	54.3	15.8
PAR 13	85	10	5	87.6	8.5	4
PAR 14	66	13	21	64.0	13.6	22.4
PAR 15	47	51	2	42.0	55.7	2.3
PAR 16	74	8	18	71.9	8.9	19.2

From Table 4.1 it can be seen that in most cases the analysed Al composition was lower than the targeted composition, while the Ru composition was higher. This was expected, as Al has a much lower melting point than both Pt and Ru. Since some unreacted Ru was observed in some samples, the lower Al content observation was not consistent throughout all the samples, e.g. PAR13, which showed a higher Al content in the analysed results than what was targeted.

Porosity was observed in a number of samples. This was probably due to the fast cooling rates and the presence of Al, which has a much lower solidification temperature and higher partial pressure than Pt and Ru, leading to vaporisation. It could also have been due to traces of water vapour, despite precautions, in the samples prior to the arc-melting.

4.2 Microstructures and proposed solidification sequences

Each alloy sample was analysed, the phases determined and a solidification sequence was proposed for each alloy. These are discussed here, the XRD results will be discussed separately in paragraph 4.3.

4.2.1 PAR 1 - Al_{86} : Pt_7 : Ru_7 alloy

The as-cast button was extremely brittle and crumbled into small pieces while clamping it in a vice to cut in half.

The PAR 1 alloy exhibited two distinctly different regions in the microstructure (Figure 4.2a and b). The composition of the two areas, however, was not significantly different. The origin of the two different structures is difficult to explain due to a lack of data, but,

since the coarser phase was observed mostly on the outside of the sample, it could be that columnar liquid dendrites with a very slight difference in composition formed and that it was enough to follow different solidification paths. The 'coarser' microstructure (Figure 4.2 d) shows light dendrites in a dark matrix, with some precipitation in the matrix. The 'finer' microstructure (Figure 4.2 c) shows a light phase coated by a darker phase in a dark matrix, also with some precipitation in the dark matrix.

The phase compositions are given in Table 4.2 and are plotted on a ternary projection in Figure 4.3.

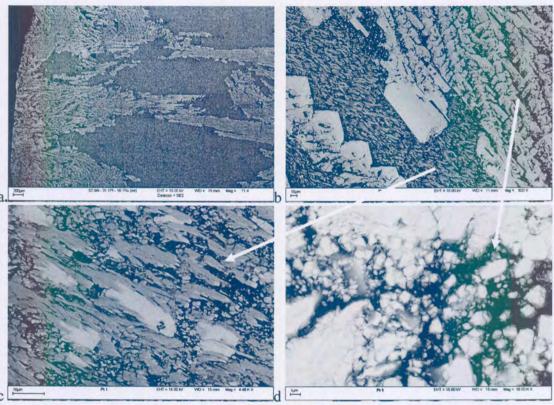


Figure 4.2. (a) and (b) show the two distinct different microstructure areas observed in the PAR1 alloy. (c) shows the detail of the finer (darker) microstructure and (d) shows the detail of the lighter, coarser microstructure area.



Table 4.2. Summary of phase and composition analysis for the PAR1 alloy.

Sample	Condition	Phase	Compositio	n		Proposed	No of
		Description	Al	Pt	Ru	phase(s)	analyses
PAR 1	Arc-	Overall	84.0 ± 0.6	8.5 ± 0.5	7.5 ± 0.6		5
	melted	Fine microstructure	84.3 ± 0.6	8.5 ± 0.6	7.2 ± 0.6		5
		Black	100			(Al)	3
		Grey	76.1 ± 1	10.5 ± 0.7	13.4 ± 0.6	X	10
		Light	75.1 ± 0.2	20.8 ± 0.5	4.1 ± 0.5	~Pt ₅ Al ₂₁	9
		Coarse microstructure	83.3 ± 0.6	8.9 ± 0.6	7.8 ± 0.6		5
		Black	100			(Al)	3
		Very light	75.1 ± 0.3	14.1 ± 1.3	10.8 ± 1.1	X	6
		Grayish	72.8 ± 0.2	13.9 ± 0.7	13.3 ± 0.7	~RuAl ₆	5

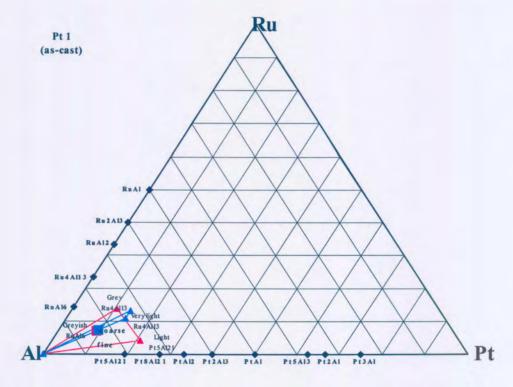


Figure 4.3. A ternary plot of the overall and phase compositions in the PAR 1 alloy.

In the 'coarse' microstructure, the ternary phase X solidified first in the liquid as dendrites. ~RuAl₆ then formed peritectically, coating the X-phase dendrites. The final liquid solidified eutectically, forming ~RuAl₆ and (Al).



In the 'fine' microstructure alloy, the primary phase is different to the primary phase in the coarse microstructure. $\sim Pt_5Al_{21}$ solidified from the liquid. The X phase coated the primary phase, indicating that it solidified peritectically. On the outside of the X, a phase is seen as small light specs, it is probably $\sim RuAl_6$ that has formed peritectically. The final liquid solidified eutectically, forming (Al) and a small amount of $\sim RuAl_6$.

From the phase and composition analyses of this alloy, the following solidification sequence is proposed

```
Coarse area
```

$$L \rightarrow X$$

 $L + X \rightarrow \sim RuAl_6$
 $L \rightarrow \sim RuAl_6 + (Al)$

Fine area

$$L \rightarrow \sim Pt_5Al_{21}$$

 $L + \sim Pt_5Al_{21} \rightarrow X$
 $L + X \rightarrow \sim RuAl_6$
 $L \rightarrow \sim RuAl_6 + (Al)$

Not all the proposed reactions were observed in the solidification microstructure, as the phases were too fine to identify all of them accurately.

Since the last part of the proposed solidification sequences for the two microstructures are the same, that one part of the liquid was slightly enriched in Ru and depleted in Pt relative to the other part, if columnar type solidification is assumed, leading to different primary solidification. The composition difference might have been big enough for such a phenomenon and the EDS technique may not have been sensitive enough to pick up the real composition difference.

The phases were very finely dispersed and it was difficult to analyse the phases accurately with EDS. Unfortunately, in this sample, most of the proposed phases did not have prototypes suggested in the literature, which made confirmation by XRD difficult/impossible. The solidification for this alloy thus has some uncertainty associated with it.

4.2.2 PAR 2 - Al₆₆: Pt₂₆: Ru₆ alloy

The PAR 2 alloy was extremely brittle and broke into pieces while fastening in a vice to cut the button-melt sample in half. The sample was also very porous.

The BSE images in Figure 4.4 show a light dendritic phase in a dark matrix. In the light phase, another dendritic structure can be observed. This is not a continuous dendrite, as can be seen in Figure 4.4(b).

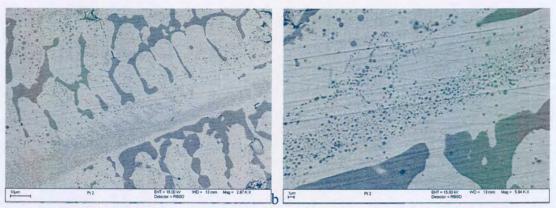


Figure 4.4. (a) shows the dendrite structure of PAR 2 and (b) shows the remnants of primary T in the light PtAl₂ dendrites.

Table 4.3 Summary of the phase and composition analyses for the PAR 2 alloy.

Sample Condition	Condition	Phase	Composition			Proposed	No of
		Description	Al	Pt	Ru	phase(s)	analyses
PAR 2 Arc- melted	Overall	65.5 ± 0.5	26.9 ± 0.4	7.6 ± 0.4		5	
	melted	Light	61.5 ± 0.3	32.6 ± 0.3	5.9 ± 0.5	~PtAl ₂	5
	Dark	70.5 ± 0.4	16.6 ± 0.2	12.9 ± 0.4	X	5	
		Two phase (in light phase)	64.0 ± 0.3	28.2 ± 0.2	38.8 ± 0.3	T+~PtAl ₂	5

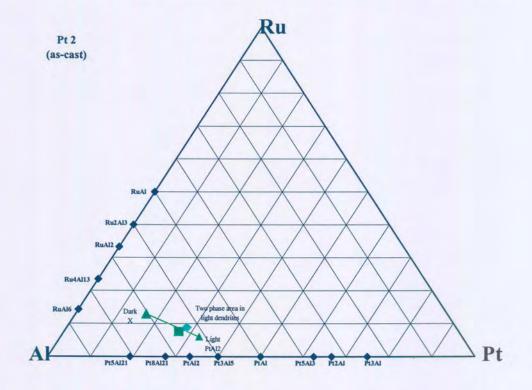


Figure 4.5. A ternary plot of the overall and phase compositions in the PAR 2 alloy.



The phase compositions determined by EDS analyses are listed in Table 4.3 and have been plotted on a ternary projection in Figure 4.5.

The PAR 2 alloy first solidified from the liquid by forming phase T dendrites. Phase T is a proposed new ternary phase of composition Ru₁₈Pt₂₈Al₆₄. The liquid then reacted peritectically with phase T to form PtAl₂. Most of the T was consumed in the peritectic reaction, leaving traces of phase T dendrites in the PtAl₂ dendrites. This is confirmed by EDS analysis, which found the composition of the two-phase area to be between the phase T composition and PtAl₂ composition (Figure 4.5 d). The last liquid transformed eutectically to PtAl₂ and phase X, a ternary phase stable at low temperatures.

The proposed solidification sequence can be summarised as follows:

$$L \rightarrow T$$

 $L + T \rightarrow \sim PtAl_2$
 $L \rightarrow \sim PtAl_2 + X$

Any remaining T decomposed $T \rightarrow X + \sim PtAl_2$

4.2.3 PAR 3 - Al₅₇:Pt₁₂:Ru₃₁ alloy

The PAR 3 alloy showed limited brittleness and little porosity.

The BSE images in Figure 4.6 show a dark grey dendritic phase in a light matrix. The dark grey dendrites are coated by a black phase. Between the dark grey dendrites and black phase, a fine two-phase area formed. On the outside of the black phase, another fine grey phase formed. A two-phase area also exists between the black and fine grey phase. Some of the grey phase is in the light matrix phase.

The phase compositions determined by EDS analyses are listed in Table 4.4 and have been plotted on a ternary projection in Figure 4.7.

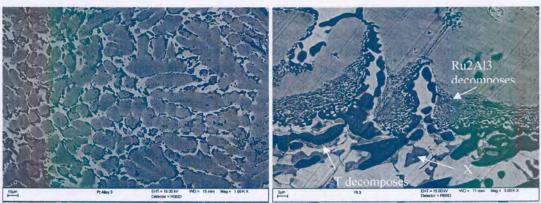


Figure 4.6. BSE images of PAR 3. (a) shows the overall microstructure. (b) shows the X phase as well as the two areas where Ru₂Al₃ and T decomposed.

Table 4.4. Summary of phase and composition analysis for the PAR 3 alloy.

Sample	Condition	Condition Phase Description		n	Proposed	No of	
				Pt	Ru	phase(s)	analyses
PAR 3 Arc- melted	Overall	65.5 ± 0.8	26.9 ± 0.9	7.6 ± 0.9		5	
	Grey dendrites	49.4 ± 3	12.3 ± 1	38.3 ± 3.2	~RuAl	5	
		Dark	63.2 ± 1.1	1.3 ± 0.5	36.6 ± 1.8	~RuAl ₂	5
		Light	57.3 ± 1.3	31.1 ± 1	11.6 ± 1.9	~PtAl ₂	5
		Darker Grey	69.6 ± 1.1	14.0 ± 1.4	16.4 ± 1.9	X	8

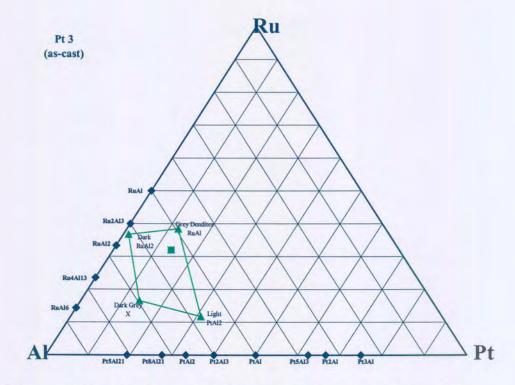


Figure 4.7 A ternary plot of the overall and phase compositions in the PAR 3 alloy.

The liquid first solidified as \sim RuAl, the grey primary dendrite phase. Through a peritectic reaction, Ru₂Al₃ formed, coating the \sim RuAl dendrites. The Ru₂Al₃ reacted with the liquid to form \sim RuAl₂, the black phase. The solidification then proceeded in one of two ways: either the \sim RuAl₂ reacted with the liquid to form X, which was consumed in a subsequent peritectic reaction between the liquid and X, or the \sim RuAl₂ reacted with the liquid to form a ternary phase T, which coated the \sim RuAl phase before it formed X, a ternary phase, through a peritectic reaction. Ru₂Al₃ decomposed through a solid-state reaction to \sim RuAl and \sim RuAl₂, thus explaining the dark 'messy' two-phase structure that coated the primary \sim RuAl dendrites. The ternary phase T also decomposed at lower temperatures, which explained the fine structures between \sim RuAl₂ and the ternary phase X.

The proposed solidification sequence can be summarised as follow:

 $L \rightarrow \sim RuAl$

 $L + \sim RuAl \rightarrow Ru_2Al_3$

 $L + Ru_2Al_3 \rightarrow \sim RuAl_2$

The solidification probably progressed in one of two ways

 $L + \sim RuAl_2 \rightarrow T$

OR

 $L + \sim RuAl_2 \rightarrow X$

 $L \rightarrow T + X$

 $L + X \rightarrow \sim PtAl_2$

Ru₂Al₃ decomposed in the solid state:

 $Ru_2Al_3 \rightarrow \sim RuAl + \sim RuAl_2$

4.2.4 PAR4 - Al54: Pt38: Ru8 alloy

The PAR4 alloy showed some brittleness and the sample broke into four equal pieces when fastened in a vice for cutting.

The BSE images in Figure 4.8 show dark cored dendrites coated by a light phase in a medium matrix. The light coating phase is not continuous; a fine structure is present in it.

The phase compositions determined by EDS analyses are listed in Table 4.5 and have been plotted on a ternary projection in Figure 4.9.

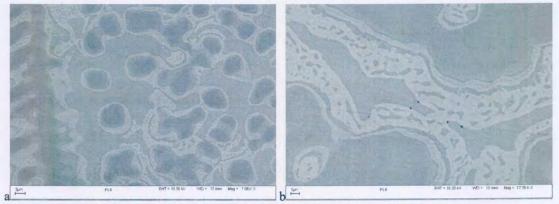


Figure 4.8. BSE images of PAR 4. (a) shows dark primary ~RuAl dendrites, coated by a PtAl layer (the light phase) in a Pt₂Al₃ matrix. (b) shows the detail of the PtAl coating layer.

Table 4.5. Summary of phase and composition analysis for the PAR4 alloy.

Sample	Condition	Phase	Composition			Proposed	No of
	Description	Al	Pt	Ru	phase(s)	analyses	
PAR4	Arc-	Overall	51.6 ± 0.5	40.9 ± 3	7.6 ± 3.2		5
melted	Dark	45.3 ± 1.2	27.3 ± 1.4	27.4 ± 1.6	~RuAl	7	
		Medium	55.2 ± 0.6	44.8 ± 0.6	0	Pt ₂ Al ₃	6
		Light	47.4 ± 2	52.6 ± 2	0	PtAl	6

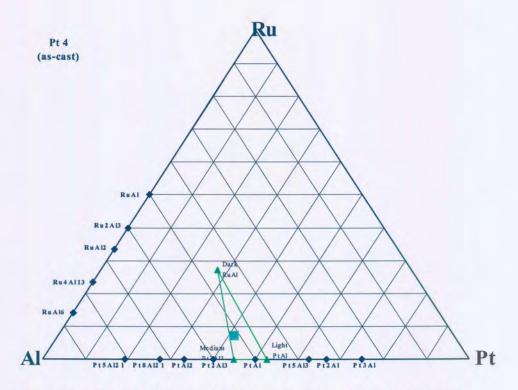


Figure 4.9. A ternary plot of the overall and phase compositions in the PAR 4 alloy.

The RuAl phase solidified as primary dendrites in the liquid. ~RuAl then reacted peritectically with the liquid to form PtAl, which coated the RuAl dendrites. PtAl reacted peritectically with the liquid to form Pt₂Al₃. The peritectic reaction changed to solidify the final liquid eutectically. The change in the reaction was probably due to a change in the relative stabilities of the phases with respect to each other. Since the final liquid was possibly depleted of Ru, the eutectic solidification of liquid proceeded according to the Al-Pt binary, where an eutectic reaction exists between PtAl and Pt₂Al₃.

The proposed solidification sequence is as follows:

 $L \rightarrow \sim RuAl$ $L + \sim RuAl \rightarrow PtAl$ $L + PtAl \rightarrow \sim Pt_2Al_3$ which changed to $L \rightarrow PtAl + \sim Pt_2Al_3$

(The peritectic reaction $L + \sim RuAl \rightarrow PtAl$ was found to be actually the eutectic reaction $L \rightarrow \sim RuAl + PtAl$ after studying a 600°C (4 weeks) heat-treated sample.)

The overall analysis of this sample is on the RuAl liquid surface, which indicates that RuAl phase stretches to ~10 at. % from the Al-Pt binary.

4.2.5 PAR5 - Al₅₀:Pt₂₅:Ru₂₅ alloy

The PAR5 alloy was extremely brittle and it disintegrated into small pieces without a strong external force.

The BSE microstructure i mages in Figure 4.10 show a dark dendritic p hase in a light matrix. The light matrix consists of two very fine light phases (Figure 4.10 b).

The phase compositions determined by EDS analyses are listed in Table 4.6 and have been plotted on a ternary projection in Figure 4.11.

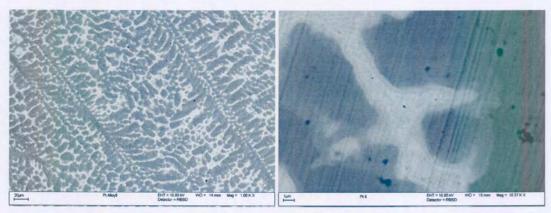


Figure 4.10. BSE image on the right showing dark ~RuAl dendrites in a light two-phase matrix. The light matrix consists of PtAl and Pt₅Al₃, which is the very light phase.

Table 4.6. Summary of phase and composition analysis for the PAR 5 alloy.

Sample	Condition	Phase	Composition			Proposed	No of
		Description	Al	Pt	Ru	phase(s)	analyses
PAR5	Arc-	Overall	43.6 ± 0.9	26.5 ± 0.8	29.9 ± 1.3		5
melted	Dark	45.0 ± 0.9	16.9 ± 0.4	38.1 ± 0.9	~RuAl	7	
		Light	46.8 ± 0.9	51.6 ± 2.4	1.6 ± 2.3	PtA1+	7
		Very Light	43.3±0.5	49.3±0.4	7.4±0.2	Pt ₅ Al ₃	

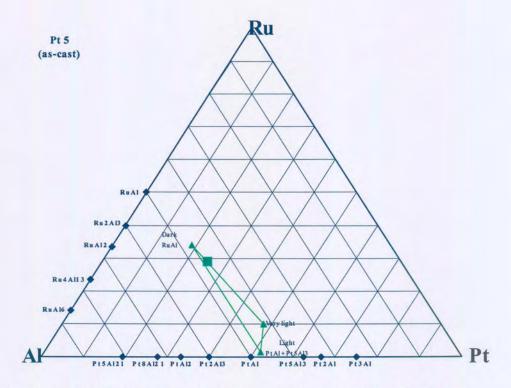


Figure 4.11. A ternary plot of the overall and phase compositions in the PAR 5 alloy.

The liquid solidified as primary \sim RuAl dendrites, and showed some coring on the edges. The remainder of the liquid probably solidified as β phase, which decomposed in the solid state (below 1533 K) to two phases – PtAl and Pt₅Al₃. These two phases were too fine to analyse accurately individually.

The solidification can be summarised as follow:

L $\rightarrow \sim \text{RuAl}$ L + $\sim \text{RuAl} \rightarrow \beta$ β decomposed in the solid-state: $\beta \rightarrow \sim \text{PtAl} + \text{Pt}_5 \text{Al}_3$

4.2.6 PAR6 - Al25:Pt55:Ru20 alloy

The PAR6 alloy was the benchmarking alloy of this study, as it has the same composition as the lowest Pt-content sample of a series of Pt-Al-Ru alloys studied by Biggs [2001Big1]. The results are in good agreement. Unlike most of the other alloys, this alloy was ductile.

The BSE microstructure (Figure 4.12) shows big long dark needles in a light matrix, with some finer dark needles and irregular-shaped 'blobs' in the areas between the big long needles. The big long needles appear in a fan-like structure, and dissect through each other.

The phase compositions determined by EDS analyses are listed in Table 4.7 and have been plotted on a ternary projection in Figure 4.13.

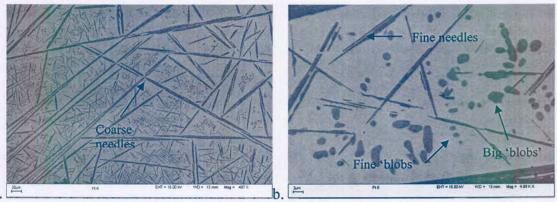


Figure 4.12. (a) The BSE image of PAR 6. (a) shows the long dark (Ru) needles in the light ~Pt₃Al matrix, with a finer dark phase present between the long needles. (b) shows that the fine (Pt) blob-like phase, and the finer (Ru) needles which formed in the ternary eutectic.

Table 4.7. Summary of phase and composition analysis for the PAR 6 alloy.

Sample	Condition	Phase	Phase Composition			Proposed	No of
		Description	Al	Pt	Ru	phase	analysis
PAR6 Arc-melted	Overall	21.4 ± 0.7	51.7 ± 0.5	26.2 ±		5	
	Light Matrix	28.6 ± 0.8	69.5 ± 0.8	1.9 ± 0.5	~Pt ₃ Al	7	
		Dark needles (big and fine) and big blobs	1.8 ± 0.6	17.8 ± 1.1	80.4 ± 1.6	(Ru)	7
		Dark fine blobs	29.0 ± 1.2	68.7 ± 1.7	2.3 ± 1.1	(Pt)	7

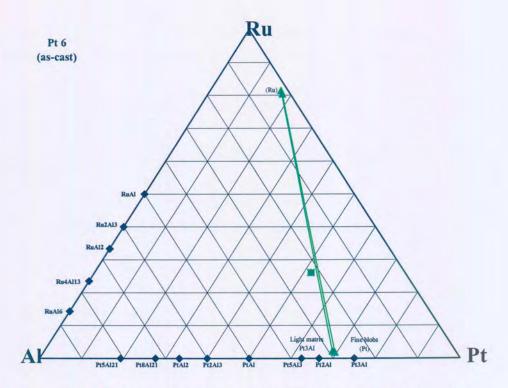


Figure 4.13. A ternary plot of the overall and phase compositions in the PAR 6 alloy.

The PAR 6 alloy solidified by primary (Ru) needles growing in the liquid. The needles probably only thickened after their formation, since it appears as if they are pinched where they have grown through each other. This was probably followed by a eutectic reaction from the liquid, forming (Ru) and ~Pt₃Al, the light matrix. The binary eutectic was followed by a ternary eutectic, forming (Ru), ~Pt₃A and (Pt).

Coarser and finer needles appear in the microstructure. Both needles have a similar morphology. The big needles are primary (Ru), while the fine needles are (Ru) formed from the ternary eutectic reaction. The cross-section of the needles is irregular and appears 'blob'-like, with the larger 'blobs' corresponding to (Ru). The finer 'blobs' are (Pt) which formed in the ternary eutectic reaction. These are indicated in Figure 4.12 b.

The ternary eutectic has not been reported by Biggs [2001Big1].

The proposed solidification sequence can be summarised as:

$$L \rightarrow (Ru)$$

$$L \rightarrow (Ru) + \sim Pt_3A1$$

$$L \rightarrow (Ru) + \sim Pt_3Al + (Pt)$$

4.2.7 PAR7 - Al73:Pt22:Ru5 alloy

The as-cast alloy was extremely brittle and broke into pieces even during repeated arcmelting to homogenise the sample. It could, therefore, only be partially melted together. The as-cast alloy was very porous, which made it difficult to prepare a smooth surface metallographically.

The BSE microstructure (Figure 4.14 a) shows light dendrites in a darker matrix. The dendrites are not homogeneous (Figure 4.14 b), another phase can be observed in the light dendrites.

The phase compositions determined by EDS analyses are listed in Table 4.8 and have been plotted on a ternary projection in Figure 4.15.

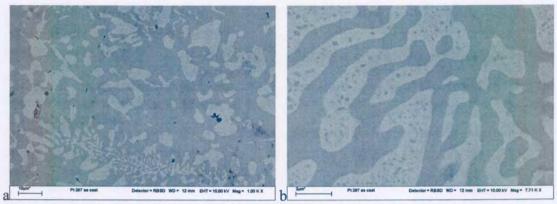


Figure 4.14. The BSE images of PAR 7. (a) shows white PtAl₂ dendrites in a darker X matrix. (b) shows precipitates of X in the PtAl₂ dendrites.

Table 4.8. Summary of phase and composition analysis for the PAR 7 alloy.

Sample Condition	Phase	Composition			Proposed	No of	
		Description	Al	Pt	Ru	phase(s)	analyses
PAR 7 Arc-melted	Overall	70.8 ± 0.4	21.6 ± 0.4	7.6 ± 0.6		5	
	melted	Light	67.9 ± 1	32.1 ± 1	0	PtAl ₂	5
		Dark	72.1 ± 1.2	18.4 ± 1.2	9.5 ± 2.2	X	8

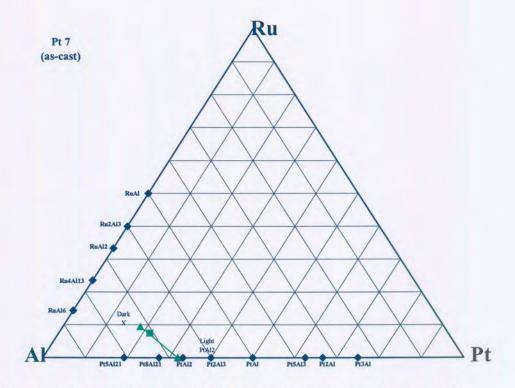


Figure 4.15. A ternary plot of the overall and phase compositions in the PAR 7 alloy.

The PAR 7 alloy solidified forming primary PtAl₂ dendrites in the liquid. The final volume of the liquid solidified eutectically, forming PtAl₂ and X. The fine phase present in the primary PtAl₂ dendrites are the X phase. This can either be due to the precipitation of the X phase because of a sloping solvus, or because the dendrites were probably wetted by the liquid, and small liquid 'pockets' remained in the dendrites, which then solidified as X phase.

The proposed solidification sequence is as follows:

$$L \rightarrow PtAl_2$$

 $L \rightarrow PtAl_2 + X$

4.2.8 PAR 8 - Al₇₁:Pt₇:Ru₂₂ alloy

The PAR 8 alloy was brittle and porous.

The BSE image (Figure 4.16 a) shows dark dendrites in a medium matrix. An irregular very light phase is present in the matrix(Figure 4.16 b).

The phase compositions determined by EDS analyses are listed in Table 4.9 and have been plotted on a ternary projection in Figure 4.17.

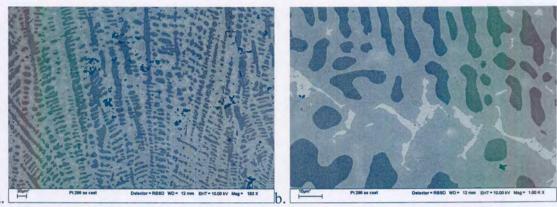


Figure 4.16. BSE images of PAR 8. (a) shows dark \sim RuAl dendrites in a medium grey X phase. A very light phase \sim PtAl₂ is present in the medium grey phase. (b) shows the microstructure in more detail.

Table 4.9. Summary of phase and composition analysis for the PAR 8 alloy.

Sample Condition	Phase	Composition			Proposed	No of	
	Description	Al	Pt	Ru	phase(s)	analyses	
PAR 8 Arc-	Overall	62.0 ± 0.5	6.2 ± 0.4	31.8 ± 0.7		5	
	melted	Medium	67.0 ± 0.6	10.4 ± 0.3	22.6 ± 0.7	X	7
		Dark	56.2 ± 0.8	0	41.2 ± 0.8	~RuAl	7
		Very light	61.7 ± 1	30.4 ± 1.2	7.9 ± 1.1	~PtAl ₂	7

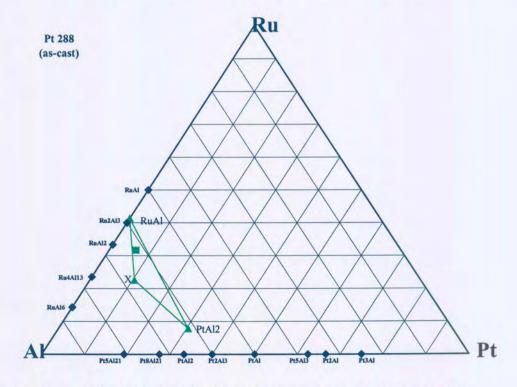


Figure 4.17. A ternary plot of the overall and phase compositions in the PAR 8 alloy.



Primary ~RuAl dendrites solidified from the liquid. The ~RuAl reacted peritectically with the liquid to form ~RuAl₂, which subsequently reacted with the liquid to form X, a ternary phase. The final liquid reacted with X to form ~PtAl₂, the white phase.

From the EDS analysis it seemed that the final peritectic reaction consumed all the ~RuAl₂ phase, as it was not detected.

The proposed solidification sequence is as follows:

 $L \rightarrow \sim RuAl$

 $L + \sim RuAl \rightarrow \sim RuAl_2$

 $L + \sim RuAl_2 \rightarrow X$

 $L + X \rightarrow \sim PtAl_2$

However, when comparing the proposed solidification sequence with the proposed liquidus surface projection, Ru_2Al_3 should have formed. It was thus assumed that a small amount Ru_2Al_3 did form, but that it was consumed in the subsequent peritectic reaction. The solidification sequence probably was as follows:

 $L \rightarrow \sim RuAl$

 $L + \sim RuAl \rightarrow Ru_2Al_3$

 $L + Ru_2Al_3 \rightarrow \sim RuAl_2$

 $L + \sim RuAl_2 \rightarrow X$

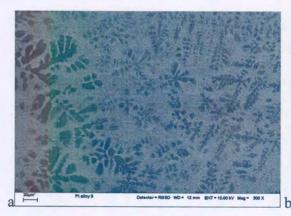
 $L + X \rightarrow \sim PtAl_2$

4.2.9 PAR 9 - Al₅₉:Pt₃₃:Ru₈ alloy

The PAR 9 alloy was brittle.

Only two phases were observed in the BSE microstructure (Figure 4.18). The primary dendrite phase shows coring.

The phase compositions determined by EDS analyses are listed in Table 4.10 and have been plotted on a ternary projection in Figure 4.19.



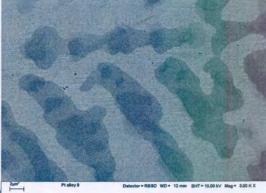




Figure 4.18. BSE microstructure of PAR 9. (a) shows the dendritic structure. (b) shows the coring of the dark grey ~RuAl phase.

Table 4.10. Summary of phase and composition analysis for the PAR 9 alloy.

Sample Condition		Phase	Composition			Proposed	No of
		Description	Al	Pt	Ru	phase(s)	analyses
PAR9 Arc-melted	Arc-	Overall	55.4 ± 1.2	32.5 ± 0.6	12.1 ± 1		5
	Light	60.4 ± 0.2	39.6 ± 0.2	0	Pt ₂ Al ₃	6	
		Dark	47.6 ± 0.7	20.6 ± 0.4	31.8 ± 0.9	~RuAl	5

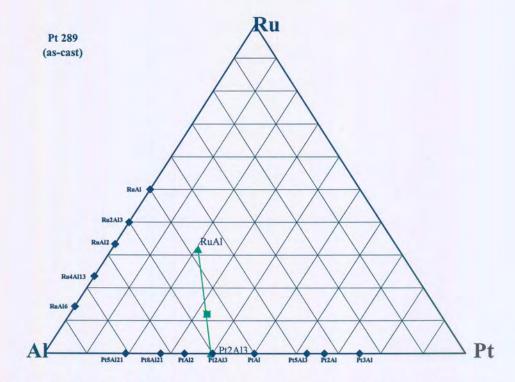


Figure 4.19. A ternary plot of the overall and phase compositions in the PAR 9 alloy.

The liquid solidified forming primary \sim RuAl dendrites. The dendrites showed coring. The final liquid reacted peritectically with the liquid to form Pt₂Al₃.

The proposed solidification sequence is as follows:

 $L \rightarrow \sim RuAl$

 $L + \sim RuAl \rightarrow Pt_2Al_3$

4.2.10 PAR10 - Al34:Pt40:Ru26 alloy

The PAR 10 alloy was ductile.

The low magnification BSE image of the as-cast microstructure (Figure 4.20 a) shows long, directional dark 'feather-like' dendrites in a light matrix. In some areas it looked as if there were 'blotches' clouding the clear dendrite image. In these blotchy areas the dark dendrites were coated with a lighter phase as can be seen in Figure 4.20 (b). In the areas between the dendrites a fine 'eutectic' structure was observed.

The phase compositions determined by EDS analyses are listed in Table 4.11 and have been plotted on a ternary projection in Figure 4.21.

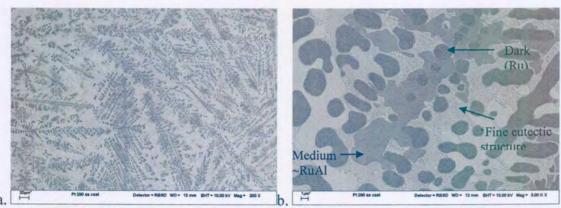


Figure 4.20. BSE images of PAR10. (a) shows the 'feather-like' dendrite solidification structure, with some areas which appear 'cloudy'. In the close up, (b), the dark (Ru) needles, coated by a medium phase, \sim RuAl in a light (Pt₅Al₃ + PtAl) matrix. Between the dendrites, a fine eutectic structure is visible.

Table 4.11. Summary of phase and composition analysis for the PAR 10 alloy.

Sample Condition	Condition	Phase	Compositio	n		Proposed	No of
		Description		Pt	Ru	phase(s)	analyses
PAR Arc- 10 melted	Overall	28.0 ± 0.6	32.6 ± 0.5	39.5 ± 1		5	
	Light matrix	40.5 ± 3.6	59.5 ± 3.6	0	(PtAl + Pt ₅ Al ₃)	3	
		Dark	3.4 ± 0.3	3.4 ± 0.3	93.3 ± 0.6	(Ru)	11
		Medium	42.3 ± 0.7	21.3 ± 0.6	36.4 ± 0.8	~RuAl	5

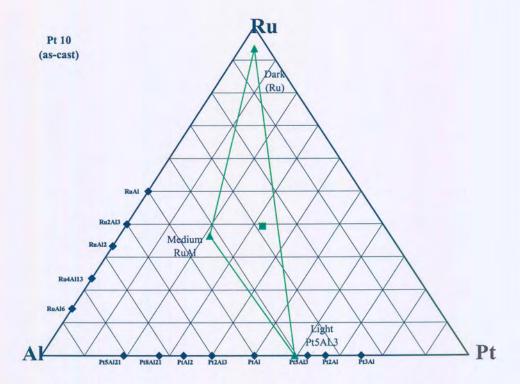


Figure 4.21 A ternary plot of the overall and phase compositions in the PAR 10 alloy.

(Ru) solidified as the primary phase with needles growing in the liquid, before it reacted with the liquid to form \sim RuAl. The \sim RuAl reacted with the remaining liquid to form β . The reaction transformed to a eutectic reaction due to more favourable thermodynamic conditions. β decomposed in the solid state to Pt₅Al₃ and PtAl, as it is unstable below 1533 K. More Pt₅Al₃ than PtAl was observed, as the composition was far to the platinum side of the β phase.

The proposed solidification sequence is as follows:

 $L \rightarrow (Ru)$ $L + (Ru) \rightarrow \sim RuAl$ $L + RuAl \rightarrow \beta$ which changed to $L \rightarrow RuAl + \beta$

β decomposed by solid state reaction:

 $\beta \rightarrow Pt_5Al_3 + PtAl$

4.2.11 PAR 11 - Al42:Pt52:Ru6 alloy

PAR11 did not show any brittleness.

The BSE microstructure (Figure 4.22) shows a dark dendrite, coated by a lighter phase, in a light matrix. At a higher magnification (Figure 4.22 b), both the dark and medium phases show the presence of another phase, very finely dispersed, in it.

The phase compositions determined by EDS analyses are listed in Table 4.12 and have been plotted on a ternary projection in Figure 4.23.

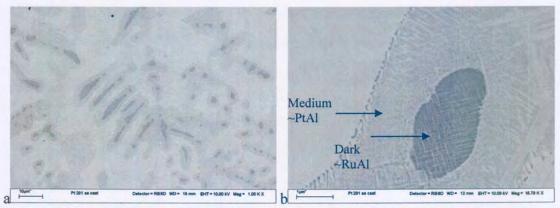


Figure 4.22. BSE images of PAR 11. (a) shows the dendritic structure of the alloy. (b) clearly shows the presence of a fine phase in the dark dendrite phase as well as the area surrounding the dark dendrite.

Table 4.12. Summary of phase and composition analysis for the PAR 11 alloy.

Sample Condition	Phase	Compositio	n		Proposed	No of	
	Description	Al	Pt	Ru	phase(s)	analyses	
PAR	Arc-	Overall	39.7 ± 0.8	50.1 ± 0.9	10.2 ± 1.1		9
11	melted	Light matrix	37.6 ± 0.4	62.4 ± 0.4	0	Pt ₅ Al ₃	4
	Dark *	42.4 ± 0.7	23.5 ± 0.8	34.1 ± 0.9	~RuAl	7	
		Medium *	49.9 ± 0.9	44.4 ± 3.3	12.6 ± 2.8	~PtAl	7

^{*} bulk phase composition, as a finely dispersed second phase is present in the bulk phase, the fine phase was too fine to analyse with EDS.

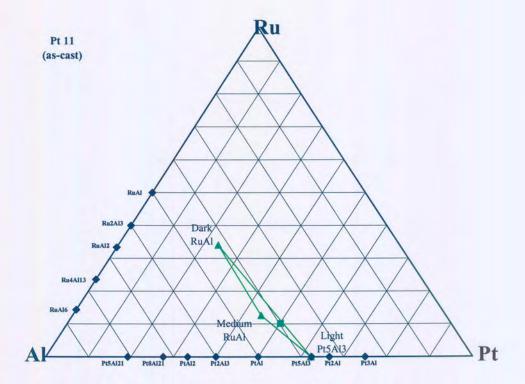


Figure 4.23. A ternary plot of the overall and phase compositions in the PAR 11 alloy.

The liquid solidified as primary \sim RuAl dendrites (these dark dendrites were very fine and their size on the limit of the spatial resolution of EDS). The dendrites were coated with β phase when the liquid reacted peritectically with the \sim RuAl to form β . The final of the liquid then solidified as Pt₅Al₃ through a peritectic reaction between the liquid and β . The β -phase decomposed at lower temperatures to Pt₅Al₃ and PtAl.

There is also a fine phase present in the dark ~RuAl dendrites. Although it was too fine to analyse accurately with EDS, it is proposed that it is Pt₅Al₃. It probably appeared in the ~RuAl phase due to a solid-state precipitation of Pt₅Al₃ because of a sloping solvus.

The proposed solidification sequence is:

L → ~RuAl

 $L + \sim RuAl \rightarrow \beta$

 $L + \beta \rightarrow Pt_5Al_3$

A solid-state transformation is observed after the solidification:

 $\beta \rightarrow Pt_5Al_3 + PtAl$

4.2.12 PAR 12 - Al33:Pt59:Ru8 alloy

PAR 12 was a small and dense button-melt sample. It was ductile, but showed some porosity in the microstructure.

The BSE images (Figure 4.24) show fine dark primary needles formed in a light matrix. The microstructure appeared similar to the PAR 6, but the needles in PAR 12 were finer and also did not show the distinct fan-like structure of PAR 6. Where the sample preparation has cut through a needle, it showed that these were thin flat needles (Figure 4.24 b), and not round and blob-like as the needles in PAR 6.

The phase compositions determined by EDS analyses are listed in Table 4.13 and have been plotted on a ternary projection in Figure 4.25.

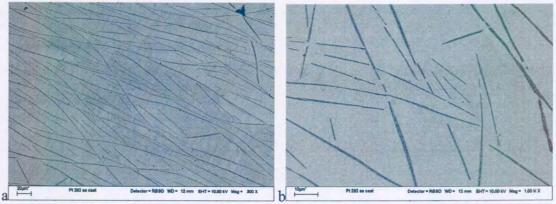


Figure 4.24. BSE images of PAR 12. (a) shows long thin and small fine (Ru) needles in a light Pt₃Al matrix. (b) shows the microstructure at a higher magnification.

Table 4.13. Summary of phase and composition analysis for the PAR 12 alloy.

Sample	Condition	Phase Description	Composition			Proposed	No of
			Al	Pt	Ru	phase(s)	analyses
PAR12	Arc- melted	Overall	29.9 ± 0.6	54.3 ± 0.7	15.8 ± 0.6		5
		Light matrix	34.9 ± 0.4	65.1 ± 0.4	0	Pt ₃ Al	9
		Dark needles	0	10.2 ± 2.3	89.8 ± 2.3	(Ru)	7

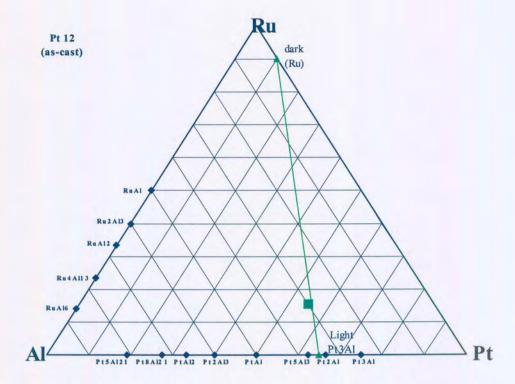


Figure 4.25. A ternary plot of the overall and phase compositions in the PAR 12 alloy.

Fine dark primary (Ru) needles formed from the liquid, before reacting with the liquid to form Pt₃Al by a peritectic reaction. The needles were finer than the ones observed in the as-cast PAR6 alloy, and also did not show the distinct fan-like structure of the PAR6 needles.

The proposed solidification sequence is as follows:

$$L \rightarrow (Ru)$$

 $L + (Ru) \rightarrow Pt_3Al$

4.2.13 The PAR 13- Al85: Pt10: Ru5 alloy

The alloy was brittle and cracked easily.

The BSE microstructure (Figure 4.26 a and b) shows light primary dendrites in a dark matrix. On the edge of the dendrites a fine lighter phase is observed (Figure 4.24 c), which formed peritectically. Between the dendrites, an eutectic structure formed (Figure 4.24 d).

The phase compositions determined by EDS analyses are listed in Table 4.14 and have been plotted on a ternary projection in Figure 4.25.

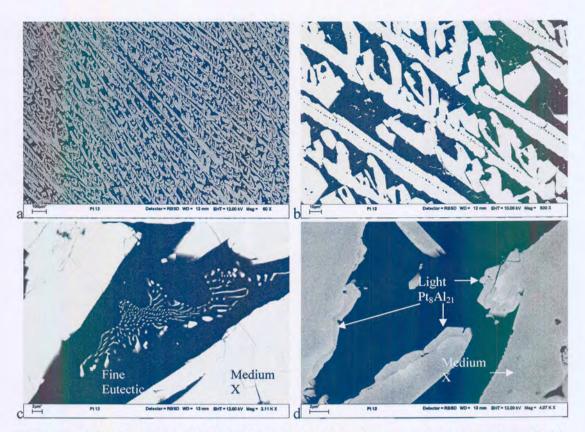


Figure 4.26. BSE images of PAR 13. (a) and (b) show the general microstructure. In (c) the ternary eutectic structure between the primary X dendrites can be seen. (d) shows the presence of another phase (lighter than dendrites) on the edges of the X dendrites.

Table 4.14. Summary of phase and composition analysis for the PAR 13 alloy.

Sample	Condition	Phase Description	Composition			Proposed	No of
			Al	Pt	Ru	phase(s)	analyses
PAR13	Arc- melted	Overall	87.6 ± 0.4	8.5 ± 0.4	4.0 ± 0.4		5
		Medium	73.4 ±0.4	17.1 ± 0.8	9.5 ± 0.7	X	5
		Light	76.8 ± 0.7	24.2 ± 0.8	0	Pt ₈ Al ₂₁	5
		Dark	100	0	0	(Al)	5

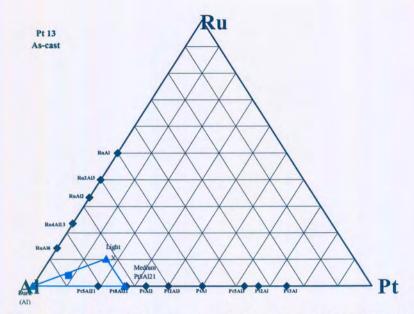


Figure 4.27 A ternary plot of the overall and phase compositions in the PAR 13 alloy.

The microstructure shows light primary X facetted crystals in a dark (Al) matrix. On the edge of the crystals, Pt₈Al₂₁, formed peritectically. The final liquid solidified eutectically, forming Pt₅Al₂₁ and (Al).

The proposed solidification sequence is:

$$L \rightarrow X$$

 $L + X \rightarrow Pt_8Al_{21}$
 $L \rightarrow Pt_5Al_{21} + (Al)$

Another reaction probably occurred between the last two reactions, as there should be continuity of the phases between the different steps of the proposed solidification sequence. However, it has not been observed.

4.2.14 The PAR14- Al66: Pt13: Ru21 alloy

The sample was brittle and fractured easily.

The BSE microstructure reveals three distinct phases (Figure 4.28). Dark dendrites are coated by a medium phase in a light matrix.

The phase compositions determined by EDS analyses are listed in Table 4.15 and have been plotted on a ternary projection in Figure 4.29.

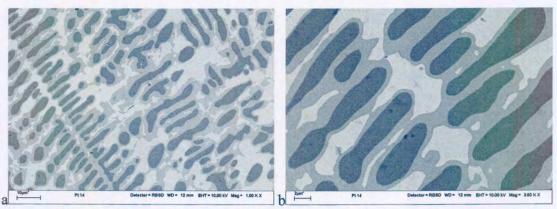


Figure 4.28. BSE images of PAR 14. (a) shows the dark RuAl₂ dendrites surrounded by a medium X phase in a light ~PtAl₂ matrix. (b) shows a higher magnification of the microstructure.

Table 4.15. Summary of phase and composition analysis for the PAR 14 alloy.

Sample	Condition	Phase Description	Composition			Proposed	No of
			Al	Pt	Ru	phase(s)	analyses
PAR14	Arc- melted	Overall	64.0 ± 0.4	13.6 ± 0.4	22.4 ± 0.2		5
		Light	57.8 ± 0.6	32.4 ± 1.1	9.8 ± 0.9	~PtAl ₂	7
		Medium	69.7 ± 0.5	13.9 ± 0.7	16.4 ± 1.0	X	7
		Dark	63.9 ± 0.5	0	36.1 ± 0.5	RuAl ₂	7

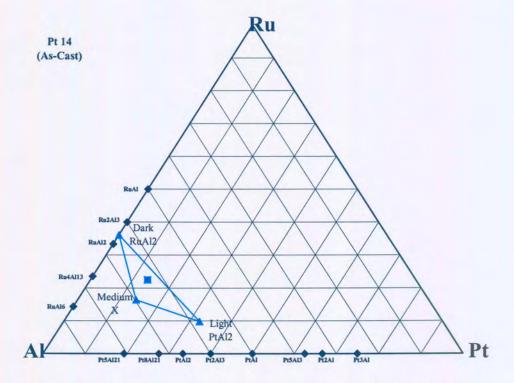


Figure 4.29. A ternary plot of the overall and phase compositions in the PAR 14 alloy.



The primary dendrites of RuAl₂ formed in the liquid. The liquid then reacted with the RuAl₂ peritectically and formed X, which coated the primary dendrites. This was followed by another peritectic reaction where ~PtAl₂ formed from the liquid and X

The proposed solidification sequence is:

 $L \rightarrow RuAl_2$ $L + RuAl_2 \rightarrow X$ $L + X \rightarrow \sim PtAl_2$

4.2.15 The PAR 15- Al47:Pt51:Ru2 alloy

The PAR 15 alloy did not show any brittleness.

The BSE images show 'island', with a two-phase structure in them, in a matrix that also shows a finer structure (Figures 4.30 a and b). The two fine phases differ in appearance (Figures 4.30 c and d).

The phase compositions determined by EDS analyses are listed in Table 4.16 and have been plotted on a ternary projection in Figure 4.31.

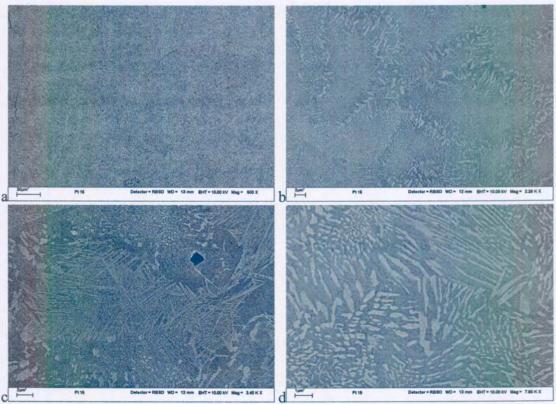


Figure 4.30. (a) shows the overall microstructure of PAR 15. (b) shows the 'grain'-like structure. (c) shows the solid state decomposition of a primary β grain while (d) shows the difference in decomposition microstructures.

Table 4.16. Summary of phase and composition analysis for the PAR 15 alloy.

Sample	Condition	Phase	Compositio	n	Proposed	No of	
		Description	Al	Pt	Ru	phase(s)	analyses
PAR15	Arc- melted	Overall	42.0 ± 0.3	55.7 ± 0.8	2.3 ± 0.7		5
		Light	35.0 ± 0.4	61.9 ± 0.6	3.1 ± 0.5	~Pt ₅ Al ₃	5
		Dark	45.2 ± 0.2	52.1 ± 0.7	2.7 ± 0.6	~PtAl	5

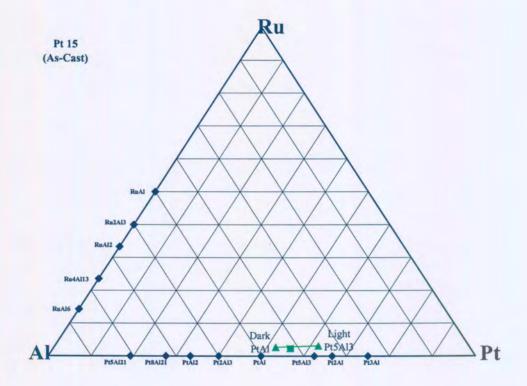


Figure 4.31. A ternary plot of the overall and phase compositions in the PAR 15 alloy.

Primary discrete β phase 'islands' formed in the liquid. The reaction then changed to a eutectic reaction where β and $\sim Pt_5Al_3$ formed from the liquid. The β phase decomposed below 1533 K to $\sim PtAl$ and $\sim Pt_5Al_3$. Inside the 'islands' it was only β phase decomposing; in the matrix as $\sim Pt_5Al_3$ was already present before the β decomposed, resulting in two different microstructures of $\sim PtAl$ and $\sim Pt_5Al_3$ in the primary 'islands' and in the eutectic mixture. This is illustrated schematically in Figure 4.32.

The proposed solidification sequence is:

$$L \rightarrow \beta$$

$$L \rightarrow \beta$$
" + ~ Pt_5Al_3

(β ' is the primary β phase which formed form the liquid, β '' is the eutectically formed β phase)



The β phase then decomposes $\beta \rightarrow \sim PtAl + \sim Pt_5Al_3$

The development of the solidification microstructure is illustrated in Figure 4.32. Primary β particles forms from the liquid (showed as β '). The remainder of the liquid solidifies eutectically, leaving the β ' in a β '' and \sim Pt₅Al₃ matrix. The β phase then decomposes to \sim PtAl and \sim Pt₅Al₃, as described above.

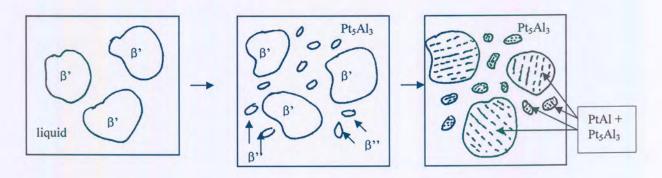


Figure 4.32. Schematic development of the solidification microstructure of the PAR15 alloy.

4.2.16 The PAR 16- Al74: Pt8: Ru18 alloy

The PAR 16 alloy was very brittle. Some porosity was visible.

The BSE microstructures (Figures 4.33) show a medium grey dendrite phase that is coated by a black phase. The coated dendrites are surrounded by a light grey phase, which shows some coring. Finally there are small particles of a very light phase present in a light cored area.

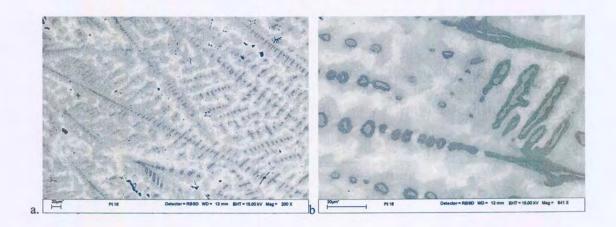


Figure 4.33. (a) shows the overall microstructure of PAR 16. (b) shows the medium primary RuAl₂ dendrites coated by the black Ru₄Al₁₃ phase. Small, very light areas of PtAl₂ can be seen in the cored X phase.

The phase compositions determined by EDS analyses are listed in Table 4.17 and have been plotted on a ternary projection in Figure 4.34.

Table 4.17. Summary of phase and composition analysis for the PAR 16 alloy.

Sample	Condition	Phase	Composition	n	Proposed	No of	
		Description	Al	Pt	Ru	phase(s)	analyses
PAR16	Arc-	Overall	71.9 ± 0.4	8.9 ± 0.3	19.2 ± 0.3		5
	melted	Medium Grey (dendrite core)	63.9 ± 0.3	0.5 ± 0.2	35.6 ± 0.3	RuAl ₂	5
		Dark	75.3 ± 0.2	0.5 ± 0.2	25.2 ± 0.2	Ru ₄ Al ₁₃	5
		Cored phase	71.5 ± 1.6	15.2 ± 1.3	13.3 ± 2.5	X	5
		Very light	65.4 ± 0.9	34.6 ± 0.9	0	PtAl ₂	5

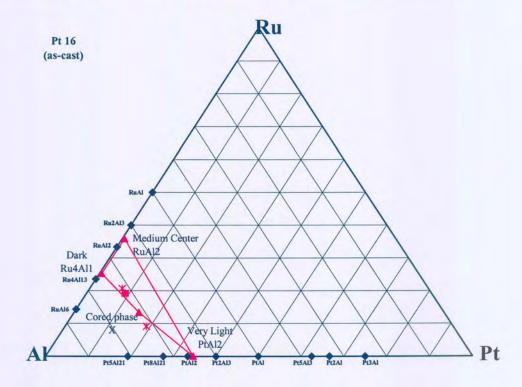


Figure 4.34. A ternary plot of the overall and phase compositions in the PAR 16 alloy.

Primary RuAl₂ dendrites formed in the liquid. Through a cascade of peritectic reactions, the primary dendrites were coated by Ru₄Al₁₃, then by a very cored X phase and finally by PtAl₂.

The proposed solidification sequence is:



$$\begin{split} L &\rightarrow RuAl_2 \\ L + RuAl_2 &\rightarrow Ru_4Al_{13} \\ L + Ru_4Al_{13} &\rightarrow X \\ L + X &\rightarrow PtAl_2 \end{split}$$

4.3 XRD results

The initial attempt to identify and confirm the phases suggested by the EDS analyses proved to be no simple task. This was due to the fact that only some of the binary phases are included in the ICDD [2002ICD] and ICSD [2002ICS], which contain the standard diffraction data for phases. The diffraction data are normally only for the pure phases and solid solution phases are not considered. Furthermore, when there is third element solid solubility of an element in a binary phase, the diffraction patterns shifts.

These complications lead to a separate, but related XRD project on the binary phases of this study, thus the work presented in this section is still ongoing at the CSIR-NML. In most cases, the pure binary phases would have to be evaluated before the effect of the third element can be considered. It has also been found that the analyses of the corresponding heat-treated samples were easier to interpret than the as-cast samples, as the heat-treated phases are closer to equilibrium conditions. Unfortunately, only the 600°C heat treated samples of the first six alloys were available at the time of this study.

Two new ternary phases were suggested in the EDS analyses. It is considered that the one phase is a high temperature phase that decomposed. The other phase was present in a number of samples. The high temperature phase is preliminary called phase T with a suggested composition of Ru₁₈Pt₂₈Al₆₄. Since the phase decomposed, it was not detected by XRD and no prototype could be suggested. The second ternary phase, called phase X here, was matched through a search-and-match procedure to be similar to IrAl_{2.75} and/or RhAl_{2.63}. It is proposed that the composition is Ru₁₂Pt₁₅Al₇₃, that the phase has a primitive cubic structure and that the lattice parameter is 0.7712 nm.

In some cases the peak overlaps made the phase identification complicated. In sample PAR4, RuAl and PtAl₂ were found in the EDS analysis. However, the main reflections in the diffraction patterns for the two phases overlap almost completely, as both phases are cubic, with the PtAl₂ lattice parameter about twice the size of the RuAl lattice parameter. By looking at the (311) reflection, which is the second strongest reflection in the PtAl₂ pattern and absent in the RuAl pattern, it could be determined with XRD that it was in fact RuAl and not PtAl₂ in the sample, thus confirming the EDS results. Similarly, in sample PAR3, the RuAl and RuAl₂ patters also overlap. Although the former is cubic and the latter orthorhombic, the identification of the RuAl₂ was difficult: it was a minor phase and its major reflections were overlapping with the RuAl phase. Again, the presence of the (311) reflection in the RuAl₂ and absence in the RuAl phase was used as a signature in identification. In sample PAR8, the RuAl phase have not been identified in the XRD spectrum, as it is not the major phase and the main reflections overlap with theRuAl₂ reflections.

Three crystal structures have been reported for the Pt₃Al phase. The cubic L1₂ structure is not included in the ICDD or ICSD, and was also not found in any sample in this study. Sample PAR6 only contained the low temperature DOc structure. Pt₃AL was also found in sample PAR12, where it preferred orientation. It could not be determined which Pt₃Al structure formed in PAR12, as both structures gave a very good R² value through the grain refinement procedure. It could also be that both forms are present.

The PtAl phase is not included in the ICDD. The PdAl phase was used as a prototype. However, the PdAl phase has a high temperature and low temperature polymorph. The high temperature polymorph agrees with the β phase that has been suggested in the Al-Pt binary system, and the lattice parameter calculated through the refinement program was in good agreement with the experimental lattice parameter. The presence of the β phase in the samples indicated that the decomposition was not complete, probably the cooling rate was too slow to quench the phase in, but too fast to allow complete decomposition as initially suspected in the EDS analysis.

In some cases where there are many phases in the alloy, all the phases (especially when they were minor or trace phases) could not be identified by XRD. For example, in sample PAR3, the X phase could not be detected in the XRD spectrum. However, from the EDS analysis it is known that there was only a minor amount of X phase in the sample. The X phase was also only found in some regions and not throughout the sample's microstructure.

No phases have yet been confirmed satisfactorily in sample PAR11. The difficulty is probably due to the high percentage of third element in the binary structures.

The lattice parameters are influenced by the presence of the third element in the binary. Since the samples were not at equilibrium, no attempt could be make to calculate the relationship between the lattice parameter and the solid solutions of the third element.

The XRD results are listed in Table 4.18. For each alloy, the phases suggested by EDS analyses are listed. The crystal detail for each phase, as reported in the literature, was compared with the XRD results. The ICDD numbers have been listed only where a phase had been identified by XRD. Only where the lattice parameters have been calculated with the refinement program, have values been listed. Details on specific phases are provided in the footnotes. The XRD analysis of sample PAR 4 is attached in Appendix B.

Although not all the phases could be identified by XRD at this stage and while some minor discrepancies still remain, it was found that EDS and XRD are complementary to each other in this work. Where XRD data existed in the ICDD, the techniques were in good agreement. XRD proves to be a powerful technique to identify the phases in a metal alloy sample. Furthermore, where EDS could only pick up the composition of the phase, and not distinguish between phases with similar compositions, XRD revealed the presence of different prototypes on some phases. In some cases where the high temperature binary phase was thought to have decomposed completely, evidence of the high temperature phases was still found.



Table 4.18. Summary and comparison of the XRD results to EDS results.

Sample PAR	EDS proposed phase	Space Group	Prototype					Prototype used	Prototype ICDD number	Calculate	d lattice para	ameter	R ²	n	Notes
PAR	pnase	1	Ī	a	[nm] b	c		usea	number	a	[nm] b	С	-		
1	x		 	-	<u> </u>	C		Ir Al _{2.75}	50-1335	0.7663	+	_	0.9991	11	1
	Pt ₅ Al ₂₁	(cI416)		1.923			1964Huc	II A12,75	30-1333	0.7003	-		0.7771	 -	2
····	RuAl ₆	Cmcm	MnAl ₆	0.74886	0.6556	0.8961	1965Eds	RuAl ₆	30-0036	 	+	 		$\vdash \vdash$	3
	(Al)	Fm-3m	141117.19	0.4049	0.0550	0.0701	19051243	(Al)	04-0787	0.4050	+	-	0.9998	8	Γ—
	(11)	i iii-Jiii		0.1017				(24.)	04-0707	0.4050		 	0.7770	٣	4
2	Т			1						1	†		†	М	┌──
	PtAl ₂	Fm3m	CaF ₂	0.5926			1937Zin	PtAl ₂	03-1006	0.5929	—		0.9996	13	1
	X						 	Ir Al _{2.75}	50-1335	0.7710	T		0.9993	15	
													ĺ		
3	RuAl	Pm-3m	CsC1	0.295			1966Eds	RuAl	29-1404	0.2998			0.9995	8	
	Ru ₂ Al ₃	I4/mmm	Al ₂ O ₃	0.3079		1.443	1966Eds								5
	T														4
	X														1
	PtAl ₂	Fm3m	CaF ₂	0.5926			1937Zin	PtAl ₂	03-1006	0.5937			0.9992	8	
	RuAl ₂	Fddd	Si ₂ Ti	0.8015	0.4715	0.878	1963Sch	RuAl ₂	18-0057	0.8028	0.4713	0.8800	0.9993	12	L
	-	 		0.000			10(67)	 					0.0004	<u> </u>	
4	RuAl	Pm-3m P213	CsCl	0.295			1966Eds	RuAl	29-1404	0.2979	-	ļ	0.9994	7	
	PtA1		FeSi	0.4866 0.4208		0.5172	1963Fer 1963Fer	PdAl	34-0564	0.4866 0.4211		0.5167	0.9996	10	7
	Pt ₂ Al ₃	P3m1	Ni ₂ Al ₃	0.4208		0.5172	1963FeF	Pd ₂ Al ₃	06-0654	0.4211		0.5167	0.9994	10	
5	RuAl	Pm-3m	CsCl	0.295			1966Eds	RuAl	29-1404	0.3018		 	0.9995	4	
	В	Pm-3m	CsCl	0.3125			1978Bah	PdAl	06-0626	0.3057	+		0.9996	5	8
	PtA1	P213	FeSi	0.4866		 	1963Fer	PdAl	34-0564	0.4868	1		0.9995	8	6
	Pt ₅ Al ₃	Pbam	Rh ₅ Ge ₃	0.514	1.07	0.395	1964Huc	1	3,000,	1 0.7000	+	-	0.5550	 	9
	1 (3111)	104111	141,500	1	1.07	0.070	130,1110				_		1	\vdash	1
6	(Ru)	P6 ₃ /mmc	Mg	0.27059		0.42819		(Ru)	06-0663	0.2752	_	0.4340	0.9980	3	
	Pt ₃ Al							Pt ₃ Al	48-1815	0.5446	T	0.7808	0.9995	15	10
	(Pt)	Fm-3m	Cu	0.39231				(Pt)	04-0802						
										1					Ĺ
7	PtAl ₂	Fm3m	CaF ₂	0.5926			1937Zin		03-1006	0.5920			0.9996	9	
	X							Ir Al _{2.75}	50-1335						1
		ļ										<u> </u>		↓	L
8	RuAl	Pm-3m	CsCl	0.295			1966Eds				1	ļ	L	 	<u> </u>
	RuAl ₂	Fddd	Si ₂ Ti	0.8015	0.4715	0.878	1963Sch	RuAl ₂	18-0057	0.7997	0.4718	0.8786	0.9990	19	
	X	\ <u></u>	 	1		1	1.5555	Ir Al _{2.75}	50-1335	0.7731	_	 	0.9993	24	↓
	PtAl ₂	Fm3m	CaF ₂	0.5926	 		1937Zin	<u> </u>		1		├	↓	—	↓
	ļ	ļ			 	ļ	 _	 		 		 	4	$+\!-$	
	l	J	<u> </u>		<u> </u>	1	<u> </u>	<u> </u>			_1			Щ_	丄



Sample PAR	EDS proposed phase	Space Group	Proto-type	Reported	lattice par	ameter	Reference	Prototype used	Prototype ICDD number	Calculated	i lattice par	ameter	R ²	n	Notes
	1 '			a	ь	С				a	Ъ	c	1		
9	RuA1	Pm-3m	CsC1	0.295			1966Eds								
	Pt ₂ Al ₃	P3m1	Ni ₂ Al ₃	0.4208		0.5172	1963Fer	Pd ₂ Al ₃	06-0654	0.4229	1	0.5153		11	
	PtAl ₂	Fm3m	CaF ₂	0.5926			1937Zin	PtAl ₂	03-1006	0.5942				8	11
10	(0)	PC /	M-	0.27059		0.43910		(D ₁)	06.0662	0.2711		0.4305	0.0005		├
10	(Ru) RuAl	P6 ₃ /mmc	Mg			0.42819	10((E4	(Ru)	06-0663	0.2711	+	0.4305	0.9995	7	
		Pm-3m	CsCl CsCl	0.295 0.3125			1966Eds			 	+		-		\vdash
	β	Pm-3m					1978Bah			-				L	8
	PtA1	P213 Pbam	FeSi	0.4866	1.07	0.395	1963Fer 1964Huc				+	-			6
·	Pt ₅ Al ₃	Poam	Rh ₅ Ge ₃	0.314	1.07	0.393	1904Huc				+		 	<u> </u>	\vdash
11	RuAl	Pm-3m	CsCl	0.295			1966Eds			 	 				
	β	Pm-3m	CsC1	0.3125			1978Bah			1					8
	PtAl	P213	FeSi	0.4866			1963Fer				1				6
	Pt ₅ Al ₃	Pbam	Rh ₅ Ge ₃	0.514	1.07	0.395	1964Huc								9
12	(Ru)	P6 ₃ /mmc	Mg	0.27059		0.42819		(Ru)	06-0663	0.2689		0.4335	0.9994	5	
12	Pt ₃ Al	P4/mbm	GaPt3(LT)	0.5448		0.7814		Pt ₃ A1	48-1815	0.2009	┥──	0.4333	0.5554	١,	10
	1 (3/4)	I4/mcm	Car C(LT)	0.3830		0.3890		rtg/ki	29-0070						10
13	X							Ir Al _{2.75}	50-1335		+				
13	Pt ₈ Al ₂₁	I41/a	1.29595			1.06731	1966Eds	II A12.75	30-1333	+	+	_		 	\vdash
	Pt ₅ Al ₂₁	(cI416)	1.29393	1.923		1.00751	1964Huc			-	+				
	(Al)	Fm-3m		0.4049			17041140	(Al)	04-0787	0.4045	†	 	0.9995	4	
14	RuAl ₂	Fddd	Si ₂ Ti	0.8015	0.4715	0.878	1963Sch	RuAl ₂	18-0057	0.7999	0.4714	0.8784	0.9993		
	X	<u> </u>						Ir Al _{2.75}	50-1335	0.7712	 		0.9990	<u> </u>	1
	PtAl ₂	Fm3m	CaF ₂	0.5926			1937Zin	PtAl ₂	03-1006	0.5914	+		0.9990	<u> </u>	├
15	В	Pm-3m	CsC1	0.3125			1978Bah			 	+		 		8
	PtAI	P213	FeSi	0.4866			1963Fer	PdAl	34-0564	0.4860	1	 	0.9993		6
	Pt ₅ Al ₃	Pbam	Rh ₅ Ge ₃	0.514	1.07	0.395	1964Huc								9
17	D 41	F	0' 70'	0.0016	0.4515	0.070	10/20 1		10.0057						L
16	RuAl ₂	Fddd	Si ₂ Ti	0.8015	0.4715	0.878	1963Sch	RuAl ₂	18-0057		+	ļ	1	-	
	Ru ₄ Al ₁₃	C2/m	ļ	1.5862	0.8188	1.1736	1965Eds		60 1336	0.7722	+	 	0.0000	-	12
	X	F2	C-E	0.5026		ļ	10177	IrAl _{2.75}	50-1335	0.7732	+	 	0.9990		├ ──
	PtAl ₂	Fm3m	CaF ₂	0.5926		L	1937Zin	PtA1 ₂	03-1006			1	<u> </u>		<u> </u>

Notes $R^2-\text{Coefficient of determination (confidence level)} \\ N-\text{number of peaks in diffraction pattern assigned used to identify the phase.}$



- 1. Proposed new ternary phase X with composition ~Ru₁₂Pt₁₅Al₇₃ with primitive cubic structure and a = 0.7712 nm. Similar to IrAl_{2.75} and RhAl_{2.63}. Trace amounts only in PAR3, which was not detected by XRD.
- 2. Only Pearson symbol reported in the literature.
- 3. > 10 at. % Pt in RuAl₆, structure too distorted in the non-equilibrium condition.
- 4. High temperature ternary phase T, decomposed at lower temperatures. Estimated composition ~Ru₁₈Pt₂₈Al₆₄.
- 5. Ru₂Al₃ proposed in solidification reactions, decomposed and not observed in EDS or XRD.
- PtAl not in ICDD. Found that PdAl-µ from Al-Pd system is very similar. PdAl in ICDD: 34-0564 and a=0.4867nm.
- 7. Pt₂Al₃ not in ICDD. Pd₂Al₃ is very similar. Pd₂Al₃ in ICDD: 06-0654 and a=0.4221 nm and c=0.5155 nm.
- 8. β not in ICDD, only reported by [1978Bah]. Found that β in Al-Pd system is very similar, also stable at high temperatures only. PdAl-β in ICDD: 06-0626 and a=0.3049 nm.
- 9. Pt₅Al₃ not in ICDD, could not match up with prototype or any other similar phase and could not identify the pattern. Structure is orthorhombic, so presence of the third element shifts peaks in different directions. Need equilibrium pure binary sample.
- 10. Different prototypes of Pt₃Al exist. Ll₂ (cubic, a = 0.3876nm) is high temperature, DOc' (tetragonal, a = 0.3830 nm and c = 0.3890 nm) is stable ~600 -1200 K, DOc (tetragonal, a = 0.5448 nm and c = 0.7814 nm) stable below 600 K. Ll₂ not in ICDD, DOc' in ICDD 29-0070 and DOc in ICDD 48-1815. In PAR 6, only DOc was found, in PAR12 DOc' and/or DOc were found, could not distinguish as both gave good R². No trace of Ll₂ in the as-cast samples.
- 11. Not observed in EDS analysis
- 12. Ru₄Al₁₃ in ICDD, but pattern only recorded up to 40° 2 theta. Could not identify.



4.4 Solidification projection.

The phase analyses of the sixteen alloys are summarised in Figure 4.35.

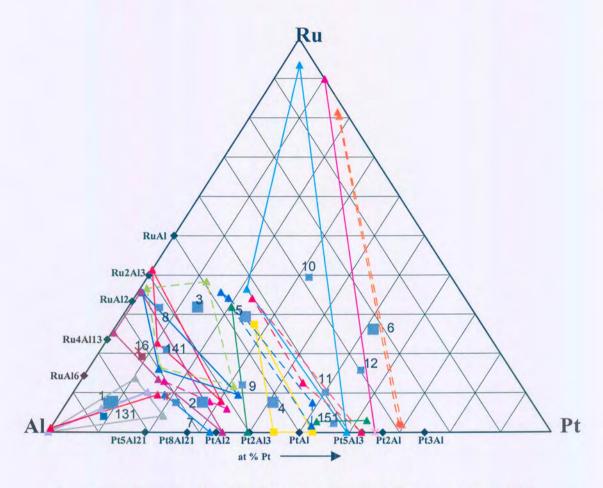


Figure 4.35. Summary of results for ternary Al-Pt-Ru alloys (square = overall composition, triangle = phase composition).

From the analyses of alloys, the following results were obtained:

- The liquidus surface is dominated by RuAl; it occurred to within 10 at. % of the Al-Pt binary.
- (Ru) also has a large liquidus surface. This is an important factor to consider when making alloys that are just outside of the region of the alloys targeted for commercialisation.



- RuAl was found to contain at least 20 at. % platinum
- PtAl₂ exhibited up to 11 at. % solubility for ruthenium.
- RuAl₂ exhibited up to 10 at. % solubility for platinum.
- Ru₄Al₁₃ and RuAl₆ were difficult to analyse, since they were found together on a fine scale.
- RuAl₆ showed solubility of at least 10 at. % platinum.
- Most of the other phases showed limited solubilities for the ternary element, less than 2 at. %: Ru₄Al₁₃, Pt₅Al₃, Pt₅Al₂₁and PtAl.
- A ternary phase X, with a composition ~Ru₁₂Pt₁₅Al₇₃, was found to be present. Initial XRD analysis showed that the X phase probably has a primitive cubic structure and is similar to ~RhAl_{2.63} and ~IrAl_{2.75}. The lattice parameter is 0.7712 nm.
- A high-temperature ternary phase T, with composition of ~Ru₁₈Pt₂₈Al₆₄, exists.
- Ru_2Al_3 , T and β decomposed through solid-state reactions:

$$Ru_2Al_3 \rightarrow \sim RuAl + \sim RuAl_2$$

$$T \rightarrow X + \sim PtAl_2$$

$$\beta \rightarrow \sim PtAl + Pt_5Al_3$$

- ~RuAl was involved in a number of subsequent reactions in different alloys:

peritectic formation of \sim PtAl, peritectic formation of \sim PtAl₂ peritectic formation of β phase of the Al-Pt binary.

- There was good agreement between the experimental EDS and XRD results, despite the lack of phases present in the ICDD. In many cases, the structures of prototypes could be used through a grain refinement process to identify the binary phases.

4.4.1 Liquidus surface projection

The proposed liquidus surface projection is presented in Figure 4.36. The overall compositions of the alloys have been superimposed on the liquidus surface projection in Figure 4.37. The solidification reaction sequence for the Al-Pt-Ru systems, starting at the platinum corner, is summarised in Table 4.16.

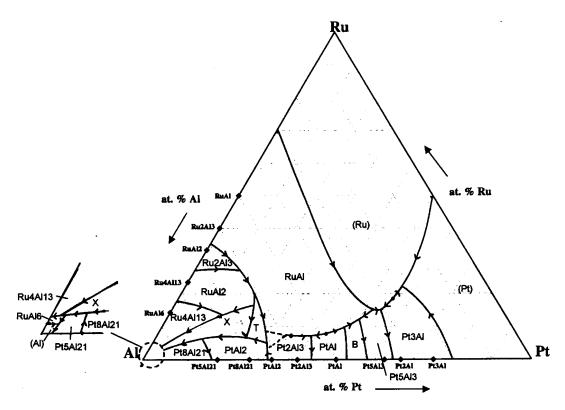


Figure 4.36. Proposed experimental liquidus surface projection.

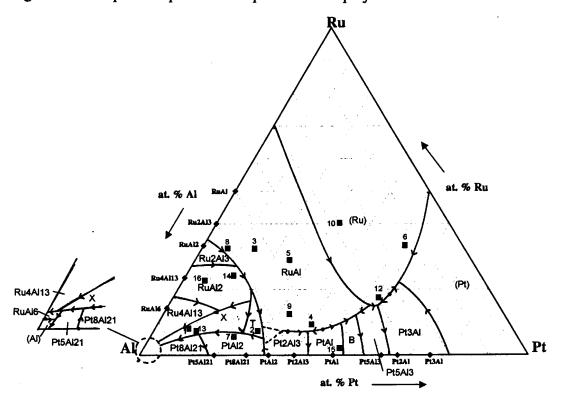


Figure 4.37. Overall alloy compositions on the liquidus surface projection.



The primary phase of each of the alloys indicated on which liquidus surface it lay. The solidification sequence was then used to determine the rest of the liquidus surface. Where there was a reaction between more than one phase and the liquid, it means that the liquidus surfaces of the phases must be adjacent. The liquidus surface projection is consistent with the solidification sequence of the alloys.

Two ternary phases appear on the liquidus surface projection. The ternary phase T is only stable at higher temperatures, as it decomposed on cooling. The ternary phase X is stable to lower temperatures.

4.4.2 Solidification reaction sequence

The solidification reactions are shown in Figure 4.37, and are listed in Table 4.19.

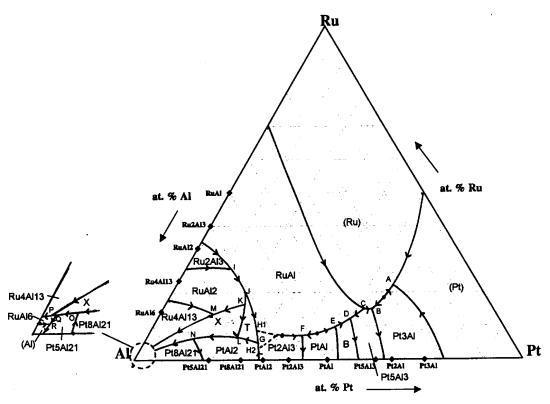


Figure 4.38. Experimental liquidus surface projection for the Al-Pt-Ru system, showing the solidification reactions.

Table 4.19. Solidification reactions for Al-Pt-Ru.

Equation number	Reaction
A	$L \rightarrow (Ru) + (Pt) + \sim Pt_3A1$
В	$L + (Ru) \rightarrow Pt_5Al_3 + \sim Pt_3Al$
C	$L + (Ru) + \sim RuAl \rightarrow \sim Pt_5Al_3$
D	$L + \sim RuAl \rightarrow \beta + \sim Pt_5Al_3$
E *	$(\uparrow) L + \sim PtAl \rightarrow \sim RuAl + \beta$
	(\downarrow) L + ~PtAl + ~RuAl $\rightarrow \beta$
F	$L + \sim RuAl \rightarrow \sim PtAl + Pt_2Al_3$
G *	$L + Pt2Al3 \rightarrow \sim PtAl2 + \sim Ru18Pt28Al64$
H1 *	$L + \sim RuA1 \rightarrow \sim Ru_{18}Pt_{28}Al_{64} + Pt_2Al_3$
G *	$L + \sim RuAl \rightarrow \sim PtAl_2 + \sim Ru_{18}Pt_{28}Al_{64}$
H2 *	$L + Pt_2Al_3 \rightarrow \sim RuAl + \sim PtAl_2$
I	$L + Ru2Al3 \rightarrow \sim RuAl + \sim RuAl2$
J	$L + \sim RuAl + \sim RuAl_2 \rightarrow \sim Ru_{18}Pt_{28}Al_{64}$
K	$L + \sim Ru_{18}Pt_{28}Al_{64} + \sim RuAl_2 \rightarrow \sim Ru_{12}Pt_{15}Al_{73}$
L	$L + \sim Ru_{18}Pt_{28}Al_{64} \rightarrow \sim Ru_{12}Pt_{15}Al_{73} + \sim PtAl_2$
М	$L + \sim RuAl_2 \rightarrow \sim Ru_{12}Pt_{15}Al_{73} + \sim Ru_4Al_{13}$
N	$L + \sim PtAl_2 + \sim Ru_{12}Pt_{15}Al_{73} \rightarrow \sim Pt_8Al_{21}$
0	$L + \sim Pt_8Al_{21} \rightarrow \sim Ru_{12}Pt_{15}Al_{73} + \sim Pt_5Al_{21}$
Q	$L + \sim Ru_{12}Pt_{15}Al_{73} + \sim Pt_{5}Al_{21} \rightarrow \sim RuAl_{6}$
P £	$L + \sim Ru_{12}Pt_{15}Al_{73} \rightarrow \sim Ru_4Al_{13} + \sim RuAl_6$
R	$L + \sim RuAl_6 \rightarrow \sim Pt_5Al_{21} + (Al)$

^{*} Not enough experimental data available to conclude in which direction this reaction proceeds.

4.5 Conclusions

Sixteen alloy samples were studied with SEM/EDS and XRD. The results from the two techniques were in good agreement. The solidification sequences and a liquidus surface projection have been proposed.

[£] Exit reaction must be peritectic to be consistent with the Al-Ru binary.

^{*} not enough experimental data are available to determine conclusively which direction this reaction goes.



Chapter 5 Phase Diagrams with the CALPHAD Method

5.1 Introduction

Materials science investigates the structure, properties, preparation and processing of materials. These investigations are increasingly supported by models based on concepts of chemistry, physics and crystallography as modern society is constantly looking for new and innovative materials to enable and support new technologies.

If one considers that 86 of the about 100 elements known to man (excluding the inert gasses and transuranic elements) combine to as many as 7.7×10^{25} systems (binary, ternary, quaternary up to the 86-element system), it is not surprising that as computational power became available and was developed, many modelling methods have been adopted to predict phase diagrams, material structures, material properties and processing conditions by computational methods.

One of these methods, based on the 19th century work of Gibbs, is the CALPHAD (CALculation of PHAse Diagrams) method, a completely general, extendable and theoretically meaningful technique. With this technique, experimental data is used to derive the Gibbs energy of an element or phase as a function of temperature, pressure and composition. From the Gibbs energies, the thermodynamic properties of a system can be derived and the equilibrium phase diagram can be predicted, since a phase diagram is a graphical representation of the loci of thermodynamic variables when equilibrium (lowest energy state) among the phases of a system is established under a given set of conditions [1996Pel].

A brief overview of the development of computational methods is given, as well as the software available. However, as the Thermo-Calc [1985Sun] software was used in this study, most of the emphasis will be placed on it.

5.2 History

Gibbs's famous study in 1876 p rovided the theoretical background for the thermodynamic examination of complex, chemically reacting systems. In 1908, Van Laar applied the Gibbs energy concepts to phase equilibria. Then, in the 1930s, Hume-Rothery [1934Hum] developed an alternative approach based on band-structures. When it became evident that his concepts could not be applied to industrially-relevant materials such as steels, nickel-based alloys and the emerging titanium and uranium alloys, interest focused on the thermodynamic approach again, especially those of Meijering and Hillert in Europe and Kaufman in America. Meijering [1957Mei] calculated a phase diagram for Ni-Cr-Cu, giving a quantitative description to all topological features of the phase diagram. This was pioneering work, as the mere interpolation of the binary systems would have yielded an erroneous diagram. Meijering had to extrapolate a lattice stability value (the relative Gibbs energy for a crystal structure of the pure element) for fcc Cr as this could not be obtained directly from experiment - it is interesting to note that these early results from Meijering have only been marginally improved over the years!

The thermodynamic approach showed that the lattice stabilities were not only related to the solubility limits, electron concentrations (or electron per atom ratios) and electrochemical (valence) factors from Hume-Rothery's band-structure theory, but that they also depend on the properties and interaction of the co-existing phases as well as on the temperature. Kaufman and Hume-Rothery had extensive discussions to try and clarify the conflict in different value sets of lattice stabilities. Not only was there the Hume-Rothery approach, with Jones and Mott [1936Mot] taking the electron per atom ratio model further, but also Engel [1949Eng] and Brewer [1963Bre] developed a method which correlates the structure of metals with the number of s and p valence electrons in the system. Their proposed lattice stabilities, based on spectroscopic data, differed as much as an order of magnitude in some cases with experimental values. In the next development, lattice stabilities were also obtained from electron energy calculations. The lack of agreement in these fundamental values delayed the more general acceptance of the CALPHAD technique. Pettifor [1972Pet], by following a Jones-type analysis, related band-structure to the density-of-state (DOS) in transition metals. These density functional calculations have confirmed the existence of wave mechanical oscillatory energy difference functions between lattices in a crystal, which is difficult to handle in an extrapolation technique like CALPHAD. Another factor that contributes to the discrepancies in theory and CALPHAD lattice stability values is that in the CALPHAD technique, positive melting temperatures are assigned to the metastable phases, while they are theoretically predicted to be mechanically unstable at absolute zero.

At the same time, two other modelling methods were developed to predict alloy properties. Already in 1949, Kikuchi [1951Kik] introduced the cluster variation model (CVM), but further development only started in the 1970s as the method requires substantial computing power. CVM is based on the mutual interactions of all the atoms, which are described in sets of clusters. The tetrahedron is the smallest cluster in a three-dimensional lattice and can thus reflect a great variety of atomic interactions. CVM is very powerful in treating order/disorder phenomena. Miedema [1988deB] developed a semi-empirical technique to predict the enthalpy of formation and interaction parameters for binary and some ternary alloys.

Despite the differences that existed, Larry Kaufman went ahead with his vision in 1970 and used the name 'CALPHAD' for a technique where one may calculate an improved phase diagram after assessing the thermodynamic properties of all the phases that may form from a set of components (elements, ions, compounds). This method is based on the axiom that complete Gibbs energy versus composition curves can be constructed for all the structures exhibited by the elements right across the complete alloy system. This involves the extrapolation of G/x (where x is the composition) curves for many phases into regions where they are metastable or unstable. The relative Gibbs energy for various crystal structures of the pure elements (lattice stabilities) in the system must, therefore, be established. Kaufman drafted a bilateral agreement to generate official meetings between the American and French experts, and he extended this invitation to representatives from the UK, Sweden and Germany. This was the birth of the CALPHAD meetings. The objectives defined by Kaufman and Ansara in 1973 are today still the CALPHAD objectives:

We believe that substantial progress can be made in a short period of time if we would arrange to work together for one week at one of our facilities to define problems, disband, carry out some individual activities, and meet again for a week at a second facility to compare results and chart future activities. (2003: www.calphad.org)

In 1977, the first CALPHAD – Computer Coupling of Phase Diagrams and Thermochemistry journal was published. Since 2000, the journal also accepts *ab initio* contributions.



5.3 Current Status

The CALPHAD technique has clearly come of age and it now allows for the calculation of complex phase equilibria equations. A number of commercial software packages are available. These include Thermo-Calc, FactSage, MTDATA, PANDAT, MALT and Exterm. An edition of the Calphad journal was dedicated to detailed overviews of these commercial packages (CALPHAD, Vol. 26, No. 2, 2002). Another popular program was the Lukas program (BINGS and TINGS programmes), developed by Hans-Leo Lukas at the Max Planck Institut fur M etallforsung in S tuttgart [1977Luk], Germany, but this program has not been commercialised. The CALPHAD technique is used extensively in alloy development, as well as hardmetals (carbides), aqueous solutions, chemical vapour deposition and corrosion applications. It is also possible to apply the CALPHAD technique to model polymer solutions, though this is a relatively new application and suitable models are still in an early stage of development. Extensive databases have been developed for general as well as specific applications, with the most significant being the Science Group Thermodata Europe (SGTE) consortium's databases (www.sgte.org). Databases for alloy-specific applications, e.g. Ni-based superalloys, Al-alloys, solder and steels, have been developed by the relevant industry sectors. These databases are the result of CALPHAD optimisations.

Some of the software includes a module for the optimisation of the Gibbs energy functions, e.g. the Parrot module [1984Jan] in Thermo-Calc. Many databases have been developed for various commercial alloy systems. Conversion programs are also available to transport data from one system to another, although the current trend is to present data in the SGTE format, which can be used by all the programs.

The success of the CALPHAD technique is underwritten by the many application programming interfaces which are being developed to use the results from the equilibrium CALPHAD calculations in third party software programs like MatLab®. Major successes have been the combination of thermodynamics and kinetics to simulate diffusion transformations, e.g. DICTRA in Thermo-Calc and JMatPro, a software program developed by ThermoTech in the UK [2001Li], which uses thermodynamic and kinetic databases to predict material structures and mechanical properties. The Phase Field method is a new method under development, where the microstructures of alloys are simulated through equilibrium calculations based on the CALPHAD method. A commercial application program, MICRESS, has been released by ACCESS e.V. Solidification, solid-state transformations, grain growth and recrystalisation can be studied.

Evaluating recent literature, it is clear that the different modelling techniques are getting closer to each other and increasingly often data are extrapolated between the different methods. Themochemical and first principle (ab initio) values are becoming more comparable. It seems that most of the discrepancies which still exist are associated with cases where the postulated metastable allotrope is mechanically unstable to shear and will spontaneously collapse at 0 K [1988 Pet]. Miedema's semi-empirical method is frequently used to generate enthalpies of formation for the assessments of systems where no experimental data are available. The CALPHAD thermodynamic assessments also have been successfully performed using a CVM approach to describe the lattices [1990Sun].

One of the major obstacles in the marriage of the different thermodynamic modelling techniques, however, still remains the extrapolation of sets of data between the CALPHAD technique and *ab initio* modelled systems, as the data are incompatible and the conversions



are complex. This limits the use of data from one technique to another to the use of individual values for constituents, substances and phases.

5.4 CALPHAD Methodology

The CALPHAD technique fits experimental data on the phase equilibria, thermochemical information on the separate phases and physical information of the elements, constituents and phases through a mathematical regression process to Gibbs energy curves. One of the most significant advantages of this methodology is that, because a total Gibbs energy is calculated, all the associated functions (heat capacities, enthalpy, activity, chemical potential, etc.) and characteristics of phase equilibria (phase diagrams, potential diagrams, Scheill diagrams, etc.) can be derived.

The standard methodology of a CALPHAD type assessment is illustrated in Figure 5.1. The procedure defines three different stages: first the literature is critically evaluated and models are proposed for the different phases in the system. Secondly, the Gibbs energies are calculated and re-calculated, in an iterative process, continuously comparing the calculated result with the experimental data, until the final stage, where a workable description is obtained such that it satisfies the application requirements. These stages will be discussed in broad terms to provide an understanding of the principles involved. For more detailed information, the reader is referred to the optimiser program's manual, 'CALPHAD - A comprehensive Guide' by Saunders and Miodownik [1998Sau] and some general and practical optimisation guidelines by Kumar and Wollants [2001Kum].

A thorough literature review of the experimental data of the alloy system to be assessed is essential. Data that can be used for an assessment includes experimental phase diagram data and thermodynamic data. Experimental phase diagram data can be invariant reactions, phase compositions and composition ranges, liquidus temperatures and crystal structure information. Thermodynamic data can be experimental, calculated with *ab initio* methods or predicted by empirical models. Enthalpies of formation, activity data, chemical potentials, differential thermal analysis (DTA) and differential scanning calorimetry (DSC) results, etc. can be used. *Ab initio* methods have proved to be successful in providing data for cases where there are no data available. Predictions, like Miedema's semi-empirical model, are useful to estimate enthalpies of formation, especially when the necessary experiments cannot be performed due to adverse conditions necessary, for example, very high temperatures or very reactive compounds.

The data must be evaluated for accuracy, reliability and consistency. Different types of data have different accuracies associated with them. For instance, composition analysis can be performed by analytical chemistry, microprobe analysis or X-ray energy dispersive analysis (EDS) with or without standards, in the scanning electron microscope. Chemical analysis using a primary method will produce much more accurate results than standardless EDS analysis. Thermodynamic data from DTA are affected by whether a heating or cooling cycle has been used for the calculations. It is thus important to not just rely on review articles, but to scrutinise the original publications to objectively evaluate the data. According to the accuracy, reliability and consistency of the data, relative weights are a ssigned to the data during the CALPHAD optimisation. Unreliable and inconsistent data should not be included in the optimisation.



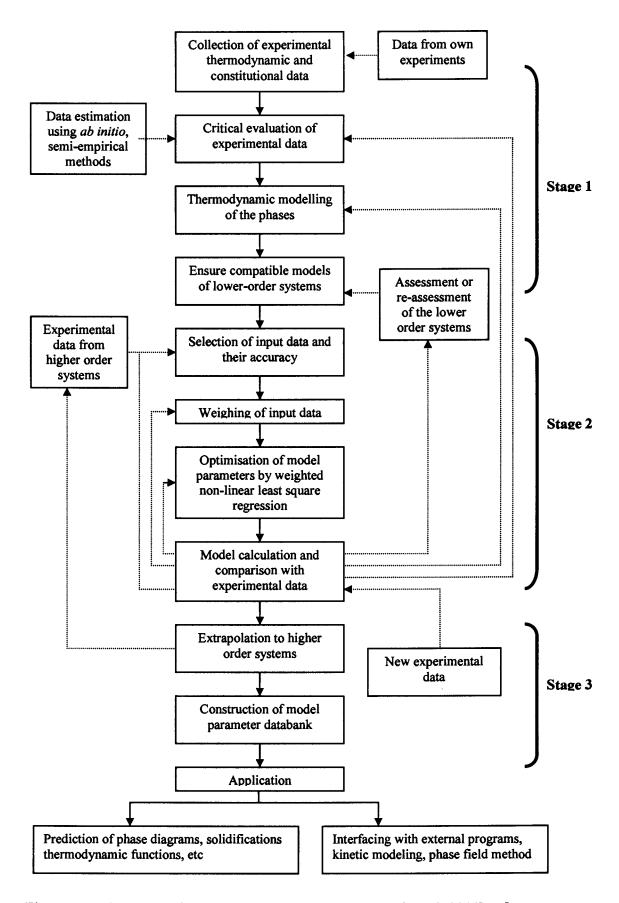


Figure 5.1. Flowchart of the CALPHAD method, adapted from [2001Kum].



The data can be compiled as a set of equilibrium data-points in the system. Each data-point is such that there are zero degrees of freedom in the phase rule

$$F = C - P + 2$$

where F is the degrees of freedom, C is the number of components and P is the number of phases.

A measurement error associated with the equilibrium data-point must be determined. Each equilibrium data-point contains dependent and independent quantities. The dependent quantity of each data-point must fulfil the phase rule, since it will be calculated in the optimisation. Thus it is important, when extracting data from, for example phase diagrams, that care is taken as to whether the composition or temperature is set as the dependent quantity. This is illustrated in Figure 5.2. For a steep slope on a phase diagram, a larger error is associated with the temperature than with the composition, so the composition should be the dependent value, as it has a smaller error in comparison the error associated to the temperature value, so that the smallest value contributes with the sum of squares in the optimisation.

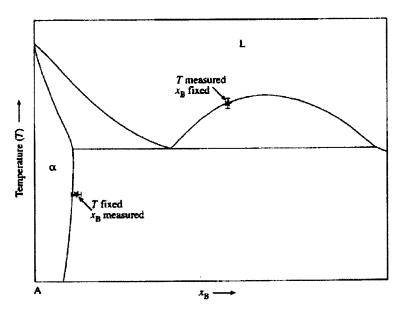


Figure 5.2. Phase diagram showing regions where only composition can be reliably measured at a given temperature and vice versa [2001Kum].

A reference state must be established for each element or component. This is generally taken to be the crystal structure in which the element exists at standard temperature and pressure. For consistency, and to allow extrapolations between different calculated systems, the reference state as prescribed in the SGTE database is usually referred to.

An important factor in the calculation of the Gibbs energy curves for a phase or system is the selection of the models that are used to describe the phases. Although the models are not strictly based on the crystal structures, some consideration should be given to the crystal structure and the model must have some physical meaning in describing the phase as for example a stoichiometric compound, an ordered phase or as a solid solution phase. Homogeneity ranges in a phase are normally due to defects (either anti-site atoms - atoms occupying the 'wrong site' - or vacancies) in the ideal structure of the phase. In most cases, the types of defect are not known and then a general approach can be applied adding the defects



on an additional lattice. However, care must be taken to select a suitable, simple and robust model, especially if the data are needed for extrapolation into higher order systems, as complex models are difficult to handle by the software and can lead to problems when extrapolated. Where possible, the model must follow 'standardisation' to ensure consistency, for instance the order/disorder transformations and structure relations of bcc-A2/B2 and fcc-A1/L1₂. Although there are good references available in the literature for some specific models [2001HilC, 1999Dup], models are constantly refined and changed as knowledge and understanding of the phase and its behaviour increases.

The assessments in this study were performed with the Parrot module [1984Jan] in the Thermo-Calc software [1985Sun]. Parrot is a program for the evaluation of thermodynamic model parameters from experimental observations of quantities describing a set of equilibrium states of the system. The model parameters are estimated by a weighted non-linear least squares optimisation of thermochemical and constitutional data.

5.5 CALPHAD Thermodynamics

5.5.1 Some basic principles

The CALPHAD method is based on Gibbs free energy functions. The state of a system can always be described in terms of the Gibbs free energy, since a system always tries to minimise its energy by minimising its enthalpy while maximising its entropy at constant pressure Thus, the Gibbs energy is the most fundamental way to describe a system in terms of its energy status.

The Gibbs energy is always given related to some reference, since for many elements more than one structure is stable, depending on the temperature and pressure. In the CALPHAD method, the state of the element that is stable at 101 325 Pa and 298 K is usually selected as the reference state.

Data must be kept consistent, that is, refer to the same reference states and have the same mathematical polynomial formalisms, in order to allow interchanging data with other data as well as to extrapolate data from various assessments to higher order systems. This study complies to the format of the Science Group Thermodata Europe (SGTE). All reference data for elements in this work is from Dinsdale [1991Din], who published a unified database under the auspices of SGTE.

5.5.2 Thermodynamics of Pure Elements

The Gibbs free energy G[P,T] of a pure element is given by the equation

$$G_{[P,T]} = H_{[P,T]} - TS_{[P,T]}$$
(5.1)

where $H_{[P,T]}$ and $TS_{[P,T]}$, respectively, are the enthalpy and entropy as a function of temperature and pressure. These data are obtained from the SGTE database [1991Din]. The SGTE format for a pure element i, at constant atmospheric pressure, is

$$GHSER_{i} = G_{m[T]} - H_{m}^{SER}(298.15K) = a + bT + cT \ln(T) + \sum d_{n}T^{n}$$
(5.2)



$$(\Sigma d_n T^n = dT^2 + eT^3 + fT^{-1} + gT^7 + hT^{-9})$$
(5.3)

The left-hand side of the equation is defined as the Gibbs energy relative to a standard element reference state (SER) where H_m^{SER} is the enthalpy of the element in its defined reference state at 298.15 K; a, b, c and d_n are coefficients and n represents a set of integers, typically taking the values of 2, 3, -1, 7 and -9. The terms T^7 and T^9 have been introduced to remove the possibility of phases becoming incorrectly stable at high or low temperatures, respectively. The equation can be expanded to include terms to describe pressure and magnetic dependence. These effects are not relevant to the elements (Al, Pt and Ru) in this study.

The first and second derivatives of GHSER with respect to temperature are related to the absolute entropy and heat capacity of the element at the same temperature. This means experimentally determined heat capacity values can be used directly and the coefficients will be related to c, d, e, f, g and h.

This convention is convenient since all the data in a database, stored relevant to the SGTE reference state, are inter-consistent and can be combined to calculate chemical and metallurgical equilibria.

5.5.3 Thermodynamics of solutions

In CALPHAD, a solution phase is defined as any phase in which there is a range of solubility of more than one component. On atomistic scale, solutions consist of a mixture of different species, in the simplest case atoms. Solutions can be classified as substitutional solutions, sublattices, ionic, aqueous or polymers/organic molecules, and for the first four, specialised models have already been developed. The models for substitutional solutions and sublattices will be discussed in detail since they are relevant to metallic alloy systems. Although metallic alloy systems are referred to as solid solutions in physical metallurgy, the general terminology 'solution' will be used here as more than just metallic alloy systems can be described as 'solutions' in CALPHAD models described below.

The format for solutions is the same as the SGTE format used for pure elements (Equations 5.2 and 5.3). However, in most cases only the terms a + b T are used. The term $T \ln T$ is usually only used in cases where heat capacity data are available, which depicts the use of this term to ensure the correct derivation of the heat capacity from the Gibbs energy.

For all solution phases, the Gibbs energy is given by the general formula

$$G = G^{ref} + G^{id} + G^{xs} \tag{5.4}$$

where G^{ref} is the contribution of the pure compounds of the phase to the Gibbs energy, G^{id} is the ideal mixing contribution and G^{xs} is the contribution due to non-ideal mixing, also known as the Gibbs excess energy of mixing. G^{ref} for a system with N pure elements is obtained from

$$G^{ref} = \sum_{n=1}^{N} {}^{0}G_{i}^{ref} \tag{5.5}$$



where ${}^{0}G_{i}^{ref}$ is the Gibbs energy of i for the reference state obtained from the SGTE database.

5.5.3.1 Substitutional Solutions

A random substitutional approach is used for phases such as the gas phase or simple metallic liquid and solid solution phases where components can mix on any spatial position which is available in the phase. For instance, in a simple bcc phase of two bcc components, any of the components can occupy any of the atomic sites that define the cubic structure. In a gas and liquid, the crystallographic structure is lost, but otherwise positional occupation of the various components relies on the random substitution rather than any preferential occupation of a site by any particular component. Randomness can only be assumed as long as the species, atoms or molecules are sufficiently similar in size, shape, electronegativity, etc.

In evaluating simple mixtures, **ideal solutions** follow Raoult's law, i.e. the activity of an element i in the solution is equal to its mole fraction at all compositions as the bond strength between A and B are so similar that A and B are randomly distributed. Gases tend to follow ideal behaviour. However, in real A-B solutions, the interaction between A and B is different from that between A and A or B and B. Due to these attractive or repulsive forces, there will not be a random distribution of the compounds in the solution. The Gibbs energy of an ideal solution is

$$G_m = \sum x_i G_i^\circ + RT \sum x_i \log_e x_i \tag{5.6}$$

where G_i° defines the Gibbs energy of the phase containing the pure component *i*. x_i is the mole fraction of component *i*. Ideal solutions do not have an excess energy contribution associated with them.

Some solutions exhibit random mixing, but the net heat absorbed or released is not zero $(H^M \neq 0)$. This is called a **regular solution**. For a regular solution, an excess energy is needed and this is described with the excess energy G^{xy} term.

The excess energy G^{xs} can be expressed as $x_A x_B L_{AB}$, where L_{AB} is the interaction parameter as defined by Hildebrand [1929Hil]. The physical meaning of L_{AB} can be described as follows: When one considers the magnitude and sign of the interactions between the components in the phase that will have an influence on the total energy, but assumes that it is composition independent and further assumes that the total energy arises from only nearest-neighbour bond energies, the total energy becomes

$$E_o = \omega_{AA} E_{AA} + \omega_{BB} E_{BB} + \omega_{AB} E_{AB}$$
 (5.7)

where ω_{AA} , ω_{BB} , ω_{AB} , E_{AA} , E_{BB} and E_{AB} are the number of bonds and their energies associated with the formation of different bond types AA, BB and AB respectively. Assuming the reference states of pure A and B and that the bond energies are temperature dependent, it is then deduced that

$$G_{m} = \sum x_{i}G_{i}^{\circ} + RT\sum x_{i}\log x_{i} + \sum \sum x_{i}x_{j}L_{ij}$$

$$(5.8)$$



with L_{ij} the temperature dependent interaction parameter between species i and j. For an ideal solution, the last term falls away as $x_i x_j$ becomes zero for pure i as well as pure j (Equation 5.6).

Since the regular solution model is composition independent, Kaufman and Bernstein developed the model further to include composition dependence and proposed the **subregular model**. In this model, interaction energies are considered to change linearly with composition and the Gibbs excess energy can be expressed as

$$G_{mix}^{xs} = x_i x_i (L_{ii}^i x_i + L_{ii}^j x_i)$$
 (5.9)

The subregular model can be expanded to more complex composition dependencies in terms of a power series. The Redlich-Kister expansion is the most commonly-used expansion and the Gibbs energy for a substitutional solution can then be rewritten as

$$G_{m} = \sum x_{i}G_{i}^{\circ} + RT \sum x_{i} \log x_{i} + \sum_{i} \sum_{j>i} x_{i}x_{j} \sum_{\nu} (x_{i} - x_{j})^{\nu} L_{i,j}^{\nu}$$
(5.10)

where the temperature dependence of the interaction parameter can be described as

$$L_{i,j;i} = y_i y_j [a_0 + b_0 T + c_0 T \ln T (a_1 + b_1 T) (y_i - y_j)]$$
(5.11)

The index ν denotes the regularity of the solution, L^o is designated for the regular solution, L^1 is referred to as the subregular solution parameter and L^2 the subsubregular solution parameter.

Equation 5.10 is usually used to describe metallic systems for substitutional phases and to describe a disordered solution such as liquid, fcc, bcc and hcp.

5.5.3.2 Sublattice Model / Compound Energy Formalism

The above-mentioned models fall short in accurately extrapolating to higher solute contents or extending the description to higher order alloy systems for phases which display some form of order. As the CALPHAD approach sometimes needs to evaluate or estimate unknown, unstable and/or metastable phases and stoichiometric compounds, a sublattice model (SL), also designated the Compound Energy Formalism (CEF), has been developed [1970Hil, 1945Tem, 1981Sun]. This model can be envisaged as interlocking sublattices on which the various components can mix. Although the model does not define any crystal structure, internal parameter relationships can be defined with respect to different crystal structures, such as the order-disorder transformation. This is now one of the most commonly-used methods to describe solution and compound phases because it is flexible and can account for a variety of different phase types (e.g. interstitial phases, intermetallics, σ , μ). In simplified form, this model can also describes stoichiometric line compound phases where each sublattice is occupied by a single type of atom, and substitutional solution phases which contain only one sublattice. To be in line with modern literature on sublattice modelling, the term 'Compound Energy Formalism' (CEF), will be used.



The physical meaning of the sublattice model for the system $(A,B)_1(C,D)_1$ has been schematically described by Saunders and Miodownik [1998Sau] with a composition space and reference energy surface, as illustrated in Figure 5.3.

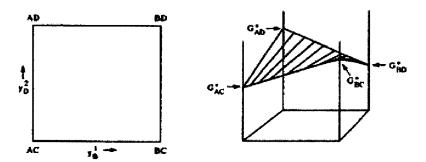


Figure 5.3. Composition space and reference energy surface for (A,B)₁(C,D)₁ [1998Sau].

All possible compositions in the system are encompassed by the composition space AC-AD-BD-BC. These four compounds at the corners of the composition space are the so-called 'end-members'.

The reference energy surface can be represented by the equation

$$G^{ref} = y_A y_C^{"} G_{AC}^{\circ} + y_A y_D^{"} G_{AD}^{\circ} + y_B y_C^{"} G_{BC}^{\circ} + y_B y_D^{"} G_{BD}^{\circ}$$
(5.12)

The Gibbs energies of the compounds AC, BC, AD and BD control the interactions A-C, A-D, B-C and B-D respectively. Mixing on the sublattices controls A-B and B-D interactions and the simplest form of interaction is a regular solution format such that

$$G^{xs} = y_A^1 y_B^1 L_{A,B,*}^0 + y_C^1 y_D^1 L_{*,C,D}^0$$
(5.13)

where $L^0_{A,B,*}$ and $L^0_{*:C,D}$ denote regular solution parameters for mixing on the sublattices irrespective of the site occupation of the other sublattice and '*' denotes that the sublattice is independent of the constituent on that sublattice. Equation 5.13 is composition independent. However, the interactions can be composition dependent and the excess energy is then described with a subregular model (Equations 5.10 and 5.11).

According to the sublattice model developed by Sundman and 'gren [1981Sun], an intermetallic phase can be described as

$$(A_{y_A}B_{y_B},...)_p(C_{y_C}D_{y_D},...)_q....$$
 (5.14)

where the species A, B... can be atoms or vacancies. p and q are the number of sites, y_i and y_j^n are the respective site fractions of species i and j in their respective sub-sublattices, designated by ' and ". Each sublattice (s) has the condition $\sum_i y_i^s = 1$. When p + q + ... = 1, the thermodynamic quantities are referred to as one mole of sites.

The Gibbs energy of mixing for a sublattice phase is



$$G_{m} = G^{ref} + G^{id} + G^{xs} \tag{5.15}$$

The components of Equation 5.15 are expanded as follows [1981Sun]:

$$G^{ref} = y_A y_C^{"} G_{A:C}^{\circ} + y_A y_D^{"} G_{A:D}^{\circ} + y_B y_C^{"} G_{B:C}^{\circ} + y_B y_D^{"} G_{B:D}^{\circ}$$
(5.16)

$$G^{id} = RT[p(y_A \ln y_A + y_B \ln y_B) + q(y_C^* \ln y_C^* + y_D^* \ln y_D^*)]$$
 (5.17)

$$G^{xs} = y_A y_B [y_C L_{A,B:C} + y_D L_{A,B:D}] + y_C y_D [y_A L_{A:C,D} + y_B L_{B:C,D}] + y_A y_B y_C y_D L_{A,B:C,D} (5.18)$$

 $G_{A:B}^{\circ}$, $G_{A:D}^{\circ}$, $G_{B:C}^{\circ}$ and $G_{B:D}^{\circ}$ represent the Gibbs energy of formation of the stoichiometric compounds A_pC_q , A_pD_q , B_pC_q and B_pD_q , which might be stable, metastable or even unstable in the system. y_i^s is the site fraction of element i on sublattice s. In Equation 5.18, L is the interaction parameter and expressed as a function of temperature L = a + b * T.

For the special case where order-disorder relationships exist between phases in a system, the Gibbs energy can be described as [1998Ans]:

$$G_{m} = G_{m}^{dis}(x_{i}) + \Delta G^{ord*}(y_{i}, y_{i}^{"}) - \Delta G^{ord*}(x_{i}, x_{i})$$
(5.19)

where $G_m^{dis}(x_i)$ is the molar Gibbs energy contribution from the disordered state and $\Delta G_m^{ord}(y_i^i; y_i^n)$ is the ordering energy contribution, equal to zero in the disordered state and $\Delta G^{ord^*}(x_i, x_i)$ represents the extraneous excess energy contribution from the ordered parameters when the phase becomes disordered.

The power of the sublattice model lies in the fact that many of the other models, like the substitutional solution model, are simplifications of the SL/CEF. On the other hand, the model can be specifically applied to a complex ordered crystal structure, like sigma phase, or used to describe order-disorder relations between similar phases, like the γ/γ in Ni-based super alloys. Some of the applications of the CEF are listed in Table 5.1.

Table 5.1. Applications of the compound energy formalism.

Phase	Description
Stoichiometric Compound	$(A)_a(B)_b$
Interstitial Solutions	$(Fe, Ni)_p(C, N, Va)_q$
Substitutional Solutions	$(A_{x1},B_{x2},C_{x3},)$
Ordered Phase (ie Ni ₃ Al -Ll ₂)	$(Al,Ni)_{0.25}(Al,Ni)_{0.25}(Al,Ni)_{0.25}(Al,Ni)_{0.25}$
Ordered Phase (e.g. Ru ₂ Al ₃)	$(Al)_3(Al,Ru)_2(Ru,Va)$
Salt Mixtures	$(A^+, B^+)_a (C^-, D^-)_b$
III-V compounds	$(A^{III},B^{III})_A(C^VD^V)_b$
Liquid Ionic solution	$(Al^{+3})_p(O^{-2},SiO_4^{-4})_q$

A number of custom two-, three- and four-sublattice models have been developed to describe additional parameter relations in certain order-disorder transformations. These models ensure consistency and data compatibility in the descriptions from different researchers and allow the

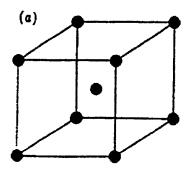


data to be extrapolated to higher order systems without adjusting the phase descriptions. The application of the CEF to fcc and B2 ordering will be discussed as in the Al-Pt-Ru system.

Hillert [2001Hil] recently published a comprehensive review article on the compound energy formalism. It was accompanied by an applications article by Frisk and Selleby [2001Fri], which will give the reader more insight into CEF modelling.

5.5.3.2.1 CEF applied to B2/A2 order/disorder transformation

The disordered format of the B2 phase (CsCl-type) is the A2 phase (W-type). Figure 5.4 presents schematic diagrams of both structures. The B2 phase can be seen as two interpenetrating primitive cubic sublattices and in the completely ordered crystals (ideal case) the positions of the first sublattice, α , are occupied by atoms of kind A and the other sublattice, β , by atoms of kind B. In the A2 structure, all the sites are equivalent and the structure is called disordered. Disordering reactions have been experimentally observed as first or second order.



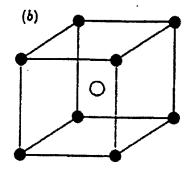


Figure 5.4. Schematic crystallographic structure of the A2 and B2 phases. (a). A2, the disordered structure, where all the sites are equivalent. (b) B2, the ordered structure where the occupation of the site in the centre of the cube is different to the one on the corner.

Phases with the B2 structure are generally formed around the equiatomic composition in binary systems and are often characterised by a considerable homogeneity range. In many cases, they remain ordered to high temperatures, and normally melt congruently. The deviations from the stoichiometric composition AB are possible by formation of statistically distributed point defects (so-called constitutional defects). Four basic kind of defects can occur in a crystal of the CsCl type (interstitial positions are not considered)

- (i) A atoms on the β sublattice;
- (ii) B atoms on the α sublattice;
- (iii) vacancies on the α sublattice or
- (iv) vacancies on the β sublattice.

The first two defects are called the anti-structure atoms. Traditionally, the B2 phases are divided into two groups according to the predominant defect mechanisms, the first group is dominated by anti-structure atoms (also called substitutional type) while the second group is dominated by vacancies on the α sublattices with A atoms on the β sublattice. The latter is called the triple defect, as two vacancies are needed to balance one anti-structure atom on the



other lattice. In only some B2 structures the defect mechanisms have been identified. In the modelling of the B2 phases, these defect structures have to be considered. This could be quite troublesome when the defect mechanism is not known and assumptions must be made. This has also lead to the use of different models to describe the B2 phase. Problems arose when different models were used and higher order systems had to be extrapolated.

Two CEF models have been used in the past to describe the B2 phase, where for a simple binary case, it can be described as

$$(A,B)(A,Va)$$
 or $(A,B)(A,B)$

Due to the different defects assumed, the models are incompatible and complex and cumbersome conversions are required to make the models equivalent.

A modification of the traditional two-sublattice model has been introduced by Dupin and Ansara [1999Dup]. It is called the Modified Sublattice Model (MSL) and considers all defects simultaneously in a symmetrical description of the B2 phase

$$(A,B,Va)_{0.5}(A,B,Va)_{0.5}(Va)_3$$
 (5.20)

This description is mathematically equivalent to the previous models. The mathematical conversion between the different models has been reported by Dupin and Ansara [1999Dup]. In the light of this modified model, Hillert and Selleby [2001Hil2] then suggested to treat all defects rather as point defects, as this simplifies the usage of the MSL model.

The MSL model introduces some constraints that must be met. As both lattices are identical, the Gibbs energy contribution of the ordered state is given by

$$G_{Al:Ru:Va}^{B2} = G_{Ru:Al:Va}^{B2} \tag{5.21}$$

$$G_{Al,Ru:Va}^{B2} = G_{Ru:Al,Ru:Va}^{B2} \tag{5.22}$$

In the case of the MSL the disordered state of the B2 phase is described by the bcc-A2 phase. However, when the MSL is used in an optimisation, certain parameters are not free and should not be optimised [1999Dup].

5.5.3.2.2 CEF applied to fcc ordering

The Pt₃Al phase is an ordered structure (L1₂) of the disordered fcc phase (A1), the latter in which the atoms are randomly distributed on the lattice. The Pt₃Al phase shows both long-range and short range order (*Iro* and *sro* respectively).

A four sublattice compound energy formalism (4SL CEF) has been successfully used by Sundman *et al.* [1998Sun] to describe the order-disorder relationship in the L1₂, L1₀ and fcc-Al phases in the Au-Cu system, where they introduced the concept of reciprocal parameters to describe the short range order. Kusoffsky *et al.* [2002Kus] described the general principles of the CEF applied to fcc ordering.

In order to model the disordered fcc phase (A1) and the ordered fcc phases (L1₀ and L1₂) phase with a single model, it is necessary to consider four sublattices. Thus according to 4SL CEF, the fcc phases for the case Al-Pt can be described with the following model



$$(A1,Pt)_{0.25}(A1,Pt)_{0.25}(A1,Pt)_{0.25}(A1,Pt)_{0.25}$$
 (5.23)

Physically, the sublattices describe the four corners of a tetrahedron in a unit cell, which are illustrated in Figure 5.5. Due to the crystallographic symmetry of the unit cell, the sublattices must be identical, implying that all nearest neighbours of an atom are on a different sublattice. With 0.25 sites for each sublattice, the requirement of 1 mole of atoms in the model is met. For the disordered structure (fcc_A1), all the sublattices are equivalent, which reduces this model to an equivalent (Al,Pt) substitutional model. When two sublattices have the same fractions, but are different to the other two which also have the same fractions, it describes the PtAl phase (L1₀ structure). When three sublattices have the same fractions and the fourth sublattice a different fraction, the above model describes the Al₃Pt and Pt₃Al phases (L1₂ structure). Not all four phases are necessarily stable in a system. PtAl₃ and Pt₂Al₂ are unstable in the Al-Pt system, i.e. they don't exist in any stable form in the Al-Pt system.

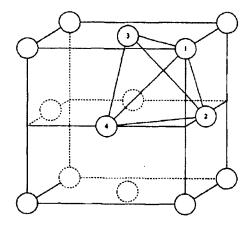


Figure 5.5. The face-centred cubic (fcc) structure. The numbers indicate the four sublattices for ordering.

From the model, the following relationships hold

$$\sum_{i} y_i^s = 1 \tag{5.24}$$

$$x_i = 0.25 \sum_{i} y_i^s \tag{5.25}$$

with y_i^s the site fraction of each element i on each sublattice s and x_i the molar fraction of i.

The Gibbs energy expression describing the fcc phases is

$$G_{m} = \sum_{i} \sum_{k} \sum_{l} y_{i}^{(1)} y_{j}^{(2)} y_{k}^{(3)} y_{l}^{(4)} G_{i,jkl} + 0.25RT \sum_{l} y_{i}^{(s)} \ln(y_{i}^{(s)}) + {}^{E}G_{m}$$
 (5.26)

where the first term describes the mechanical mixing of all the stoichiometric compounds defined by the model, with ${}^{o}G_{i:j:k:l}$ being the Gibbs energy of the stoichiometric compound ijkl relative to the pure elements in the fcc state. The second term is the random mixing of all elements in each sublattice. The excess term ${}^{E}G_{m}$ includes the first two interactions according to the CEF model and is defined as



$${}^{E}G_{m} = \sum_{i_{1}} \sum_{i_{2}} \sum_{j_{1}} \sum_{k} \sum_{l} y_{i_{1}}^{(r)} y_{i_{2}}^{(r)} y_{j}^{(s)} y_{k}^{(t)} y_{l}^{(u)} L_{i_{1}, i_{2}: j: k: l} + \dots +$$

$$\sum_{i_{1}} \sum_{l} \sum_{j_{2}} \sum_{k} \sum_{l} \sum_{j_{2}} \sum_{k} \sum_{l} y_{i_{1}}^{(r)} y_{i_{2}}^{(r)} y_{j_{1}}^{(s)} y_{j_{2}}^{(s)} y_{k}^{(t)} y_{l}^{(u)} L_{i_{1}, i_{2}: j_{1}, j_{2}: k: l} + \dots$$

$$(5.27)$$

The comma "," separates interacting constituents on the same sublattice and the column ":" separates the sublattices. The first summation describes the regular interaction parameters, $L_{i_1,i_2:j:k:l}$, which represents interactions between i_1 and i_2 on sublattice r, when the other sublattices, s, u and t, are occupied by constituents j, k and l. This is the next nearest neighbour interactions.

The second summation is called the reciprocal parameters. It represents the interaction on two sublattices, r and s, simultaneously while the other two sublattices, t and u, are occupied by constituents k and l respectively. This describes the nearest neighbour interactions, thus introducing a component to describe sro in the model. As all the sublattices are equivalent, symmetry relations can be applied to reduce the number of independent parameters.

The 4SL-CEF described above is mathematically equivalent to the two-sublattice CEF (2SL-CEF, first introduced by Ansara *et al.* [198Ans] for the Al-Ni system, as (Al,Ni)_{0.25}(Al,Ni)_{0.75}. describing fcc-A1 and Ni₃Al simultaneously. The 2SL-CEF has been widely used to describe the order-disorder relation in fcc phases. However, the 4SL-CEF can describe all the related fcc phases, resulting in a simpler description for multi-component systems where many of the fcc phases are stable.

5.6 CALPHAD Optimisations

The optimisation is based on the calculation of the local equilibria for the data-points used with the set of parameters. This is done through a least-squares method. The success of the optimisation depends on a number of factors, which, if not considered, can result in a set of parameters which give totally wrong results when the calculation is completed, even though a minimum set of parameters have been obtained.

The success of an optimisation depends on:

- 1. the selected models.
- 2. the selected experimental data,
- 3. the number of model parameters,
- 4. starting values for the model parameters, and
- 5. the order in which the parameters are optimised.

The main difficulty in starting an optimisation, after selecting the models, parameters and experimental data, is to supply starting values for all the model parameters that are optimised. Often parameters of a similar system can be used as starting values. However, the optimisation can fail to calculate a corresponding value for the data-points with the given set of starting values.

Thus, it is generally best to start with a minimum set of data and first calculate only the liquid phase and the end members, e.g. fcc or hcp, of the system. It is also important to include thermodynamic data-points as they can be explicitly calculated from the Gibbs energy model,



unlike phase diagram data that are implicit and have to be calculated through solving non-linear equations. Once acceptable descriptions for these have been obtained, the phases can be introduced one by one. The results should regularly be evaluated against the experimental data by calculating the phase diagram for the phases that have been assessed.

The optimisation programs report a standard deviation for each parameter being optimised, and its meaning should be considered throughout the optimisation, since it is a measure of the significance of the parameter. A large standard deviation implies that the parameter is badly determined and should not be included in the optimisation. In such cases, a fixed value can be assigned to the parameter or the model should be changed.

5.7 Prediction of higher order systems

The usual strategy for assessment of a multi-component system is shown in Figure 5.6. First, the thermodynamic descriptions of the constituent binary systems are derived. Thermodynamic extrapolation methods are then used to extend the thermodynamic functions of the binaries into ternary and higher order systems. The results of the experiments are compared to the extrapolation, and if necessary, interaction functions are added to the thermodynamic description of the higher order system.

The coefficients of these higher-order system interaction functions are, similar to the binary case, calculated using experimental data and the CALPHAD method. In principle, this strategy is followed until all 2, 3,... n constituent systems of an n-component system have been assessed. However, in most cases, no corrections or very minor corrections are necessary for reasonable prediction of quaternary or higher component systems, as true quaternary phases are rarely found in metallic systems.

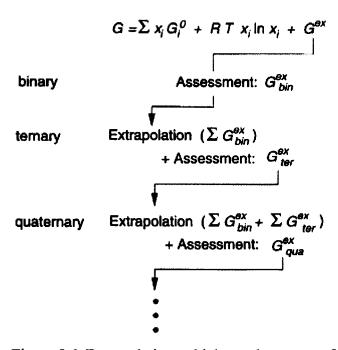


Figure 5.6. Extrapolation to higher order systems [1997Kat].

The results of such extrapolations can also be used to design critical experiments, saving the time and experimental cost to evaluate the complete system.



5.8 Conclusions

It has been shown above that computational methods can play an important role in materials science. Although the models used are simplified in comparison to real crystal structures, good approximations can be made of real systems. For some specialised cases, such as where order/disorder relationships exists between similar type of p hases, s pecialised models have been successfully developed to address the relationships and simplify the calculations.

The CALPHAD method can be used to build databases that can predict the phase and property diagrams for a system. Where there is not enough data yet for accurate predictions, computational thermodynamics is a useful tool to critically design experiments.



Chapter 6 Results and Discussion of the Assessments

The Al-Ru, Al-Pt and Al-Pt-Ru phase diagrams were assessed with the CALPHAD method, using the Parrot module [1984Jan] in Thermo-Calc [1985Sun]. This chapter describes the models used in the assessments, the experimental data used and reports the modelled sets of parameters for the phases in each system. The Pt-Ru system has not been optimised. Instead, the existing description has been taken from Spencer's [1998Spe] noble alloy database, which is only an extrapolation of the elemental data.

As no textbook is available on the finer subtleties of optimisation, the optimisations are discussed in detail. The reasons for certain decisions are provided, as in many cases, model parameters are fixed by the user and not optimised. The reader is referred to the Thermo-Calc user's guide for information on the format of the data.

6.1 The Models

The success of an optimisation is based on the selection of sound models to describe the phase. Although the phase descriptions in the CALPHAD method are not strictly based on the crystallography of the phases, the crystallography can provide insight in how to model the phase. Certain phases, like the intermetallic B2 phase, are important in many related alloy systems and should be modelled to be consistent with previous descriptions to allow future combination of phase diagrams for extrapolation to higher order systems.

The models used in this study are listed in Tables 6.1 and 6.2 for the Al-Ru and Al-Pt systems respectively. A phase is called 'stoichiometric' when it is a line compound. Where the phase model was selected after a similar phase already modelled, it is referenced. Furthermore, in the phases where there are defects on the sublattices, instead of a separate set of parameters, only an enthalpy term was added in the calculation to compensate for the defect. Vacancies are indicated as Va.

Table 6.1. Thermodynamic models of the intermetallic phases in Al-Ru.

Phase	Model description	Model prototype	Reference	Comments
RuAl ₆	(Al) ₆ (Ru)	MnAl ₆		Stoichiometric
Ru ₄ Al ₁₃	$(Al)_{0.6275}(Ru)_{0.235}(Al, Va)_{0.1375}$	Fe ₄ Al ₁₃		Sublattice
RuAl ₂	(Al) ₂ (Ru)(Al,Ru,Va)			Sublattice
Ru ₂ Al ₃	(Al) ₃ (Al,Ru) ₂ (Ru,Va)	Ni ₂ Al ₃		Sublattice
RuAl	$(A1,Ru,Va)_{0.5}(A1,Ru,Va)_{0.5}(Va)_3$	NiAl-B2	[1997Ans]	MSL
	(Al,Ru)(Al,Va)	CoTi-B2**	[2001Dav]	Sublattice



Table 6.2 Thermodynamic models of the intermetallic phases in Al-Pt.

Phase	Model description	Model	Reference	Comments
		prototype		
Pt ₅ Al ₂₁	$(Al)_{21}(Pt)_5$			Stoichiometric
Pt ₈ Al ₂₁	$(Al)_{21}(Pt)_8$			Stoichiometric
PtAl ₂	(Al) ₂ (Pt)			Stoichiometric
Pt ₂ Al ₃	$(Al)_3(Pt)_2$			Stoichiometric
PtAl	(Al)(Pt)			Stoichiometric
β	$(Al)_{0.48}(Pt)_{0.52}$			Stoichiometric
Pt ₅ Al ₃	(Al) ₃ (Pt) ₅			Stoichiometric
Pt ₂ A1	(Al)(Pt) ₂			Stoichiometric
Pt ₃ Al	$(Al,Pt)_{0.25}(Al,Pt)_{0.25}(Al,Pt)_{0.25}(Al,Pt)_{0.25}(Va)$	AuCu ₃	[1998Sun]	4SL CEF

The RuAl₆ phase is the only stoichiometric phase (line compound) in the Al-Ru system and the model is the simplified sublattice model for stoichiometric phases. Ru₄Al₁₃ and RuAl₂ both have a composition range over which they are stable, but no data are available on the defects resulting in the composition ranges. Ru₄Al₁₃ has been divided into 3 sublattices and modelled after the Fe₄Al₁₃ phase [COST507], as the structure has been compared to Fe₄Al₁₃ by Edshammer [1965Eds]. For RuAl₂, a sublattice has been added to accommodate the defects, only Va and Al atoms have been considered as defects as the phase width is more to the Al side of stoichiometry. Ru₂Al₃ is similar to the ordered Ni₂Al₃ and the description of Ansara *et al.* [1997Ans] was adopted. RuAl is a B2 phase with a very high degree of ordering throughout the temperature range that the phase is stable. Both vacancies and aluminium atoms have been suggested as defect mechanisms for this phase. In the sublattice description, the defect lattice contains Al and Va. The modified sublattice model (MSL) is completely symmetrical and the defects are only treated in selecting the model parameters which have to be calculated.

All the phases in the Al-Pt system, except for Pt₃Al, have been modelled as stoichiometric line-compound phases. According to the literature, the β phase is of the B2 type and has a composition range. The β phase has been simplified to a line compound, as no experimental or thermodynamic data are available. If data becomes available in future, the model can be changed without major impact on the overall set of parameters calculated for the system. The Pt₃Al phase has been described using the four-sublattice compound energy formalism (4SL CEF), suggested by Sundman [1998Sun] to treat the order-disorder relation in fcc structures (A1 and L1₂). To simplify the calculation, a functional approached is used for the 4SL CEF.

When the phases are modelled with different sublattices, the ratio of the sublattices can either be the stoichiometric ratios, or they can be defined as fractions so that the total number of sites adds up to one, so that the description describes one mole of atoms. In the first case, the parameters are then expressed as J/mole, while the latter is defined as J/mole of atoms. It is good practice to use only one of these methods, as mixing of the



methods can lead to confusion in the unit of the Gibbs energy for a phase. For example, the phase description for RuAl₆ can be (modified syntax)

```
ent-phase RUAL6 , 2 6 1 AL ; RU ; N N
G(RUAL6,AL:RU;0)=-156000+7*T+6*GHSERAL+GHSERRU ;

or
ent-phase RUAL6 , 2 0.8571 0.1429 AL ; RU ; N N
G(RUAL6,AL:RU;0)=-22286+T+0.8571*GHSERAL+0.1471*GHSERRU ;
```

where the first set gives the results in J/mole and the second set the results in J/mole of atoms, as the description is referring to one mole of atoms only. In this calculation of the Al-Ru system, both these descriptions had been used, while all sublattices were normalised to one mole in the Al-Pt system.

The Al-Pt-Ru p hase diagram has only been extrapolated from the binaries; no ternary elements have been added to any of the intermetallic phases. A ternary assessment will only be possible when some thermodynamic data becomes available for the system. Ternary parameters would then probably have to be added to the liquid and fcc/Ll₂ phases in the system. The optimisation of the ternary system falls outside the scope of this study.

The thermodynamic database for Al-Pt-Ru is listed in Appendix C, providing detailed descriptions of the phases.

6.2 Some basic concepts

The best approach to an optimisation with the Parrot module is to create a set-up file containing all the phase information, with variables for the model parameters that will be calculated. This is a text file with a .TCM extension and it is run with the 'macro' command in Thermo-Calc. Extra information can be entered into this file for future reference, model changes can be indicated allowing the user to keep track of the input and major phase compositions can be set to assist in the calculations.

To assist in the calculation of the ordered RuAl-B2 phase, a command setting the major composition was included, thus having Al on the first sublattice and Ru on the second. Only model parameters for the enthalpy contribution were set in the RuAl-B2 phase, the entropy contribution is described by the disordered bcc-A2 phase.

Experimental data are summarised in the POP file. The data are entered in 'equilibrium' sets. Each condition has its own data-set associated with it, and an example for the eutectic reaction $L \rightarrow (Ru) + RuAl$ at 2193 K and 70 at% Ru is provided here.



CREATE 1 1
SET-LABEL AINV
CHANGE-STATUS PHASE LIQUID HCP B2=FIX 0
SET-CONDITION P=1e5 T=2193:2
EXPERIMENT X(LIQUID,RU)=0.7:0.05
EXPERIMENT ORD≥0.9
SET-ALT-COND X(HCP,RU)=0.96
SET-ALT-COND X(B2,RU)=0.505

The conditions of the fixed phases, pressure and temperature fix the equilibrium. The 'experiment' is not an independent condition.

The ordering of the RuAl-B2 phase is important and a function

$$ORD = (Y(B2,A1#1) - Y(B2,A1#2))^2$$

was included in all the datasets containing the RuAl-B2 phase to ensure the RuAl-B2 phase is always ordered; this was met when $ORD \ge 0.7$. The physical meaning of this is that the difference of the fraction of Al atoms on the first and Al atoms on the second lattice is calculated and when this is equal to one, the structure is fully ordered (only Al atoms on the one sublattice, and only Ru atoms on the second sublattice).

ALT conditions were added for when the optimisation is done in ALT mode. The ALT mode is discussed below.

Additional datasets were also added where negative driving forces were set to ensure the stability of a phase to lower temperatures. The Thermo-Calc POP files containing the datasets used in the optimisations are listed in Appendix D.

6.3 Assessment procedures

6.3.1 Al-Ru

The phase (Al) shows virtually no solubility for Ru, and on the phase diagram, (Al) forms through the eutectic reaction $L \rightarrow (Al) + RuAl_6$ at < 0.01 at % Ru and 923 K, only 3 degrees lower than the melting point of pure Al. This implies that the slope of the liquidus must be negative at the temperature axis. So, as a first step, to ensure that the slope of the liquidus was correct at the melting point of the Al-fcc phase, only the liquid, Al-fcc and Ru-hcp phases were optimised. A metastable eutectic reaction was created for this purpose. This also ensured that the slope on the Ru-side is correct, though this would not have been a problem due to the high melting temperature of Ru and the fact that the eutectic $L \rightarrow (Ru) + RuAl$ occurs at 2193 K and 70 at. % Ru, about 414 K lower than the melting temperature of Ru.



However, when there is virtually no solubility of ruthenium in the (Al) solid phase, the slope of the liquidus surface is dependent on the enthalpy of melting. This means that the parameter cannot be effectively optimised and arbitrary values can be selected and fixed for the fcc phase. For fcc-A1, the interaction parameter $L_{Al,Ru}^0$ was set to -10 000 - 10*T from experience with other systems [2000Sun].

Once an acceptable liquidus slope was calculated, the RuAl-B2 phase, using the modified sublattice (MSL) formalism description, was included in the optimisation as this is the only phase with experimental thermodynamic data. This also gave the liquid phase a reference point. The bcc-A2 phase had to be introduced with the RuAl-B2 phase, as the bcc-A2 phase describes the disordered Gibbs energy contribution of the RuAl-B2 phase. The model parameters for the bcc-A2 interactions, where mixing with vacancies occurs ($L^0_{Al,Va}$ and $L^0_{Ru,Va}$), were set to a high positive value (80*T) as this prevents the stabilisation of the bcc-A2 phase due to excess vacancies in the RuAl-B2 phase.

The ALT mode in Parrot was used to determine the first model parameters, as the parameters initially were set to zero. The optimisation was continued in the normal mode once the ALT mode converged. The ALT mode is based on a 'reversal' of the normal model: the difference in chemical potential for each phase is calculated as the 'experimental information' and the program adjusts the model parameters to make the chemical potentials of all the phases the same, usually resulting in model parameters which can be successfully used as starting values in the normal mode. When the ALT mode is going to be used, extra information, such as the compositions of all the phases partaking in the equilibrium, should be included in the POP file.

An alternative to the ALT mode is to select starting values for model parameters from similar systems previously optimised. In a second optimisation, prompted at a later stage due to a model change, this approach was followed. There are many examples of the B2 phase, and the most well-known is probably the NiAl-B2 phase. However, the parameters from NiAl-B2 phase [1999Dup] could not be used, as NiAl-B2 has its phase extension to the Ni-rich side while RuAl-B2 has its phase width to the Al-rich side. TiCo-B2 has a similar phase shape as RuAl-B2, and the data from Davydov et al. [2001Dav] was used as a first estimation. In the initial optimisation, it was necessary to relax the ordering requirement to 0.7 until better model parameters were obtained.

The other phases, except for the Ru₂Al₃ phase, were introduced simultaneously. The liquid parameters were fixed while introducing the other phases into the calculation. These phases were introduced as stoichiometric congruent melting phases instead of the cascade of peritectic reactions by which they form in the phase diagram. This was done as congruent melting equilibria are easier to calculate than peritectic reactions. Once the phases were forming at the correct composition ranges in the calculated phase diagram, the peritectic reactions were introduced and the weights on the metastable congruent melting data were set to zero. The phase widths for Ru₄Al₁₃ and RuAl₂ were only introduced after satisfactory results were obtained for the peritectic reactions.

Finally, the Ru₂Al₃ phase was introduced in a similar fashion as the above phases. The solid-state decomposition dataset was included at the end.

To ensure stability of the thermodynamic parameters of the intermetallic phases, a condition forcing the entropy of formation to be negative was set. The coefficients of the B2 and A2 phases were tested for interdependence and the entropy contribution of the ordered B2 phase is described by the disordered A2 phase. The interdependence testing was done by calculating the solubility range of the B2 phase as a function of the L(bcc-A2,A1,Ru) parameter. When the L(bcc-A2,A1,Ru) parameter is made more negative, the solubility range for B2 becomes wider, whereas when the G(B2,A1:Ru) = G(B2,Ru,A1) is made more negative, the solubility range becomes more narrow. Thus the parameters for the bcc-A2 phase could be fixed to give a reasonable solubility range for the B2 phase and the B2 parameters were optimised to adjust the solubility range.

The parameters were fixed through a rounding process. The parameter with the largest standard deviation was fixed with the number of significant numbers determined by the exponent of the standard deviation. The set of parameters was optimised again to ensure that the total sum of squares of error does not increase. This was repeated until only one value was left.

As the B2 phase can be described by either the MSL or the SL model, a second assessment was performed to obtain model parameters for the B2 phase using the SL model. The mathematical conversion model proposed for converting between MSL and SL parameters is not valid for the Al-Ru system as the bcc-A2 phase is unstable in this system, forcing some constraints on the MSL parameters [1999Dup].

For the SL optimisation, all the parameters calculated in the MSL optimisation were fixed. The description of the B2 phase was changed to the sublattice format. Only these parameters were optimised during the second assessment. The values from the TiCo-B2 phase [2001Dav] were used as starting values.

6.3.2 Al-Pt

The optimisation of Al-Pt was a re-assessment, as Wu and Jin [2000Wu] assessed the Al-Pt system. The re-assessment was considered to be necessary as their assessment did not describe the ordering in the Pt₃Al phase, and they also excluded the β and Pt₂Al phases from their optimisation due to a lack of experimental data on the phases. To be compatible with the latest order-disorder modelling of systems with a γ/γ' relation, the disordered fcc-Al and ordered Pt₃Al should be described using one Gibbs energy function. Furthermore, based on new experimental data [2000Big1, and this work], which were not available previously, the Pt₂Al and β phases have been confirmed and should thus be included.

The values reported by [2000Wu] were used as initial input values to the re-assessment. When their results were reproduced, the description for the fcc phases were changed to

the four-sublattice compound energy formalism (4SL CEF). In the 4SL CEF, the ordered Pt₃Al (L1₂ type fcc phase) and disordered fcc-A1 phases are described with one Gibbs energy function. The physical meaning of the 4SL CEF has been described in Chapter 5. In the Al-Pt system, only the fcc-A1 and Pt₃Al-L1₂ phases are stable, the PtAl₃-L1₂ and Pt₂Al₂-L1₀ phases are unstable. Pt₃Al forms congruently. Metastable congruent melting equilibria were introduced for the unstable phases, and a condition was set to suppress the phases in the diagram.

The Pt₂Al and β phases were also introduced initially by a metastable congruent melting as described in the Al-Ru system. The metastable conditions were removed and the peritectic reactions were introduced. The solid-state decomposition of the β phase was added in the final step. Although the literature [1986McA] suggests that the β phase has a B2 structure, it was decided not to model β as a B2 phase for a number of reasons. Firstly, the B2 phase descriptions are usually symmetrical around the 50:50 at. % compositions, thus a B2 phase description will have to be too far off the stoichiometry composition, suggesting excess defect formation in the phase. No data were available to confirm or contradict this. Secondly, because the B phase decomposes through a solidstate reaction at 1250 K, structural studies are extremely difficult. Thirdly, the PtAl phase is stable at 50:50 at. % in the system, with the Pt₂Al₂ phase from the 4SL CEF unstable at this same composition. Adding another phase at this composition would have complicated the optimisation too much. Also, the \beta phase (suggested to be the B2 structure) and RuAl-B2 phase are not continuous in the ternary system, so they can be modelled separately as simpler systems. It is usually better to model phases which are not continuous separately when a binary will be extrapolated to higher order systems.

6.3.3 Al-Pt-Ru

The Al-Pt-Ru phase diagram was predicted by extrapolation only from the three binary systems after the binary optimisations had been performed. However, thermodynamic parameters for the metastable descriptions of hcp-Pt, bcc-Pt and fcc-Ru were added from the SGTE database since all the metastable forms relevant to the system must be included in the description. Only the MSL B2 description version of the calculated Al-Ru system was used in the extrapolation.

Pt and Ru were added to the B2 and L1₂ phases respectively to stabilise these phases in the ternary system. B2 and L1₂ are both ordered phases and are described with one Gibbs energy function for the ordered and disordered forms of the phases, using the MSL model and 4SL CEF respectively. The inclusion of the third element to the disordered solutions (bcc and fcc respectively) requires the inclusion of the third element in the ordered phase as well. However, no parameters were included in the ordered descriptions for the third elements. No ternary interaction parameters were included for any phase in the system.



6.4 Results and discussion

6.4.1 Al-Ru

The calculated model parameters for the Al-Ru system are listed in Table 6.3. The calculated phase diagram is shown in Fig 6.1. The calculated phase diagram is compared with experimental data in Figure 6.2 and the invariant temperatures and compositions are compared in Table 6.4.

Table 6.3 Cal	culated thermodynamic parameters for the Al-Ru system [J/mol]
Liquid	Disordered Solution Phase: (Al,Ru)
	${}^{0}G_{Al}^{liq}(T) - H_{Al}^{0,fcc-Al}(298.15):[1991Din]$
	${}^{0}G_{Ru}^{liq}(T) - H_{Ru}^{0,hcp-A3}(298.15):[1991Din]$
	$^{0}L_{(Al,Ru)}^{Liq} = -73000 - 14T$
	$^{1}L_{(Al,Ru)}^{Liq} = -56000$
(Al) (fcc-A1)	Disordered Solution Phase: (Al,Ru)(Va)
	${}^{0}G_{Al}^{fcc-A1}(T) - H_{Al}^{0,fcc-A1}(298.15)$:[1991Din]
	${}^{0}G_{Ru}^{fcc-Al}(T) - H_{Ru}^{0,fcc-Al}(298.15)$:[1991Din]
	$^{0}L_{(Al,Ru)}^{fcc} = -10000 - 10T$
(Ru) (hcp-A3)	Disordered Solution Phase: (Al, Ru)(Va) _{0.5}
	${}^{0}G_{Ru}^{hcp-A3}(T) - H_{Ru}^{0,hcp-A3}(298.15)$:[1991Din]
	${}^{0}G_{Al}^{hcp-A3}(T) - H_{Al}^{0,hcp-A3}(298.15)$:[1991Din]
	${}^{0}L_{(Al,Ru)}^{hcp} = -105000 + 30T$
bcc-A2	Disordered Solution Phase: (Al, Ru, Va)(Va) ₃
	${}^{0}G_{Al}^{bcc-A2}(T) - H_{Al}^{0,bcc-A2}(298.15)$:[1991Din]
	${}^{0}G_{Ru}^{bcc-A2}(T) - H_{Ru}^{0,bcc-A2}(298.15):26500-6.2*T+GHSERRU$ [1991Din]
	${}^{0}L_{Al,Ru:Va}^{bcc} = -176000 + 32 * T$
	${}^{0}L^{bcc}_{Al,Va:Va} = 120 * T$
	${}^{0}L^{bcc}_{Ru,Va:Va} = 120 * T$
RuAl ₆	Stoichiometric Phase: (Al) ₆ (Ru)
	${}^{f}G_{Al:Ru}^{RuAl_{6}} = 6^{0}G_{Al}^{fcc-A1} + {}^{0}G_{Ru}^{hcp-A3} - 156000 + 7 * T$
Ru ₄ Al ₁₃	Sublattice Solution Phase: (Al) _{0.6275} (Ru) _{0.235} (Al,Va) _{0.1375}
	${}^{f}G_{Al:Ru:Al}^{Ru_{4}Al_{13}} = 0.765^{0}G_{Al}^{fcc-A1} + 0.235^{0}G_{Ru}^{hcp-A3} - 35100 + 1.65 * T$
	${}^{f}G_{Al:Ru:Va}^{Ru_{4}Al_{13}} = 0.6275^{0}G_{Al}^{fcc-A1} + 0.235^{0}G_{Ru}^{hcp-A3} - 35100 + 1.65 *T$
RuAl ₂	Sublattice Solution Phase: (Al) ₂ (Ru)(Al,Ru,Va)

$$\begin{cases} G_{Al;Ru;Yu}^{Rad,l_1} = 2^0 G_{Al}^{fc-Al} + ^0 G_{Ru}^{hep-A3} - 136500 + 8 * T \\ f G_{Al;Ru;Al} = 3^0 G_{Al}^{fc-Al} + ^0 G_{Ru}^{hep-A3} - 138000 + 8 * T \\ f G_{Al;Ru;Al} = 2^0 G_{Al}^{fc-Al} + ^0 G_{Ru}^{hep-A3} - 138000 + 8 * T \\ f G_{Al;Ru;Ru}^{Rad,l_2} = 2^0 G_{Al}^{fc-Al} + ^0 G_{Ru}^{hep-A3} - 138000 + 8 * T \\ \end{cases}$$

$$\mathbf{Ru_2Al_3}$$
Sublattice Solution Phase: (Al)₃(Al,Ru)₂(Ru,Va)
$$f G_{Al;Al;Ru}^{hea,l_1} = 5^0 G_{Al}^{bec-Al} + ^0 G_{Ru}^{bec-Al} \\ f G_{Al;Ru;Ru}^{hea,l_1} = 3^0 G_{Al}^{bec-Al} + ^0 G_{Ru}^{bec-Al} \\ f G_{Al;Ru;Ru}^{hea,l_1} = 3^0 G_{Al}^{bec-Al} + ^0 G_{Ru}^{bec-Al} - 312630 + 30.5 * T \\ f G_{Al;Ru;Ru}^{hea,l_1} = 3^0 G_{Al}^{bec-Al} + ^0 G_{Ru}^{bec-Al} - 312630 + 30.5 * T \\ \end{cases}$$

$$\mathbf{RuAl} (\mathbf{B2})$$
Sublattice Solution Phase: (Al,Ru)(Al,Va)
$$f G_{Al;Al}^{B2} = 2^0 G_{Al}^{bec-Al} + 60000$$

$$f G_{Al;Al}^{B2} = 0^0 G_{Al}^{bec-Al} + 60000$$

$$f G_{Ru;l_2}^{B2} = 0^0 G_{Ru}^{bec-Al} + 60000$$

$$f G_{Ru;l_3}^{B2} = 0^0 G_{Ru}^{bec-Al} + 60000$$

$$f G_{Ru;l_4}^{B2} = 0$$

$$f G_{Ru;Ru;l_4}^{B2} = 0$$

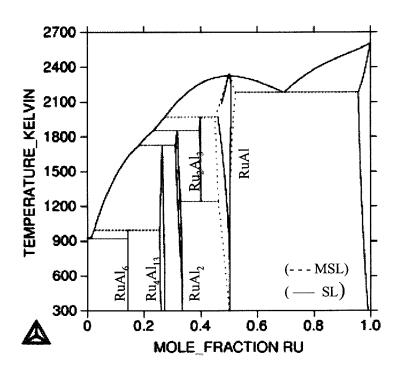


Figure 6.1 The calculated Al-Ru phase diagram showing RuAl-B2 calculated using the SL (—) and MSL (---) models.

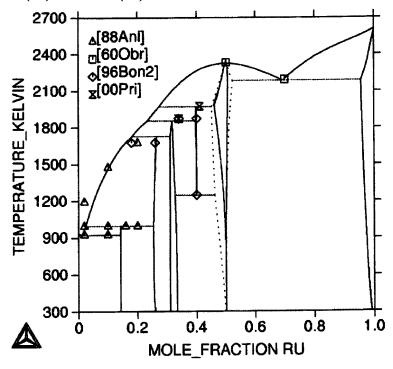


Figure 6.2 Comparison between the calculated Al-Ru phase diagram and experimental data from the literature (as listed in Table 6.4)

The calculated temperatures for the invariant reactions are in good agreement with the experimental temperatures, except for the peritectic formation of the Ru₄Al₁₃ phase, which is about 50 K too high. This is probably due to the modifications to the invariant temperatures for the RuAl₂ and Ru₂Al₃ phases by Prins and Cornish [2000Pri] to correct the liquidus slope from the diagram of Boniface and Cornish [1996Bon2].

The homogeneity ranges of the Ru₄Al₁₃ and RuAl₂ phases are acceptable in comparison with the experimental data. Ru₂Al₃ appears as a stoichiometric compound with no homogeneity range. The optimisation was simplified due to the lack of data for this phase and no interaction on any of the sublattices was taken into account, so effectively no defects were considered. The phase appears in the correct composition and temperature ranges and the description is considered satisfactory for the purpose of this work.

The two descriptions for the RuAl-B2 phase compare well, with the MLS description giving a better agreement to experimental data for the composition range. Both descriptions have a very limited extension to the Ru-rich side and correctly have the composition range to the Al-rich side.

Table 6.4 Calculated and Experimental invariant temperatures and compositions for the Al-Ru system.

Reaction (at. %Ru)				Reaction Temperature [K]	Reference	
L	↔	(Al)	+	RuAl ₆		
0.1		0		14.8	923	[1988Anl]
0.1		0		14.3	922	This work
L	+	Ru ₄ Al ₁₃	\leftrightarrow	RuAl ₆		
1.5		25		14.3	996	[1988Anl]
2.5		25.4		14.3	997	This work
L	+	RuAl ₂	+	Ru ₄ Al ₁₃		
17.6		33.6		25.8	1676	[1988Anl]
18.1		31.1		26.7	1725	This work
L	+	Ru ₂ Al ₃	\leftrightarrow	RuAl ₂		
26		36		33.4	1733	[1996Bon1]
23		36.1		33.9	1873	[2000Pri]*
23.4		39.6		31.8	1854	This work
L	+	RuAl	+	Ru ₂ Al ₃		
33.5		42.5		42	1873	[1996Bon1]
27		42		41	1973	[2000Pri]*
35		45.9		39.9	1978	This work
Ru ₂ Al ₃	\leftrightarrow	RuA1	+	RuAl ₂		
395		46		35.9	1249	[1996Bon1]
40		49.5		32.9	1243	This work
L	+	→ RuAl				
50		50			2333	[1960Obr]
50		50			2342	This work
L	+	RuAl	+	(Ru)		
70		51		96	2193	[1960Obr]
69.7		50.7		95.7	2189	This work

^{*} indicates values which was used for the optimisation.

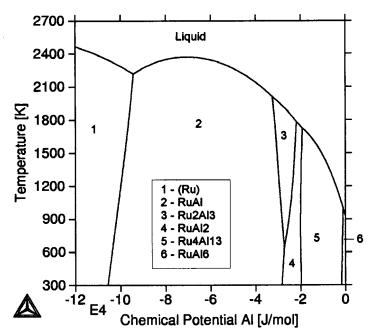


Figure 6.3. Phase diagram of temperature against chemical potential of Al.

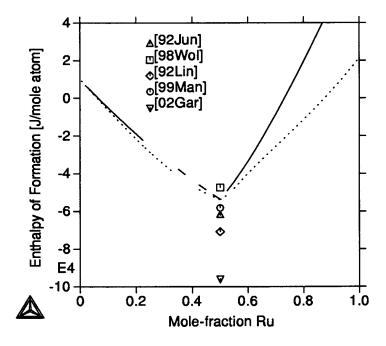


Figure 6.4. Comparison of calculated enthalpy of formation for the SL (—) and MSL (---) RuAl-B2 models with experimental results [1992Jun] and *ab initio* [1992Lin, 1998Wol, 1999Man, 2002Gar] predictions.

In Figure 6.3, the phase diagram is plotted as a function of the chemical potential of the Al instead of composition. The slope of the curves is equal to dG/dT, which represents the entropy. The diagram shows that no phase has an excessive entropy contribution, which is important as most of the thermodynamic data that was used in the optimisation was obtained by Miedema's semi-empirical method. In Figure 6.4 the enthalpy of formation for the sublattice and MSL descriptions of the RuAl-B2 phase is compared to experimental and ab initio values from the literature. The enthalpy of formation is in good agreement with the experimental value from Jung and Kleppa [1992Jun]. As expected, the MSL description resulted in a more symmetrical curve for the enthalpy of formation. For the sublattice description, the curve on the Ru-rich side of the 50:50 at. % composition indicates that the phase becomes more unstable at the higher Ru contents, which is in agreement with the non-symmetrical model.

6.4.2 Al-Pt

The calculated model parameters for the Al-Pt system are listed in Table 6.5. The optimised/calculated phase diagram is shown in Figure 6.5. The optimised phase diagram is compared with experimental data from the literature in Figure 6.6 and the invariant temperatures and compositions are compared in Table 6.6. The reactions for the PtAl, β and liquid phases are enlarged in Figure 6.7, as these are nearly indistinguishable on the full binary diagram.

The calculated compositions and temperatures for the invariant reactions for the intermetallic phases are in general good agreement with the experimentally reported compositions and temperatures. However, there are some areas in less good agreement, and in most cases it is due to the models being used.

The congruent formation of the Pt_3Al phase and $L \rightarrow Pt_3Al + (Pt)$ eutectic reactions are not in very good agreement with the experimental diagram, both reactions are shifted to lower platinum compositions in the calculated system. The 4SL CEF model is such that the formation composition of Pt_3Al is fixed at 75 at. %, while it has been reported in the literature to form congruently at 73.2 at. %. This off-stoichiometry formation cannot be described with the model, and had subsequently an influence on the temperature as well as the enthalpy of formation for the Pt_3Al phase. The symmetry and fixed compositions of the 4SL CEF model made it also impossible to move the eutectic reaction to lower Pt_3Al phase is narrow, especially at lower temperatures, but the phase area of the Pt_3Al phase is acceptable. However, the Pt_3Al phase is ordered throughout its phase area and the unstable $PtAl_3$ ($L1_2$) and Pt_2Al_2 ($L1_0$) phases, which are introduced through the 4SL CEF, are not stable at any composition or temperature in the phase diagram, which is correct.

Since the β -phase has been modelled as a line compound, with the stoichiometric composition fixed to the experimentally reported formation composition of 52 at% Pt, there are some discrepancies in the comparison of the calculated and experimentally reported compositions and temperatures. The formation composition and temperature are in good agreement with the value reported in literature, but the decomposition



composition is incorrect. The literature suggests the β-phase as an irregular phase area (see the Al-Pt phase diagram, Chapter 2, Figure 2.1), with the decomposition at higher platinum contents than the formation platinum content. This affected the calculated results for the reactions involving the β-phase. The calculated eutectic temperature for the $L \rightarrow \beta + Pt_5Al_3$ is ~50 K too high. This can also be due to the estimate of the enthalpy of formation for the β phase. The phase area is enlarged in Figure 6.7.

The Pt₅Al₃ phase forms experimentally through a peritectic reaction L + Pt₃Al \rightarrow Pt₅Al₃, which is very close to the liquid, it seems very close to a congruent melting reaction. The calculated Pt₅Al₃ phase forms congruently at 1750 K and 62.5 at. % Pt. This introduced an extra eutectic reaction $L \rightarrow Pt_5Al_3 + Pt_3Al$ at 1720 K and 67.1 at. % Pt, which is not observed in the experimental diagram.

On the Al-side of the phase diagram the (Al) shows a too high solubility for platinum. This is again due to the use of the 4SL CEF to describe the fcc phases. This also shifted the eutectic reaction $L \rightarrow (Al) + Pt_5Al_{21}$ to a too high Pt-content. As a result of the too high platinum solubility and the shift of the eutectic reaction, the liquidus is also too far too the right in comparison to results reported in the literature. However, the calculated results were accepted since the work is not aimed at studying Al-based alloys.

Table 6.5.	The calculated model parameters for Al-Pt [J/mole of atoms].
Liquid	Disordered Solution Phase: (Al,Pt)
	${}^{0}G_{Al}^{liq}(T) - H_{Al}^{0,fcc-A1}(298.15)$:[1991Din]
	${}^{0}G_{P_{l}}^{liq}(T) - H_{P_{l}}^{0,hcp-A3}(298.15)$:[1991Din]
	$^{0}L_{(Al,Pt)}^{Liq} = -352540 + 114.8 * T$
	$^{1}L_{(Al,Pt)}^{Liq} = 68570 - 53 * T$
fcc-A1	Disordered Solution Phase: (Al,Pt)(Va)
	${}^{0}G_{Al}^{fec-A1}(T) - H_{Al}^{0,fec-A1}(298.15):[1991Din]$
	${}^{0}G_{Pl}^{fcc-Al}(T) - H_{Pl}^{0,fcc-Al}(298.15)$:[1991Din]
	$^{0}L_{(AI,Pt)}^{fcc-A1} = ULDO + DGO + 1.5 * USRO$
	$^{1}L_{(Al,Pt)}^{fcc_A1} = ULD1 + DG1$
	$^{2}L_{(Al,Pt)}^{fcc_A1} = ULD2 + DG2 - 1.5 * USRO$
Pt ₅ Al ₂₁	Stoichiometric Phase: (Al) _{0.8077} (Pt) _{0.1923}
	${}^{f}G_{Al:Pl}^{Pl_{5}Al_{21}} = 0.8077^{0}G_{Al}^{fcc-A1} + 0.1923^{0}G_{Pl}^{fcc-A1} - 56870 + 14.8 * T$
Pt ₈ Al ₂₁	Stoichiometric Phase: (Al) _{0.7242} (Pt) _{0.2759}
	${}^{f}G_{Al:Pl}^{Pl_8Al_{21}} = 0.7242^{0}G_{Al}^{fcc-A1} + 0.2759^{0}G_{Pl}^{fcc-A1} - 81805 + 23.2 *T$
PtAl ₂	Stoichiometric Phase: (Al) _{0.666} (Pt) 0.334
	${}^{f}G_{Al:Pl}^{PtAl_{2}} = 0.666^{0}G_{Al}^{fcc-Al} + 0.334^{0}G_{Pl}^{fcc-Al} - 87371 + 22.1 * T$
Pt ₂ Al ₃	Stoichiometric Phase: (Al) _{0.6} (Pt) _{0.4}

```
{}^{f}G_{Al;Pl}^{Pl_2Al_3} = 0.6^{0}G_{Al}^{fcc-Al} + 0.4^{0}G_{Pl}^{fcc-Al} - 89885 + 21.5 *T
                              Stoichiometric Phase: (Al)<sub>0.5</sub>(Pt)<sub>0.5</sub>
PtAl
                              {}^{f}G_{Al:Pl}^{PlAl} = 0.5^{\circ}G_{Al}^{fcc-Al} + 0.5^{\circ}G_{Pl}^{fcc-Al} - 94071 + 24.1*T
                             Stoichiometric Phase: (Al)<sub>0.48</sub>(Pt)<sub>0.52</sub>
{}^{f}G^{\beta}_{Al:Pt} = 0.48^{0}G^{fcc-Al}_{Al} + 0.52^{0}G^{fcc-Al}_{Pt} - 92959 + 24.1*T
Beta
Pt<sub>5</sub>Al<sub>3</sub>
                              Stoichiometric Phase: (Al)<sub>0.375</sub>(Pt)<sub>0.625</sub>
                              {}^fG_{Al:Pl}^{Pl_5Al_5} = 0.375{}^0G_{Al}^{fcc-Al} + 0.625{}^0G_{Pl}^{fcc-Al} - 87260 + 24 * T
Pt<sub>2</sub>Al
                              Stoichiometric Phase: (Al)<sub>0.334</sub>(Pt)<sub>0.666</sub>
                              ^{f}G_{Al:Pl}^{Pl_{2}Al} = 0.334^{0}G_{Al}^{fcc-Al} + 0.666^{0}G_{Pl}^{fcc-Al} - 85325 + 24.9 *T
                              4SL-CEF: (Al,Pt)<sub>0.25</sub>(Al,Pt)<sub>0.25</sub>(Al,Pt)<sub>0.25</sub>(Al,Pt)<sub>0.25</sub>
L1<sub>2</sub> (Pt<sub>3</sub>Al)
                              {}^fG^{L1_2}_{Al:Al:Al:Pl} = {}^fG^{L1_2}_{Al:Al:Pl:Al} = {}^fG^{L1_2}_{Al:Pl:Al:Al} = {}^fG^{L1_2}_{Pl:Al:Al:Al} = UPTAL3
                              {}^{f}G_{Al;Al;Pl;Pl}^{L1_{2}} = {}^{f}G_{Al;Pl;Pl;Al}^{L1_{2}} = {}^{f}G_{Pl;Pl;Al;Al}^{L1_{2}} = {}^{f}G_{Pl;Al;Al;Pl}^{L1_{2}} = UPTAL
                              {}^fG^{L1_2}_{Al:Pl:Pl:Pl}={}^fG^{L1_2}_{Pl:Al:Pl:Pl}={}^fG^{L1_2}_{Pl:Pl:Al:Pl}={}^fG^{L1_2}_{Pl:Pl:Al:Pl}=UPT3AL
                              L^{L1_2}_{Al,Pl;\bullet,\bullet,\bullet} = L^{L1_2}_{\bullet;Al,Pl;\bullet,\bullet} = L^{L1_2}_{\bullet,\bullet;Al,Pl;\bullet} = L^{L1_2}_{\bullet,\bullet,\bullet;Al,Pl} = UL0
                              L^{L1_2}_{\mathcal{A}l,Pt:\mathcal{A}l,Pt:\bullet,\bullet} = L^{L1_2}_{\bullet:\mathcal{A}l,Pt:\mathcal{A}l,Pt:\bullet} = L^{L1_2}_{\bullet:\bullet,l,Pt:\mathcal{A}l,Pt:\mathcal{A}l,Pt} = L^{L1_2}_{\bullet:\bullet,l,Pt:\bullet,l,Pt} = L^{L1_2}_{\mathcal{A}l,Pt:\bullet,l,Pt} = USRO
UAB
                             = -13595 + 8.3 * T
UPTAL = 3 * UAB - 3913
UPTAL3
                              = 4 * UAB
UPT3AL
                              = 3 * UAB
USRO
                             =UAB
ULO
                              = 1412.8 + 5.7 * T
                              = -110531 - 22.9 * T
ULD0
ULD1
                              = -25094
ULD2
                             = 21475
DGO
                              = UPTAL3 + 1.5 * UPTAL + UPT3AL
DG1
                             = 2 * UPTAL3 - 2 * UPT3AL
                             = UPTAL3 - 1.5 * UPTAL + UPT3AL
DG2
```

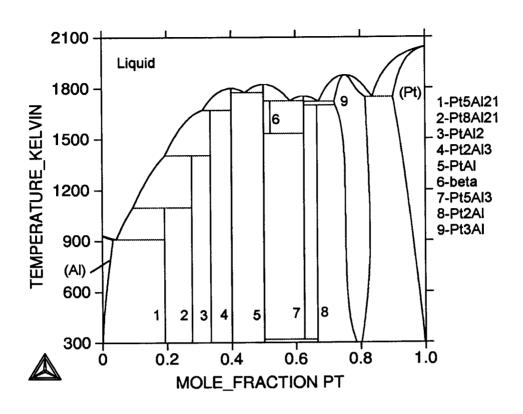


Figure 6.5. The calculated Al-Pt phase diagram.

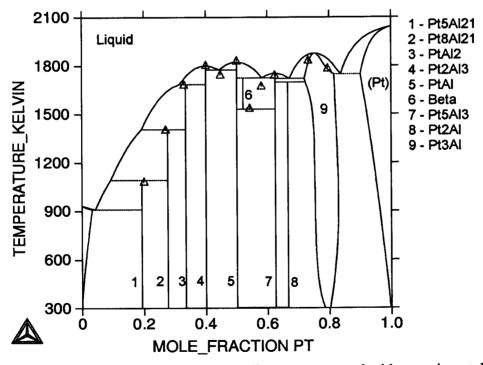


Figure 6.6. The calculated Al-Pt phase diagram compared with experimental invariant data points from the literature [1986McA].

Table 6.6. Experimental and calculated invariant temperatures and compositions for the Al-Pt system.

	n and Co	mpositions	}		Reaction	Reference
(at. % F	Pt)				Temperature [K]	
L		Pt ₃ A1	+	(Pt)		
79.5		76.4		85.7	1780	[1986McA]
83.7		81.1		99	1748 1	This work
PtA1	+	L	\leftrightarrow	β		
50.0		53.7		51.5	1783	[1986McA]
50.0		58		52.0	1725 ²	This work
L	\leftrightarrow	Pt ₂ Al ₃	+	PtAl		
44.47		40.0		50.0	1741	[1986McA]
46.7		40.0		50	1770	This work
L	+	Pt ₃ A1	\leftrightarrow	Pt ₅ Al ₃		
62.3		67.3		62.5	1738	[1986McA]
						Not included ³
Pt ₅ Al ₃	+	Pt ₃ A1	\leftrightarrow	Pt ₂ A1		
62.7		67.0		67.5	1703	[1986McA]
62.5		72		66.5	1701	This work
L	+	Pt ₂ Al ₃	\leftrightarrow	PtAl ₂		
31.8		40.0		33.3	1679	[1986McA]
40		40.0		33.3	1671	This work
L	\leftrightarrow	β	+	Pt ₅ Al ₃		
55.7		57.9		66.5	1670	[1986McA]
58		52.0		62.5	1723 4	This work
β	\leftrightarrow	PtA1		Pt ₅ Al ₃		
54.2		50.0		61.5	1533	[1986McA]
52.0		50.0		62.5	1533	This work
L	+	PtAl ₂	\leftrightarrow	Pt ₈ Al ₂₁		
18.8		32.6		27.5	1400	[1986McA]
30		33.3		27.5	1404	This work
L	+	Pt ₈ Al ₂₁	\leftrightarrow	Pt ₅ Al ₂₁		
3.1		27.5		19.2	1079	[1986McA]
9		27.5		19.2	1097	This work
L	\leftrightarrow	(Al)	+	Pt ₅ Al ₂₁		
0.4	-	ò.o´		19.2	930	[1986McA]
4		3		19.2	910	This work
	L	\leftrightarrow	Pt ₃ A1			
	73.2		73.2		1829 ¹	[1986McA]
	75.3		75.3		1877	This work
	L	\leftrightarrow	PtA1			
	50.0		50.0		1827	[1986McA]
	50.0		50.0		1827	This work
	L	\leftrightarrow	Pt ₂ Al ₃			
	40.0		40.0		1800	[1986McA]
	40.0		40.0		1800	This work
	L	\leftrightarrow	Pt ₅ Al ₃			
	62.5		62.5		1800	This work ³

Pt₃Al phase at too high at. % Pt due to symmetry of 4SL CEF. See text for discussion.

Pt₃Al phase modelled as line compound, simplification and assumed stoichiometry influences equilibria.

Pt₅Al₃ in calculated diagram forms congruently and not by peritectic reaction [1986McA]. See text for discussion.

See text for discussion.

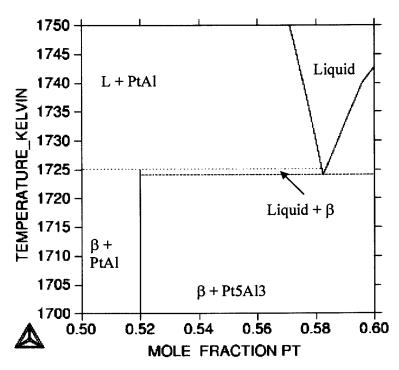


Figure 6.7. Enlargement on the Al-Pt binary system to show the reactions for the PtAl, β and liquid phases

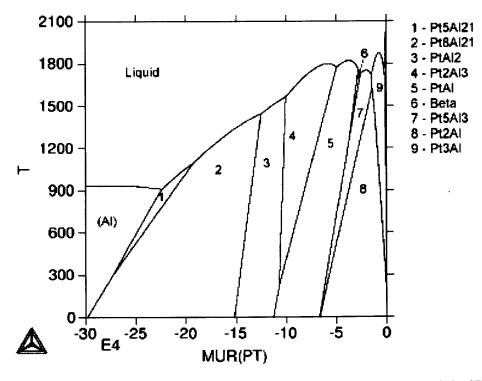


Figure 6.8The Al-Pt phase diagram of temperature against chemical potential of Pt.



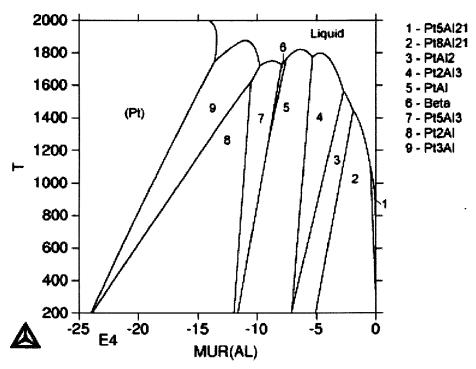


Figure 6.9. The Al-Pt phase diagram of temperature against chemical potential of Al.

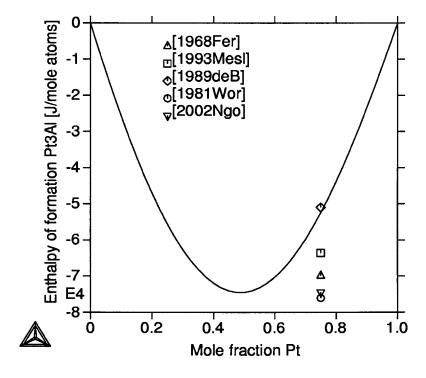


Figure 6.10. Comparison of calculated enthalpy of formation for Pt₃Al (L1₂) phase with experimental results [1968Fer, 1981Wor, 1993Mes], Miedema estimations [1989deB] and *ab initio* predictions [2002Ngo].

Figures 6.8 and 6.9 show the phase diagram as a function of the chemical potential instead of the composition. The slope of the curves is equal to dG/dT, which is the entropy of the phases. It does not show any excessive entropy contributions for any of the phases in the system, since the slopes are all more or less similar. The decomposition of the β phase (phase number 6) is shown, as well as the solid-state formation of the Pt₂Al phase (phase number 8).

Table 6.7. Experimental and calculated enthalpies of formation for the Al-Pt system.

Phase	$\Delta \mathbf{H}_f$	Method	Reference
	[J/mole atoms]		
Pt ₅ Al ₂₁	-57 320	Solute solvent drop calorimetry	[1968Fer]
	-56 827	Calculated	This work
Pt ₈ Al ₂₁	-71 130	Solute solvent drop calorimetry	[1968Fer]
	-81 751	Calculated	This work
Pt Al ₂	-84 000	Solute solvent drop calorimetry	[1968Fer]
_	-87 325	Calculated	This work
Pt ₂ Al ₃	-94 980	Solute solvent drop calorimetry	[1968Fer]
	-79 000	Miedema semi-empirical method	[1988deB]
	-96 500	Direct Synthesis Calorimetry	[1993Mes]
	-89 839	Calculated	This work
PtA1	-100 420	Solute solvent drop calorimetry	[1968Fer]
	-100 000	Direct Synthesis Calorimetry	[1991Jun]
	-82 000	Miedema semi-empirical method	[1988deB]
	-67 440	Ab initio	[2002Ngo]
	-94 025	Calculated	This work
β	-91 300	Calorimetry*	[1968Fer]
•	-92 913	Calculated	This work
Pt ₅ Al ₃	-90 730	Miedema semi-empirical method	[1988deB
•	-87 213	Calculated	This work
Pt ₂ A1	-88 280	Miedema semi-empirical method	[1988deB
~	-85 278	Calculated	This work
Pt ₃ Al	-69 870	Solution Calorimetry	[1968Fer]
•	-63 600	Direct Synthesis Calorimetry	[1993Mes]
	-50 990	Miedema semi-empirical method	[1988deB]
	-76 000**	Electrochemical	[1981Wor]
	-74 380	Ab initio	[2002Ngo]
	-51 668	Calculated	This work

^{*} estimated from the curve fitted to the enthalpies of formation experimentally determined by Ferro et. al. [1968Fer].

The calculated enthalpies of formation are compared to the experimental values in Table 6.7. They are all within the 10% error of Ferro's [1968Fer] experimental results, except for Pt₃Al, which is much lower, indicating the predicted phase is more stable than the experimental phase. This can also be affected by the fact the Pt₃Al forms at 73.2 at. % Pt

^{**} estimated from the Gibbs free energy of mixing $\Delta Gm = -76\,640 + 7.48*T$ [1981Wor].



and not the expected stoichiometric 75 at % Pt of the perfect crystal structure, and the modelling could not fit the composition to 73.2 at. % Pt for the congruent melting. The enthalpy of formation for the Pt₃Al phase is compared with the experimental and *ab initio* predicted values in Figure 6.10.

Although there are some differences between the calculated and experimental Al-Pt phase diagrams, these are in areas where limited experimental data are available. In some cases the experimental diagram is based on the results on only one report. The limited data forced the need for simplified models, especially for the β phase. Thus the data appear to be not in good agreement, however, it is due to the simplified model. Considering the assumptions and limited data, the calculated phase diagram is in general excellent agreement with the experimental phase diagram.

6.4.3 Al-Pt-Ru

The predicted liquidus surface projection is shown in Figures 6.10 and 6.11. The solidification reactions are listed in Table 6.9. The reaction types were identified by projecting the surface on a temperature against liquid composition diagram (Figure 6.12). Ternary eutectic reactions were recognised by the meeting of three lines, forming a local minimum. A true ternary peritectic was identified by one of the line above the reaction, and two below [1965Wes].

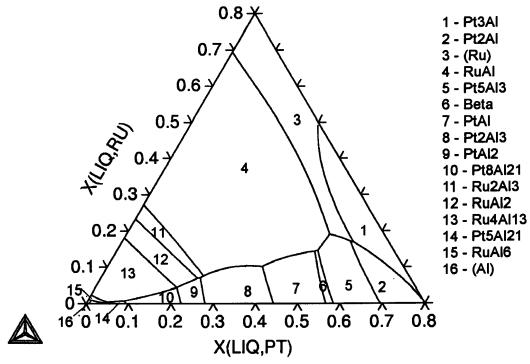


Figure 6.11. Liquidus surface projection for Al-Pt-Ru, indicating liquidus surface areas for the phases.

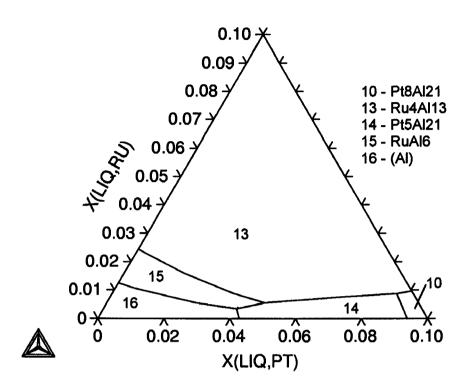


Figure 6.12. Enlargement of the Al-corner of the Al-Pt-Ru liquidus projection (Figure 6.10).

The solidification projection is only presented up to 80 at. % Pt. Although the Thermo-Calc software calculated individual equilibrium values above this composition, it was not possible to map the liquidus projection for the area above 80 at. %. This is probably due to the 4SL CEF description of the Pt₃Al phase, as this phase is too stable in this projection, giving a too large phase surface on the liquidus projection. The extrapolation gives about 10 at% Ru in Pt₃Al, while experimental work [2001Big1, 2001Big2, 2001Hil1] showed a limited solubility of ruthenium in Pt₃Al. No attempts have been made to correct this at this stage. No thermodynamic data are yet available for the Al-Pt-Ru system, and an optimisation without thermodynamic data to give the liquid a reference point, would be meaningless.

Very little has been published to date on ternary extrapolations and ternary optimisations using the 4SL-CEF. Kuskoffsky [2002Kus1, 2002Kus2] evaluated the use of ternary parameters in the 4SL-CEF, and calculated the Ag-Au-Cu ternary. It was noted that care had to be taken with the reciprocal parameters. In the case of Ag-Au-Cu, data on the bonding energies of nearest neighbours and next-nearest neighbours were available to allow successful use of the 4SL-CEF.

Reactions 1 and 2 in Table 6.8 include the formation of Pt_2Al . This is an artefact of the modelling, again probably due to the use of 4SL-CEF. In the binary, Pt_2Al forms by a solid-state eutectoid reaction, $Pt_5Al_3 + Pt_3Al \rightarrow Pt_2Al$ should, therefore, not form



from the liquid as it does in this extrapolation. However, it is possible that the presence of a third element in a binary structure can change the reaction in the ternary. In this case the extrapolation stabilised the Pt_2Al phase too much.

Table 6.8. Solidification sequence for Al-Pt-Ru.

Equation number	Reaction	Temperature [K]
1	$L + Pt_3Al \rightarrow (Ru) + Pt_2Al$	1445
2	$L \rightarrow (Ru) + Pt_5Al_3 + Pt_2Al$	1443
3	$L \rightarrow RuAl + Pt_5Al_3 + (Ru)$	1435
4	$L + \beta \rightarrow RuAl + Pt_5Al_3$	1485
5	$L + PtAl \rightarrow RuAl + \beta$	1500
6	$L \rightarrow RuAl + Pt_2Al_3 + PtAl$	1620
7	$L + RuAl \rightarrow Ru_2Al_3 + Pt_2Al_3$	1525
8	$L + Pt_2Al_3 \rightarrow Ru_2Al_3 + PtAl_2$	1507
9	$L + Ru_2Al_3 \rightarrow RuAl_2 + PtAl_2$	1500
10	$L + PtAl_2 \rightarrow Ru_4Al_{13} + Pt_8Al_{21}$	1415
11	$L + RuAl_2 \rightarrow Ru_4Al_{13} + Pt_8Al_{21}$	1408
12	$L + Pt_8Al_{21} \rightarrow Ru_4Al_{13} + Pt_5Al_{21}$	1080
13	$L + Ru_4Al_{13} \rightarrow RuAl_6 + Pt_5Al_{21}$	945
14	$L \rightarrow (Al) + RuAl_6 + Pt_5Al_{21}$	900

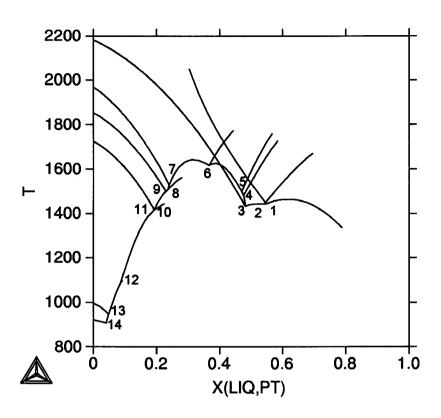


Figure 6.13. Projection of temperature against composition to identify the reaction types.

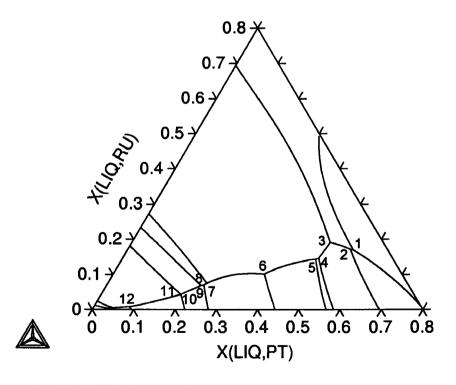


Figure 6.14. Solidification reactions, as listed in Table 6.8.

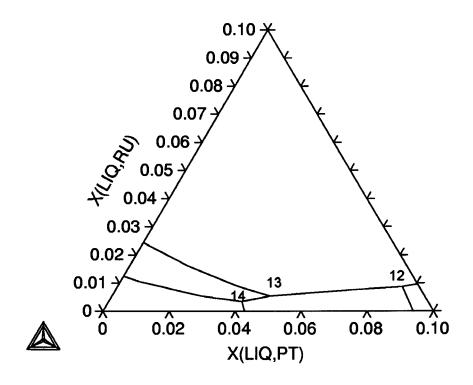


Figure 6.15. Solidification reactions, as listed in Table 6.8 (enlargement of Al-corner in Figure 6.13)

6.5 Conclusions

Stable Gibbs energy functions have been calculated for the phases in the Al-Ru and Al-Pt phase diagrams. Two models have been used to describe the ordered RuAl-B2 phase in the Al-Ru system. The results from MSL model were in better agreement with results from the literature. Although there were some areas of lesser agreement in the calculated Al-Pt system, they can be contributed to the 4SL CEF that has been used, as well as a lack on experimental data for the β -phase, which necessitated the stoichiometric treatment of the phase.

The ternary Al-Pt-Ru phase diagram was extrapolated from the calculated binary phase diagrams. The extrapolated diagram is in good agreement with the experimental diagram. The major differences arised from the fact that two new ternary phases were found in the experimental study. Since an extrapolation was based on the Gibbs energy functions for already entered phases, the software could not predict these new phases.

The good agreement between the experimental and calculated liquidus surface projections proves that thermodynamic modeling is powerful technique in the development of new alloy systems.



Chapter 7 Comparison of Experimental and Computational Results

7.1 Introduction

The results of the experimental determined Al-Pt-Ru liquidus surface projection and solidification reaction scheme are compared to the predicted liquidus projection and solidification reaction sequence. The agreements and discrepancies are discussed.

7.2 Results and discussion

Figures 7.1 and 7.2 show the experimental and predicted liquidus surface projections respectively. The results are in good agreement except for the Pt₃Al liquid surfaces, which is more stable in the predicted diagram than in the experimental diagram. The predicted phase diagram does not include the two ternary phases, X and T, which were found in the experimental investigation.

The solidification reactions are compared in Tables 7.1 and 7.2. There are some inconsistencies when comparing the experimentally deduced solidification sequence and the sequence predicted from the calculated Al-Pt-Ru system.

In the experimental solidification sequence, not enough data were available to determine the solidification direction of some of the reactions (direction of liquidus slope) listed in Table 7.1. However for most reactions the direction of decreasing temperature could be deduced. For the reaction at E, the data were not enough to decide which reaction is more probable. Both possible reactions are listed.

In the predicted system, the \sim Pt₃Al p hase area is too large, implying the calculated Gibbs energy function is too stable relative to the function for the (Pt). The predicted solidification reactions 1 and 2 in Table 7.2 show the Pt₂Al phase forming from a liquid reaction. In the Al-Pt binary system, Pt₂Al forms from the solid state through a peritectoid reaction. Although it is possible that the presence of a third element in a binary phase can change the behaviour of the phase, e.g. stabilise it to higher temperatures, the results from the extrapolation is not in agreement with the experimental results. The experimental results did not show Pt₂Al forming during solidification.

Reactions C and D from the experimental solidification sequence compare with reactions 3 and 4 in the predicted solidification sequence, although the reaction types differ. This could be either due to not enough experimental data or due to the extrapolation from pure binary phases without taking into account the possible effect of a third element on the Gibbs energy functions of the binary phases.

The ternary extrapolation also does not include the two ternary phases, as the extrapolation is based on phases already entered in the data file. Thus the rest of the solidification sequence cannot be compared beyond reactions 4 and D.



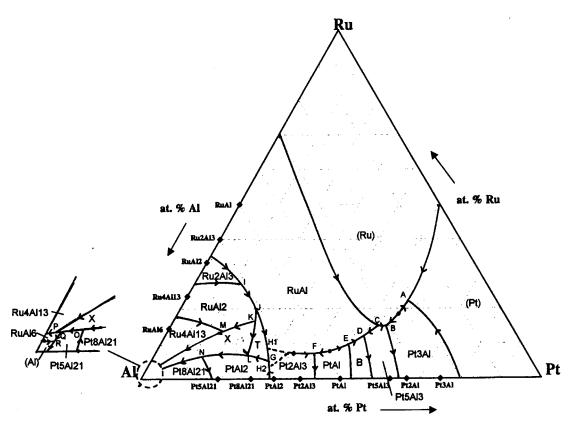


Figure 7.1. Experimental liquidus surface projection, showing the solidification reactions (A-R).

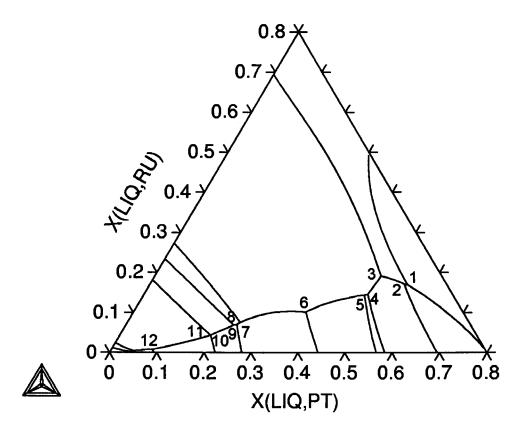


Figure 7.2. Predicted liquidus surface projection, showing the solidification reactions (1-12).



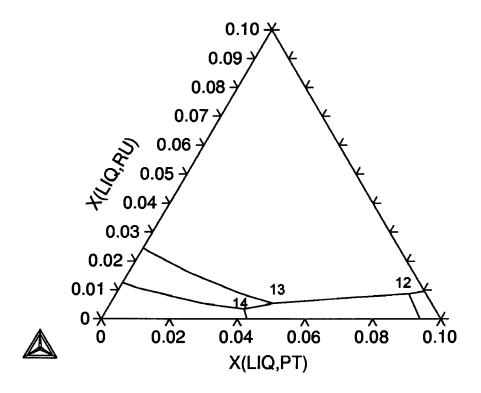


Figure 7.3 Predicted liquidus surface projection for the Al-corner, showing the solidification reactions (1-12) (enlargement of the Al-corner from Figure 7.2).

7.3 Conclusions

Although there are some discrepancies, the general comparison is excellent. The comparison of the experimentally determined and calculated prediction shows that predicting phase diagrams through computational methods is a useful tool for the metallurgist. The discrepancies in the comparison are mainly due to the absence of the two new ternary phases in the extrapolated phase diagram. To include these the ternary lattice stabilities will have to be calculated through an optimisation procedure, which fell outside the scope of this study.

In the continuation of the project, which this study was part of, this predicted ternary phase diagram will be used to select experimental points for further investigation in order to obtain maximum results from them.



Table 7.1. Experimental solidification reactions for Al-Pt-Ru (indicated in Figure 7.1).

Equation number	Reaction
A	$L \rightarrow (Ru) + (Pt) + \sim Pt_3Al$
В	$L + (Ru) \rightarrow Pt_5Al_3 + \sim Pt_3Al$
С	$L + (Ru) + \sim RuAl \rightarrow \sim Pt_5Al_3$
D	$L + \sim RuAl \rightarrow \beta + \sim Pt_5Al_3$
E*	(\uparrow) L + ~PtAl \rightarrow ~RuAl + β
	(\downarrow) L + ~PtAl + ~RuAl $\rightarrow \beta$
F	$L + \sim RuAl \rightarrow \sim PtAl + Pt_2Al_3$
G [*]	$L + Pt2Al3 \rightarrow \sim PtAl2 + \sim Ru18Pt28Al64$
H1	$L + \sim RuAl \rightarrow \sim Ru_{18}Pt_{28}Al_{64} + Pt_2Al_3$
G [*]	$L + \sim RuAl \rightarrow \sim PtAl_2 + \sim Ru_{18}Pt_{28}Al_{64}$
H2*	$L + Pt_2Al_3 \rightarrow \sim RuAl + \sim PtAl_2$
I	$L + Ru2Al3 \rightarrow \sim RuAl + \sim RuAl2$
J	$L + \sim RuAl + \sim RuAl_2 \rightarrow \sim Ru_{18}Pt_{28}Al_{64}$
K	$L + \sim Ru_{18}Pt_{28}Al_{64} + \sim RuAl_2 \rightarrow \sim Ru_{12}Pt_{15}Al_{73}$
L	$L + \sim Ru_{18}Pt_{28}Al_{64} \rightarrow \sim Ru_{12}Pt_{15}Al_{73} + \sim PtAl_2$
M	$L + \sim RuAl_2 \rightarrow \sim Ru_{12}Pt_{15}Al_{73} + \sim Ru_4Al_{13}$
N	$L + \sim PtAl_2 + \sim Ru_{12}Pt_{15}Al_{73} \rightarrow \sim Pt_8Al_{21}$
0	$L + \sim Pt_8Al_{21} \rightarrow \sim Ru_{12}Pt_{15}Al_{73} + \sim Pt_5Al_{21}$
Q	$L + \sim Ru_{12}Pt_{15}Al_{73} + \sim Pt_5Al_{21} \rightarrow \sim RuAl_6$
P**	$L + \sim Ru_{12}Pt_{15}Al_{73} \rightarrow \sim Ru_4Al_{13} + \sim RuAl_6$
R	$L + \sim RuAl_6 \rightarrow \sim Pt_5Al_{21} + (Al)$

^{*} Not enough experimental data available to conclude in which direction this reaction proceeds.

^{**} Exit reaction must be peritectic to be consistent with the Al-Ru binary.



Table 7.2. Predicted solidification reactions for the calculated Al-Pt-Ru system.

Equation number	Reaction
1	$L + Pt_3Al \rightarrow (Ru) + Pt_2Al$
2	$L \rightarrow (Ru) + Pt_5Al_3 + Pt_2Al$
3	$L \rightarrow RuAl + Pt_5Al_3 + (Ru)$
4	$L + \beta \rightarrow RuAl + Pt_5Al_3$
5	$L + PtAl \rightarrow RuAl + \beta$
6	$L \rightarrow RuAl + Pt_2Al_3 + PtAl$
7	$L + RuAl \rightarrow Ru_2Al_3 + Pt_2Al_3$
8	$L + Pt_2Al_3 \rightarrow Ru_2Al_3 + PtAl_2$
9	$L + Ru2Al3 \rightarrow RuAl2 + PtAl2$
10	$L + PtAl_2 \rightarrow Ru_4Al_{13} + Pt_8Al_{21}$
11	$L + RuAl_2 \rightarrow Ru_4Al_{13} + Pt_8Al_{21}$
12	$L + Pt_8Al_{21} \rightarrow Ru_4Al_{13} + Pt_5Al_{21}$
13	$L + Ru4Al13 \rightarrow RuAl6 + Pt5Al21$
14	$L \rightarrow (Al) + RuAl_6 + Pt_5Al_{21}$

Conclusions and recommendations

Conclusions

The Al-Pt-Ru phase diagram was investigated experimentally and a liquidus surface projection is proposed. The experimental results were compared to a predicted liquidus surface projection using the CALPHAD method.

The following conclusions may be drawn from the experimental results:

- The liquidus surface is dominated by the RuAl phase; it occurred to within 10 at. % of the Al-Pt binary.
- (Ru) also has a large liquidus surface. This is an important factor to consider when making alloys that are just outside of the region of the alloys targeted for commercialisation.
- RuAl was found to contain at least 20 at. % platinum
- PtAl₂ exhibited up to 11 at. % solubility for ruthenium.
- RuAl₂ exhibited up to 10 at. % solubility for platinum.
- Ru₄Al₁₃ and RuAl₆ were difficult to analyse, since they were found together on a fine scale.
- RuAl₆ showed solubility of at least 10 at. % platinum.
- Most of the other phases showed limited solubilities for the ternary element, less than 2 at. %: Ru₄Al₁₃, Pt₂Al₃, Pt₅Al₂₁and PtAl.
- A ternary phase X, with a composition ~Ru₁₂Pt₁₅Al₇₃, was found to be present. Initial XRD analysis showed that the X phase probably has a primitive cubic structure and is similar to ~RhAl_{2.63} and ~IrAl_{2.75}. The lattice parameter is 0.7712 nm.
- A high-temperature ternary phase T, with composition of ~Ru₁₈Pt₂₈Al₆₄, exists.
- Ru_2Al_3 , T and β decomposed through solid-state reactions:

$$Ru_2Al_3 \rightarrow \sim RuAl + \sim RuAl_2$$

 $T \rightarrow X + \sim PtAl_2$
 $\beta \rightarrow \sim PtAl + Pt_5Al_3$

- ~RuAl was involved in a number of subsequent reactions in different alloys:
 - o peritectic formation of ~PtAl,
 - o peritectic formation of ~PtAl₂
 - o peritectic formation of β phase of the Al-Pt binary.
- There was good agreement between the experimental EDS and XRD results, despite the lack of data on some of the phases present in the ICDD. In many cases, the



structures of prototypes could be used through a grain refinement process to identify the binary phases.

The binary phase diagrams were calculated with the Thermo-Calc software, using the CALPHAD method. The calculated binaries are in excellent agreement with the experimentally reported phase diagrams in the literature. Furthermore, a liquidus surface projection has also been predicted from extrapolating the ternary system from the calculated binaries. The predicted results are in good agreement with the experimental results, thus showing that computational thermodynamics is a powerful tool in alloy development. Thermo-Calc did not provide any evidence for the ternary phases, which is not surprising.

Recommendations:

- Thermal analysis should be conducted on some of the samples to obtain reaction temperature and thermodynamic values (enthalpy of formation) for phases in the system, as these are required for the further optimisation of the ternary system. DTA, DSC, TG and calorimetry should be considered.
- Samples should be heat treated, as this will bring them to equilibrium conditions. This would assist in the XRD analyses (some heat treatments were done at 600°C, although 1000°C would be more relevant for the future applications of Pt-based alloys. Analysis of the samples after heat treatments is in progress and is part of a continuing project.).
- Ab initio predictions could be useful in predicting the enthalpies of formation for some of the binary p hases, and the new ternary p hases. More a b initio c alculations on the polymorphs of the L1₂ phase would be valuable information for the CALPHAD modeling of this part of the Al-Pt phase diagram.
- XRD work should be conducted on especially the binary A l-Pt system, as very little standard data is available (this is planned as part of the current continuing project).
- TEM studies of samples containing the ternary phases would be needed to confirm the crystal structures.
- The calculated ternary phase diagram should be optimised. The ternary phases must be included. However, this is subject to first obtaining some thermodynamic values of the phases and suggesting crystal structure models for the new ternary phases. The optimisation will also solve the current discrepancies in phase stabilities with the experimental results.
- Re-optimisation of the Al-Pt system. A change in the use of the 4 SL CEF has been proposed after this work was submitted. The metastable phase diagram for the fcc ordered and disordered phases must first be optimised using *ab initio* calculated enthalpies of formation. Once an acceptable description for the fcc phases has been obtained, the complete system should be optimised in such a way that the metastable phases are not stable in the optimised system. The revised optimisation and use of the model will be published in the CALPHAD journal.

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Appendices

Appendix A Papers and Presentations

Appendix B XRD refinement example

Appendix C Al-Pt-Ru Database (SGTE format)

Appendix D Thermo-Calc Binary and ternary TDB and POP files (on CD)

Appendix E XRD spectra in .wmf format (on CD)

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Appendix A

Papers and Conference Presentations

(Only copies of the abstracts and papers that are available have been attached in this section)

Papers and Conference Presentations related to this study:

1. A reassessment of the Al-Pt binary system

S.N. Prins, L.A. Cornish, W.E. Stumpf and B. Sundman Proceedings of CALPHAD XXXI Conference, 5-10 May 2002, Stockholm, Sweden.

2. Phases formed on solidification in the Al-Pt-Ru system

S.N. Prins and L.A. Cornish

15th International Conference on Electron Microscopy, Volume 1, 695-696 (Paper No. 619). 1-6 Sept 2002, Durban, South Africa

3. The Development of Platinum-based Alloys and their Thermodynamic Database

L.A. Cornish, J. Hohls, P.J. Hill, S.N. Prins, R. Süss and D.N. Compton 34th International Conference on Mining and Metallurgy, 545-550, Bor Lake, Yugoslavia, 30 September – 3 October 2002.

4. Thermodynamic Assessment of the Al-Ru System

S.N. Prins, L.A. Cornish, W.E. Stumpf and B. Sundman CALPHAD, 27 (2003) 79-90

5. Development of Platinum-based Alloys for High Temperature Applications

L.A. Cornish, S.N. Prins, R. Süss and D.N. Compton Oral presentation at the 7th Materials Modeling Meeting. 6 March 2003, Pietersburg, South Africa. (2003: http://mmc.unorth.ac.za).

6. Case Study: Comparison of experimentally determined and CALPHAD-method predicted liquidus surfaces of the Al-Pt-Ru system.

S.N Prins and L.A Cornish

Oral presentation at the 7th Materials Modeling Meeting. 6 March 2003, Pietersburg, South Africa. (2003: http://mmc.unorth.ac.za).

7. Thermodynamic Assessment of the Al-Pt-Ru system.

S.N. Prins, B. Sunman, L.A. Cornish and W.E. Stumpf Accepted as oral presentation to the CALPHAD XXXII Conference, 25-30 May 2003, Quebec, Canada.

8. Thermodynamic Re-assessment of the Al-Pt System.

S.N. Prins, L.A. Cornish and B. Sundman Submitted to CALPHAD Journal.

9. Solidification of Al-Pt-Ru alloys (title to be confirmed)

S.N. Prins, L.A. Cornish, WE. Stumpf and P.S. Boucher To be submitted to Journal of Alloys and Compounds.



10. XRD study of phases in an investigation of the Al-Pt-Ru system

S.N. Prins, P.S. Boucher and L.A. Cornish

21st European Crystallographic Meeting, 24-29 August 2003, Durban, South Africa.

Other publications and conference contributions submitted during this period, but not directly related to the thesis:

1. High Al-content Ternary Phases in Al-Cr-Ni

Lesley Cornish, Sara Prins, Daven Compton and Michael Witcomb Proceedings CALPHAD XXX, May 2001, York, UK.

2. Comparing Quantitative and Semi-Quantitative Energy Dispersive X-ray Spectroscopy

S.N. Prins

Oral presentation and paper in proceedings, Metrology Workshop, August 2002, Roodevallei, Pretoria, South Africa (2003: http://www.nla.org.za/workshops).

3. ILZRO Zinc Alloy Development Project

J.M. Benson, S.N. Prins and D. Hope

15th International Congress on Electron Microscopy, Volume 1, 1 - 6 September 2002, Durban, South Africa.

4. Thermodynamic Assessments of the Pt-Cr and Cr-Ru Systems with an Extrapolation into the Pt-Cr-Ru System.

U. Glatzel and S.N. Prins

Accepted as a poster contribution to the CALPHAD XXXII Conference, 25-30 May 2003, Quebec, Canada.

5. The study of the Al-Pt-Ru system at 600°C

S.N. Prins and L.A. Cornish

Submitted to the Microscopy and Microanalysis 2003 Conference, 3-7 August 2003, San Antonio, Texas.

6. A Metrology Approach to Uncertainty in Quantitative EDS Analyses.

S.N. Prins, L.H. Adlem and M.E. Lee

Submitted to the Microscopy and Microanalysis 2003 Conference, 3- August 2003, San Antonio, Texas, USA.

Additionally, two confidential reports were submitted at Mintek

Experimental and Thermo-Calc work on the development of Pt-based superalloys 2nd Report

L.A. Cornish, R. Suss, L. Glaner, D. Compton and S. N. Prins Mintek Report C3466M, 16 September 2002

Experimental and Thermo-Calc work on the development of Pt-based superalloys 3rd Report

R. Suss, L. Glaner, D. Compton, L.A. Cornish and S. N. Prins Mintek Report C3536M, 6 February 2003

A reassessment of the Al-Pt binary system

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The Al-Pt system is important as it is similar to the Al-Ni system and also showing a γ/γ (Pt)/Pt₃Al phase relation. This phase relation in the Al-Pt system has been earmarked as the basis of potential high temperature alloys, replacing the Ni-based superalloys in applications where the Ni-based superalloys have reached their upper temperature limits [01Hil1].

A current study investigating the Al-Cr-Pt-Ru alloy system has lead to this reassessment of the Al-Pt binary system as in the CALPHAD assessment by Wu and Jin [00Wu], modelling of the L12 Pt₃Al phase does not accommodate the ordering of the L12 phase, as reported by Mishma *et al.* [86Mis] and Bronger *et al.* [97Bro]. A low temperature martensitic transformation for the Pt₃Al has also been reported [86Mis] and experimental observations of ternary Al-Pt-X alloys indicated that the ternary additions either stabilise the high temperature or the low temperature form of Pt₃Al (L1₂ and DO_c respectively) [01Hil2]. The previous assessment [00Wu] also did not include the β phase since there are some discrepancies about its existence [90Mas]. However, experimental analysis of some ternary alloys indicated a phase which is probably β .

The current reassessment allows for the ordering of the Pt_3Al phase and the Pt_2Al and β phases has been included and the phase diagram is in good agreement with experimental observations.

The assistance of the PDI and DACST is gratefully acknowledged.

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PHASES FORMED ON SOLIDIFICATION IN THE Al-Pt-Ru SYSTEM

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Two-phase high Pt content alloys have been shown to exhibit a structure similar to that of γ/γ' (Ni)/~Ni₃Al in the Ni-based superalloys [1] and very good properties have been obtained, even at high temperatures [2]. High Pt content alloys in the Al-Pt-Ru system were studied after heat treatment at 1350°C to allow the two-phase structure to be optimised at the envisaged application temperature [3]. This work is part of a larger investigation in which the component phase diagrams of the Al-Cr-Pt-Ru system will be studied in detail, so that the phase relationships and phase compositions can serve as an input to Thermo-CalcTM. The solidification reactions were required, thus the alloys were studied in the as-cast condition.

Six alloy samples were manufactured by arc-melting the elements and were studied in the as-cast condition using a LEO 1525 FE-SEM with an Oxford Inca EDS. At least five analyses were made on each phase or area.

The highest Pt content alloy had a very similar structure to an alloy studied by Biggs *et al*. [3]. There were (Ru) needles in a eutectic comprising (Ru) needles and small (Pt) dendrites in a ~Pt₃Al matrix. Figure 1 shows a ternary eutectic which was not reported before [3].

Results from three alloys indicated that the ~RuAl phase was found to contain at least 20 at.% Pt. The ~PtAl₂ phase exhibited up to 11 at.% solubility for ruthenium. The ~Ru₄Al₁₃ and ~RuAl₆ phases were difficult to analyse accurately, since they were found together on a fine scale (Figure 2), but they both showed solubility of at least 10 at.% platinum. Most of the other phases showed a more limited solubility; ~RuAl₂, ~Pt₂Al₃ and ~PtAl contained only about 2 at.% of the third component.

The liquidus surface was dominated by the \sim RuAl phase, which stretched to within 10 at.% of the Al-Pt binary system, and then by the (Ru) phase. This is not surprising since both of these phases have very high melting points and they often dominate the phase diagram in related systems [4]. The \sim RuAl phase was involved in a number of subsequent reactions in the different alloys. It was involved in at least three peritectic reactions, forming \sim PtAl, \sim PtAl₂ and a phase which was too fine to be analysed accurately, although it appears to have a composition close to the β phase of Al-Pt [5]. It was also involved in the ternary invariant reaction:

$$L + \sim RuAl \leftrightarrow \sim RuAl_2 + \sim PtAl_2$$
.

Figure 3 shows the remnants of ~RuAl dendrites, appearing as fine particles, after the peritectic formation of ~Pt₂Al. This reaction was followed by an eutectic reaction forming ~Pt₂Al and ~Ru₄Al₁₃. Figure 4 shows ~RuAl dendrites surrounded by a thin two-phase

region (probably produced by subsequent solid state precipitation at much lower temperatures), then a $\sim RuAl_2 + \sim PtAl_2$ eutectic. The binary eutectic reaction forming $\sim PtAl$ and $\sim Pt_2Al_3$ was also observed, very close to the Al-Pt binary. The other reactions were mainly peritectic in nature and tended to form more aluminium-rich phases. This is consistent with the Al-Ru and Al-Pt phase diagrams.

More alloys are being manufactured and the alloys are also being studied using XRD so that the phases can be confirmed.

The assistance of DACST and the PDI is gratefully acknowledged.

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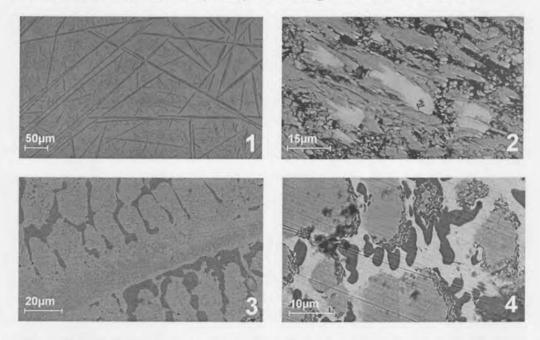


Figure 1. BSE image of Al₂₁:Pt₅₂:Ru₂₇ showing primary (Ru) needles in a ternary eutectic comprising (Ru) (smaller needles) + (Pt). **Figure 2.** BSE image of Al₈₄:Pt_{8.5}:Ru_{7.5} showing ~Pt₅Al₂₁ within a fine mixture of ~Ru₄Al₁₃ and ~Ru₄Al₆. **Figure 3**. BSE image of Al₆₅:Pt₂₇:Ru₈ showing remnant dendrites of ~Ru₄Al (dark particles) within ~Pt₂Al dendrites (light), surrounded by ~Pt₂Al + ~Ru₄Al₁₃ eutectic. **Figure 4.** BSE image of Al₅₄:Pt₁₄:Ru₃₂ showing ~Ru₄Al dendrites (medium) within ~Ru₄Al₁₃ (dark) + ~Pt₄Al₂ eutectic (light). There are regions of solid state precipitation at the dendrite edges.

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þ	0.434
Ł	0.261

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THE DEVELOPMENT OF PLATINUM-BASED ALLOYS AND THEIR THERMODYNAMIC DATABASE

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ABSTRACT

A series of quaternary platinum-based alloys have been demonstrated to exhibit the same two-phase structure as Ni-based superalloys and showed good mechanical properties. The properties of ternary alloys were a good indication that the quaternary alloys, with their better microstructure, will be even better. The quaternary alloy composition has been optimised at $Pl_{44}Al_{11}Ra_{2}Cr_{3}$ for the best microstructure and hardness.

Work has begun on establishing a thermodynamic database for Pt-Al-Ru-Cr alloys, and further work will be done to enhance the mechanical and oxidation properties of the alloys by adding small amounts of other elements to the base composition of Pt_{4} : At_{1} : Ru_{2} : Cr_{3} .

Keywords: platinum-based alloys, thermodynamic database

INTRODUCTION

Nickel-based superalloys have excellent mechanical properties because they have a microstructure comprising many small, strained-coherent, particles in a softer matrix [1987Sim]. The strengthening originates from dislocations being slowed down as they negotiate the small ordered particles. Additionally, there is solid solution strengthening in the (Ni) matrix. Although these alloys are used at relatively high temperatures, coarsening does not occur because the surface energy itself is very small. This is because the particle structure is very closely related to that of the matrix. Both are based on the face centred cubic structure: the matrix has a random fee structure, and the particles have an L12 ordered structure. The lattice mixfit between these structures is very small and renders the surface energy negligible [1987Sim].

The Ni-based superalloys have virtually reached their temperature limit for operation in turbine engines. However, there is a need to further increase the operational temperatures of these engines to achieve greater thrust, reduced fuel consumption and lower pollution. Thus, there is interest in developing a whole new suite of similar structured alloys based on a metal with higher melting point which can be used at temperatures of ~1300°C.

Platinum has been selected as the base material for these alloys because of its similarity to Ni in fee structure and similar chemistry. Thus, similar phases to Ni₃Al could be used to give similar mechanisms as found in the Ni-based superalloys. The important differences are the higher melting point (1769°C for platinum compared to 1455°C for nickel) and improved corrosion resistance. Although platinum-based alloys are unlikely to replace all Ni-based superalloys on account of both higher price and higher density, it is likely that they can be used for the highest application temperature components. Pt₃Al has two forms, and the more desirable high temperature L1₂ form needs to be stabilised.

Experimental Pt-based alloys have been studied. It was found that successful Ni-based superalloy analogues could be manufactured with alloys of the approximate composition Pta: Atla: X4 where X was Cr. Ti and Ru [2001Hill, 2001Hill]. The best properties were exhibited by the Pt-Al-Cr and Pt-Al-Ru alloys, although the precipitate volume fraction was not as high as in the Ni-based superalloys. Although much heavier, the Pt-based alloys have the advantages of good mechanical properties and high temperature exidation resistance [2000Hill, 2001Sus1]. The ternary alloys have

mechanical properties which are better than those of the Ni- and Co-based superalloys, higher than conventional solid-solution strengthened Pt-based alloys, and comparable with mechanically alloyed ferritic ODS alloys [2002Sus].

EXPERIMENTAL PROCEDURE

Several alloys were made up in order to ascertain whether the two-phase structure could be achieved in the quaternary system. Compositions were selected based on the results of the ternary Pt-Al-Cr and Pt-Al-Ru systems.

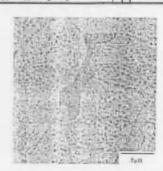
The alloys were prepared by arc-melting the pure elements several times to achieve homogeneity. The samples were then heat treated at 1350°C for 96 hours. The heat-treated samples were then cut in half, mounted and polished. The microstructure was examined using scanning electron microscopy (SEM) and, where possible, the phases were analysed using electron dispersive X-ray spectroscopy (EDS). The hardness of the alloys was measured using a Vickers hardness tester with a 10 kg load.

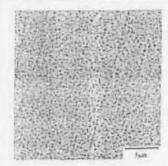
RESULTS AND DISCUSSION

Three alloys were single-phase ~Pt2Al, while three had two-phase microstructures. Two of these had large areas of -Pt3Al, together with a mixture of (Pt) and -Pt3Al (Figure 1a). The third (Plas-Ali: Rus-Cr3) was composed entirely of a fine two-phase mixture, which is the desired microstructure (Figure 1b). The EDS analyses of the overall and phase compositions are given in Table 1. Very fine phases were not analysed.

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Alloy Composition	Phase	Phase composition (at.%)			
		Pt	Al	Ru	Cr
Ptm:Aliss:Rus:Cras	(Pt)	79.7±0.5	8.4±0.5	5.4±0.5	6.5±0.5
Maria de la companya della companya	-Pt ₁ Al	75.2±0.3	20.5±0.4	0.8±0.2	3.5±0.4
	4/4	79.3±0.5	10.6±0.6	4.5±0.4	5.6±0.7
Pts: s:Alis:Ruze:Cras	-Pt ₁ AI	76.0±0.1	20.9±0.4	0.3±0.3	2.8±0.2
	YY	81.2±0.5	11.6±0.1	2.7±0.3	4.5±0.3
Ptss:Alu:Ru::Cr	7/1/	83.5±1.3	11.3±0.6	2.4±0.5	2.8±0.4





a) Ptal 5: Ali 15: Ru2 5: Cr4 5

b) Ptu: Al11: Ru2: Cr3

Figure 1. SEM micrographs, in back-scattered electron (BSE) mode, of the two types of twophase alloys, a) With primary -PtAl (dark contrast) in a fine mixture of (Pt) and -PtyAl; b) Fine mixture of (Pt) and -PtyAl.

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The hardness of the three Table 2. The alloys were small cracks on the edges.

Table 2. Vickers hard

Al	loy Designation
Pt,	::Alis s:Rus:Cras
Pts	1 -: Al 11 2: Ru7 2: Cr4 2
Pis	::Ali::Ruz:Crz

Table 3. Composition Alloy Designation

Plas:Alu:Ru: Cr.

Piss:Alu e:Ru::Cr:

Ptp:Alu:Ruzs.Crss

Planet Alex et Russ: Cras

Phis Alms Rugs Cras

More alloys were pro be increased. Table 3 sh-1350°C in argon. Only the were also small areas of pr

The hardness of the alloys The hardness ranged from around the indentations.

Table 4. Pickers hard

-	A DESCRIPTION OF A SPECIAL PLANTING.
1	Alloy Designation
L	Ptas:Alij:Ruz:Crz
	Plus: Alir s: Ruz: Cr2 s
	Ptra:Alii:Ruz atCras
	PigosiAlias:Ruas:Cras
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in an attenint to imp treatment was conducted for small size of the samples, t improvement. However, microstructure after this h There was no primary - Pt sed superalloys, higher than parable with mechanically

vo-phase structure could be on the results of the ternary

several times to achieve rs. The heat-treated samples as examined using scanning re analysed using electron s measured using a Vickers

ase microstructures. Two of .Pt.Al (Figure 1a). The third ixture, which is the desired se compositions are given in

nent at 1350°C for 96 hours.

sition (at.%)	.a
Ru	Cr 🦠
5.4±0.5	6.5±0.5
0.8±0.2	3.5±0,4
4,5±0.4	5.6±0.7
0.3±0.3	2.8±0.2
2.7±0.3	4,5±0,3
2.4±0.5	2.8±0.4
	5.4±0.5 0.8±0.2 4.5±0.4 0.3±0.3 2.7±0.3

mode, of the two types of two-

a fine mixture of (Pt) and

The hardness of the three two-phase heat treated alloys was measured and the results are given in Table 2. The alloys were reasonably duetile, although some of the hardness indentations exhibited small cracks on the edges.

Table 2. Vickers hardness of the two-phase quaternary alloys, using a 10 kg load.

Alloy Designation	Hardness (HV ₁₀)
Ptra:Aliga:Rity.Ctas	428 ± 11
Plant Aline Ruz of tree	453 ± 16
Ptyri Ai ₁₁ (Rit ₁)Cr ₁	472 ± 14

Table 3. Compositions of the Pt-Al-Ru-Cr allows after heat freatment at 1350°C for 96 hours

Alloy Designation	Phase		Phase composition (at.%)		
		Pt	Al	Ru	Cr
Phy:Al _{ti} :Ru ₅ :Cr _t	-Pi ₁ A1	76,6±0.4	21.8±0.2	0.0±0.0	1.6±0.3
	77	85.3±0.3	10.1±0.7	2.2=0.1	2,4±0.3
Պլա:Alա «:Кայ:Crչ «	-PGA1	76.0±0.5	22.2±0.2	0,4±0.4	1,4±0,3
<u> </u>	Y Y	84.9±0.6	10.1±1.4	2.311.1	2.7±0.9
RasiAlitiRus a.Cri a	-Pt ₁ A!	76.1±0.8	21.4±0.6	0,6±0.6	1,9±0,1
A CONTRACTOR OF THE PROPERTY O	77	84.9±0.4	9.5±0.2	2,4±0.5	3.2=0.2
PterstAlpertRug dCray	Pt;A)	75.9±0.7	20.6±0.6	0.8±0.4	2.7±0.4
	γ/γ/	81.6±1.0	9.2±1.2	3.9=1.f	5.3dd(),7
Ptst +: Alts +: Rug +: Cr43	-Pt ₃ Al	76.3±0.3	20.6±0.1	0.5±0.1	2,6±0.2
	37	83.0±0.8	9.2±0.4	3.1±0.1	4.7±0.4

More alloys were produced to ascenain if the volume fraction of the ~Pt₃Al precipitates could be increased. Table 3 shows the measured compositions after heat treatment for 96 hours at 1350 C in argon. Only the PhiliAlli:RussCr. alloy had a clear fine two-phase mixture, but there were also small areas of primary ~Pi,Al

The hardness of the alloys was measured after heat treatment and the results are given in Table 4. The hardness ranged from 417 to 430 HV12. The alloys showed good ductility, with no cracking around the indentations.

Table 4. Vickers hardness of the second batch of quaternary allows, using a 10 kg load.

Alloy Designation	Hardness (HY ₁₀)
Pt _a :Al ₁ ::Ru ₂ :Cr ₂	430 ± 5
(PhysiAli) y RugyCrg u	425 ± 21
Phy:Al _{it} :Ru _z cCr _t	421 ± 12
Pto dAliz dRug aCris	419 ± 22
Ptgr :: Al _{res} : Ru ₂ :: Cr _{4.8}	+23 ± 10
PrograAlignatRucatCres	417 = 8

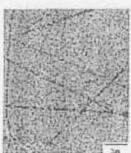
In an attempt to improve the microstructure of the second batch of alloys, a second heat treatment was conducted for 96 bours at 1350°C in air. Some oxidation took place, and due to the small size of the samples, this caused loss of aluminium. In all but one of the alloys, there was no improvement. However, alloy Pt_{H s}:At_{H 3}:Ru_{2,5}:Cr_{4,5} showed a clear, frac two-phase microstructure after this heat treatment, possibly due to the change in its overall composition. There was no primary -Pt₂Al in evidence, so the overall composition is that of the two-phase

mixture: 85.2±0.3 at.% Pt, 7.1±0.8 at.% Al, 3.1±0.8 at.% Ru and 4.6±0.1 at.% Cr. Since the overall composition changed, the sample was redesignated as Pt₆₃:Al₇:Ru₃:Cr₅.

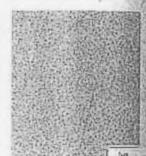
Figure 2 shows the microstructure of this alloy after the first and second heat treatments, and that of the Pt₃₄:Al₁₁:Ru₂:Cr₃ alloy from the first batch. It can be seen that the precipitates in Pt₄₄:Al₁₁:Ru₂:Cr₃ are approximately twice as large, but more well-defined than those of Pt₄₅:Al₂:Ru₃:Cr₅. The hardnesses were re-measured and are given in Table 7. They range from 396 to 415 HV₁₀, and were less after the second anneal.



First heat treatment Pt_{41.2}:Al_{11.3}:Ru_{2.5}:Cr_{4.5}



Second heat treatment Ptss:Al₇:Ru₃:Cr₈



Pt₁₄:Al₁₁:Ru₂:Cr₁ (one heat treatment)

Figure 2. SEM BSE micrographs of alloy Pt_{81.5}:Al_{11.5}:Ru_{7.5}:Cr_{4.5} after one, and two heat treatments, and alloy Pt₈₄:Al₁₁:Ru₂:Cr₃ after one heat treatment (Scratches can be seen.)

Table 2.7. Vickers hardness of the second batch of quaternary alloys after the second heat treatment, using a 10 kg load.

Alloy Designation	Hardness (HV ₁₀)
Pt ₀₃ :Al ₁₁ :Ru ₂ :Cr ₂	403 ± 20
Ptsa:Aliis:Rus:Cras	403 ± 14
Pts::Alu:Ru2s:Ct15	405 ± 8
Pt 10 4: Al 12 4: Ru2 5: Cr4 5	414±9
Ptal s:Alu s:Ru2 s:Cr45	396±6
PtrostAltostRuastCras	415 ± 10

DISCUSSION

As has been shown before [2001Hil3], it is possible to obtain a (Pt) + -Pt₃Al microstructure in the quaternary alloys. The volume fraction of -Pt₃Al was estimated, using image analysis, to be approximately 25-30%. The highest hardness was found in the alloy without primary -Pt₃Al. In the second batch of quaternary alloys, there was no clear relationship between the hardness and the composition or microstructure. The decrease in hardness after the second heat treatment is likely to be due to the changes in composition due to oxidation.

The best alloy to date is Pt₄₄:Al₁₁:Ru₂:Cr₃ it has the required structure, no primary -Pt₃Al₃; and reasonable hardness. Other work has already shown that its oxidation resistance is better than the original ternary alloys [2001Sus2].

The other part of the project is the development of a thermodynamic database to facilitate the further development of these Pr alloys, while simultaneously developing the alloys further. This work will build on the information already gleaned from prior work, and will also extend the work to Pt alloys of higher order (i.e. alloys with more components, such as Ni).

The Parrot module in based on that of SGTE [1 the Al-Ru and Pt-Al syste; phase diagram for Al-Pt [2002Pri1] as Wu and Jin only described one form of this phase are important for

The Al-Ru system I system will be combined for the systems: Al-Cr-Ru [200 [2002Sus2]. The Ft-Al-Cr also be studied, Results f phase or near single-phasoptimisation.

Once the Pt-alloy da additions, added to improoptimisation.

CONCLUSION

It is possible to pro precipitates of similar sha Pt₈₄:Al₁₄:Ru₂:Ct₃ is the op the Pt-Al-Ru-Cr thermody The assistance of DACST

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Ptss:Al₁₁:Ru₂:Cr₃ (one heat treatment)

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405 ± 8	* (134)
414±9	7. FEFE
396 ± 6	æ terli
415 ± 10	31
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n a (Pt) + -Pt,Al microstructure ated, using image analysis, to be lloy without primary -Pt,Al, in hip between the hardness and the second heat treatment is likely to

structure, no primary -PtjAl kidation resistance is better than

tynamic database to facilitate the veloping the alloys further. The rk, and will also extend the world has Ni).

The Parrot module in Thermo-CaleTM [1985Sun] that is being used to optimise the database is based on that of SGTE [1991Din] and Spencer's database [1998Spe]. The intermetallic phases in the Al-Ru and Pt-Al systems are not included in the current SGTE database. Although a calculated phase diagram for Al-Pt has been published by Wu and Jin [2000Wu], this was re-calculated [2002Pril] as Wu and Jin's description did not exhibit any ordering in the Pt₃Al phase. They also only described one form of the Pt₄Al phase, and since both the cubic and tetragonal structures of this phase are important for this work, they must both be included.

The Al-Ru system has also been optimised by the group [2002Pri1]. Next, each ternary system will be optimised individedly (already started for Al-Cr-Ru), and then once finalised, they will be combined for the quaternasy. Experimental work has already commenced on the ternary systems: Al-Cr-Ru [2006Com1, 2000Com2, 2001Com], Pt-Al-Ru [2002Pri2] and Pt-Cr-Ru [2002Sus2]. The Pt-Al-Cr system will also be studied. Additionally, more quaternary alloys will also be studied. Results from the phase diagram work, together with enthalpies from the single-phase or near single-phase compositions from Leeds, UK will be input to Thermo-CaleTM for optimisation.

Once the Pt-alloy database has been optimised against some quaternary alloys, other small additions, added to improve the properties (as in nickel-based superalloys), will be included in the optimisation.

CONCLUSION

It is possible to produce a fine two-phase ply structure in the Pt-Al-Re-Cr system, with precipitates of similar shape to those in the nickel-based superalloy systems. The composition of Pt_H:Al_H:Ru₂:Cr₁ is the optimum composition because it has no primary phase. Development of the Pt-Al-Ru-Cr thermodynamic database has commenced.

The assistance of DACST and the PDI is gratefully acknowledged.

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Thermodynamic Assessment of the Al-Ru System

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Abstract. The CALPHAD technique was used to calculate the Al-Ru binary phase diagram. The RuAl (B2) phase was described with the sublattice model (SL), also designated Compound Energy Formalism (CEF), as well as the Modified Sublattice Formalism (MSL), which describes the order disorder transformation with one Gibbs energy function. The RuAl₆ phase was described as a stoichiometric phase and the remaining intermetallic phases (Ru₄Al₁₃, RuAl₂ and Ru₂Al₃) were modelled with the sublattice model. The solubility of Ru in (Al) was considered negligible. Good agreement was obtained between the calculated and the experimental phase diagrams. © 2003 Published by Elsevier Science Ltd.

Introduction

The RuAl compound has an unusual combination of properties which have been exploited in high temperature and high wear environments such as spark plugs [1994Ste]. Fleischer and co-workers [1991Fle] first reported the excellent room temperature toughness, compared to other intermetallic compounds, and recommended its potential for structural applications because of its high melting point and good oxidation resistance. The improved toughness is due to five independent slip systems in the crystal.

The excellent corrosion resistance of RuAl in hot, concentrated mineral acids was first reported by Wopersnow and Raub [1979Wop], and more recently, McEwan and Biggs [1996McE] demonstrated its capability as a coating in a range of aqueous media. They recognised that it has potential in corrosion-resistant coatings and electrochemical applications. The electrical conductivity of RuAl is high, almost metallic in value, and it exhibits good work function attributes [1995Smi]. This, and the good thermal conductivity [1998And] also renders the material suitable for spark-plug electrodes [1997Wol].

Although RuAl is difficult to manufacture by melting because of its high melting point, it can be manufactured by powder processing techniques, especially by reactive powder processing [1996Cor], or reactive hot isostatic processing (RHIP) [1996Wol].



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Experimental Data

Phase Diagram Data

The crystal data for the phases of the Al-Ru system are listed in Table 1. Obrowski [1960Obr] reported the first phase diagram for the Al-Ru system and this was based on microscopic, X-ray and thermoanalytical observations. Six intermetallic phases were reported: RuAl₁₂ (although some uncertainty existed of the exact composition), RuAl₆, RuAl₃, RuAl₂, Ru₂Al₃ and RuAl, taking part in eight invariant reactions. The Ru-rich solid solution was reported to dissolve ~4 at. % Al at the eutectic temperature. No solubility of Ru in (Al) was detected and it was also concluded that all the Al-rich intermetallic compounds were line compounds. The RuAl phase was observed to melt at 2333 ± 20 K and the eutectic reaction between RuAl + (Ru) was at 2193 ± 20 K. Reactions were observed at 1573 and 1873 K and these were assigned to eutectic and peritectic reactions respectively. It was concluded, however, that some uncertainty existed of the solid-state reactions between 20 and 40 at. % Ru. Apart from Obrowski, no subsequent workers have reported the existence of RuAl₁₂. Other reactions reported by Obrowski, but not found by other workers were:

 $L \rightarrow RuAl_6$ $L \rightarrow RuAl_6 + Ru_2Al_3$ $RuAl_6 + Ru_2Al_3 \rightarrow RuAl_3$ $RuAl_3 + Ru_2Al_3 \rightarrow RuAl_2$

Schwomma [1963Sch] undertook X-ray work on a 33.3 at. % Ru sample, and found RuAl₂ and RuAl. The possibility of contamination by silicon and oxygen was, however, raised as a possibility by the author.

Edshammar determined the crystal structure for Ru₄Al₁₃ [1965Eds] (Obrowski's RuAl₃ [1960Obr]), and noted the similarity with Fe₄Al₁₃ because of the twinned prismatic structure and co-ordination numbers, although Ru₄Al₁₃ showed even better agreement with Os₄Al₁₃. He also found that Al atoms were absent from some of the sites which were partially occupied by Al in Fe₄Al₁₃ and Co₄Al₁₃. Ru₄Al₁₃ was, therefore, considered to be the ideal structure of RuAl₃ [1960Obr]. Subsequently with X-ray powder methods, Edshammer reported the crystal structures for five more intermetallic phases: RuAl, Ru₂Al₃, RuAl₂, RuAl_{-2.5} and RuAl₆ [1966Eds, 1968Eds]. The phase RuAl_{-2.5} was observed only in arc-melted samples. There were some additional CsCl-like phases reported around the composition RuAl, but no further details were given. No evidence of the RuAl₁₂ phase was found, and there were other inconsistencies with Obrowski's phase diagram [1960Obr] concerning the Ru₂Al₃ and RuAl₂ phases.

Anlage et al. [1988Anl] undertook experiments up to 26 at. % Ru using scanning electron microscopy, X-ray diffraction and thermal analysis (DSC). The RuAl₁₂ phase could not be confirmed, and Edshammar's [1965Eds] notation for the Ru₄Al₁₃ phase was used. It was also reported that both RuAl₆ and Ru₄Al₁₃ melt by peritectic reaction at 996 K and 1676 K respectively, and not congruently as suggested by Obrowski [1960Obr]. Some liquidus temperatures were provided. Problems with homogeneity of the alloys were reported, and also that the peritectic reaction forming RuAl₆ was sluggish. Under rapid solidification conditions, icosahedral phases were reported between 2.4 and 23.5 at. % Ru.

Table 1

The crystal data for the elements and compounds in the Al-Ru system.

Phase	Struktur-bericht	Pearson symbol	Prototype	Reference
Al	A1	cF4	Cu	
RuAl ₆		oC28		[1968Eds]
			MnAl ₆	[1982Cha]
Ru ₄ Al ₁₃		mC102	Fe ₄ Al ₁₃	[1965Eds]
RuAl ₂	C11a	tl6	CaC ₂	[1960Obr]
	C54	oF24	TiSi ₂	[1966Eds]
Ru ₂ Al ₃	D5 ₁₃	hP5	Ni ₂ Al ₃	[1960Obr]
		<i>t</i> /10	Os ₂ Al ₃	[1966Eds]
RuAl	B2	cP2	CsCl	[1960Obr]
Ru	A3	hP2	Mg	

THERMODYNAMIC ASSESSMENT OF AI-Ru SYSTEM

Table 2
Experimental, predicted and calculated thermodynamic data.

Phase	ΔH' [J/mole atoms]	Reference
RuAl ₆	-17 930 ± 10%	Estimated using Miedema's method [1998Wol]
	-22 286	Calculated – this work
Ru ₄ Al ₁₃	$-30.030 \pm 10\%$	Estimated using Miedema's method [1998Wol]
	-38 535	Calculated –this work
RuAl ₂	-38 260 ± 10%	Estimated using Miedema's method [1998Wol]
-	-45 125	Calculated –this work
Ru ₂ Al ₃	-44 040 ± 10%	Estimated using Miedema's method [1998Wol]
	-43 946	Calculated –this work
RuAl	$-47.320 \pm 10\%$	Estimated using Miedema's method [1998Wol]
	-62.050 ± 3000	Experimental, calorimetry [1992Jun]
	-70 740	Ab initio [1992Lin]
	-58 150	Ab initio [1999Man]
	-95 510	Ab initio [2002Gar]
	-51 126	Calculated - this work (MSL)
	-51 057	Calculated - this work (SL)

Boniface and Cornish [1996Bon1] confirmed Anlage's results for the high-Al end of the phase diagram. No evidence of the $L \rightarrow Ru_2Al_3 + RuAl_6$ eutectic reaction reported by Obrowski [1960Obr] was found and the presence of $RuAl_2$ in as-cast samples indicated stability at higher temperatures. The microstructures revealed that there was a peritectic cascade of reactions from the formation of Ru_2Al_3 to the formation of $RuAl_6$. A slight endothermic peak at 1733 K suggested the formation temperature for $RuAl_2$ [1996Bon2]. The Ru_2Al_3 phase was found to decompose at ~1223K.

Although Varich and Luykevich [1973Var] found a maximum solubility of Ru in (Al) of 3.23 at.% Ru by rapid solidification techniques, this solubility has not been reported at equilibrium conditions.

Thermodynamic data

The only reported experimental thermodynamic result for the Al-Ru system was determined by Jung and Kleppa [1992Jun] by dropping a mixed 1:1 powder mixture (atomic percent) of the elements into the calorimeter, which showed that RuAl (B2) has a high heat of formation, -124.1 kJ.mol⁻¹.

Miedema's method was used to estimate values for the heats of formation for the intermetallic phases [1998Wol], as no other data were available.

Several ab initio results have been reported for the enthalpy of formation of RuAl. However, the data are scattered, probably due to the different assumptions for defect formation in RuAl, which has been indicated to be vacancies [1987Fle] or anti-structure defects [1976Neu].

The thermodynamic data are listed in Table 2.

Thermodynamic modelling

Elements

The pure elements in their stable states at 298.15 K were chosen as the reference states for the system. Thermodynamic descriptions for the stable and metastable states of the pure elements were taken from the SGTE Database [1991Din].

The data [1991Din] are described as
$${}^{o}G_{i}^{\Phi} - H_{i}^{SER} = A_{i}^{\Phi} + B_{i}^{\Phi}T + C_{i}^{\Phi}T \ln T + D_{i}^{\Phi}T^{2} + E_{i}^{\Phi}T^{-1} + F_{i}^{\Phi}T^{3} + I_{i}^{\Phi}T^{7} + J_{i}^{\Phi}T^{-9}$$
(1)



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where H_i^{SER} (in which 'SER' stands for standard element reference) are the enthalpy values for the elements in their stable forms at 10^5 Pa and 298.15K.

Disordered solution phases: liquid, fcc, hcp and bcc

The solution phases were modelled as substitutional solution phases according to the polynomial Redlich-Kister Model. The Gibbs energy for a solution phase ϕ is expressed as

$$G_{m}^{\phi} = x_{Al}{}^{\alpha}G_{Al}^{\phi} + x_{Ru}{}^{\alpha}G_{Ru}^{\phi} + RT(x_{Al}\ln x_{Al} + x_{Ru}\ln x_{Ru}) + {}^{xs}G_{m}^{\phi}$$
(2)

where " G_i^{ϕ} is the Gibbs energy of the pure element i with the structure ϕ (Eq. 1) and x_i is the mole fraction of the phase. The excess Gibbs energy is given by

$${}^{x_{1}}G_{m}^{\phi} = x_{Al}x_{Ru}\sum_{v=1}^{n}{}^{v}L_{Al,Ru}^{\phi}(x_{Al} - x_{Ru})^{v}$$
(3)

where ${}^{v}L_{Al,Ru}^{\rho}$ is the interaction parameter expressed as $a + b^{*}T$. The a and b parameters are calculated with the CALPHAD method.

Intermetallic phases

There are five stable intermetallic phases in the Al-Ru binary system (Table 1). The intermetallic phases were modelled with the sublattice model, which is flexible enough to be applied to all of them. For Ru₄Al₁₃, Ru₂Al₃ and RuAl some defects have been introduced on the sublattices to model the solubility range, whereas RuAl₆ has been modelled without any solubility range. Furthermore, the RuAl-B2 phase was also modelled with an alternative model, the modified sublattice model (MSL), which can describe both ordered B2 and disordered bcc-A2 with one single Gibbs energy function.

The Gibbs energy of mixing for a sublattice phase is given by

$$G_{ij} = G^{ref} + G^{id} + G^{xx} \tag{4}$$

An intermetallic phase can schematically be described as follows [1981Sun]

$$(A_{v_1}B_{v_2}....)_p(C_{v_0}D_{v_0}....)_q.....$$

where the species A, B... can be atoms or vacancies. p and q are the number of sites, y_i and y_j are the respective site fractions of species i and j in their respective sub-sublattices, designated by ' and ". When p + q + ... = 1, the thermodynamic quantities are referred to as one mole of sites

The components of Eq. 4 are expanded as follows [1981Sun]:

$$G^{rel} = y_A y_C^{"} G_{A:C}^* + y_A y_D^{"} G_{A:D}^* + y_B y_C^{"} G_{B:C}^* + y_B y_D^{"} G_{B:D}^*$$
 (5)

$$G^{id} = RT[p(y_A \ln y_A + y_B \ln y_B) + q(y_C \ln y_C + y_D \ln y_D)]$$
 (6)

$$G^{x_1} = y_A y_B [y_C L_{A,B;C} + y_D^* L_{A,B;D}] + y_C y_D [y_A L_{A;C,D} + y_B L_{B;C,D}] + y_A y_B y_C y_D L_{A,B;C,D}$$
(7)

 $G_{A:B}^{\circ}$, $G_{A:D}^{\circ}$, $G_{B:C}^{\circ}$ and $G_{B:D}^{\circ}$ represent the Gibbs energy of formation of the stoichiometric compounds A_pC_q , A_pD_q , B_pC_q and B_pD_q , which might be stable, metastable or even unstable in the system. y_i° is the site fraction of element i on sublattice s. In Eq. 7, L is the interaction parameter and it is expressed as a function of temperature $L = a + b^*T$.

For the pure stoichiometric phase RuAl6, the sublattice model reduces to

$$\Delta_{f}G^{RuAl_{\bullet}}(T) = {}^{\circ}G^{RuAl_{\bullet}}(T) - 6{}^{\circ}G_{Al}^{fcc-A1}(T) - {}^{\circ}G_{Ru}^{hcp-A3}(T) = a + bT \tag{8}$$

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The models for Ru₄Al₁₃, RuAl₂ and Ru₂Al₃ were based on models from previous assessments of similar phases in other systems. The Ru₄Al₁₃ phase was modelled after the Fe₄Al₁₃ phase in the COST507 database, as these phases have been reported to have similar structures [1965Eds]. Several crystal structures have been reported for RuAl₂ and Ru₂Al₃. RuAl₂ was finally modelled after the TiSi₂ prototype suggested by Edshammer [1966Eds]. In the COST507 database the TiSi₂ phase has been described as stoichiometric but to allow for the solubility range, an interstitial sublattice for defects was added since no information is available for the defect structures in RuAl₂. This would be filled with vacancies at the ideal stoichiometry and both Al and Ru were allowed to enter this. To ensure compatibility with the Ni-Al system, Ru₂Al₃ was modelled after the reported Ni₂Al₃ prototype [1960Obr]. The model used in this assessment is based on the ordered model for Ni₂Al₃ by Ansara et al. [1997Ans].

The RuAl-B2 phase was expressed with the sublattice (SL) model with vacancies (Va) as the main defect, as found by Fleischer [1993Fle]. The model, (Al,Ru)(Al,Va), allows for the phase extension to the Alrich side rather than the Ru-rich side of the B2 phase. This SL model is different to the more frequently used form, (Al,Ni)(Ni,Va) suggested by Ansara et al. [1997Ans], since RuAl decomposes eutectically on the Ru-rich side of the stoichiometric composition.

Applying the MSL formalism, the RuAl-B2 phase was described as suggested by Dupin and Ansara [1999Dup] as (Al,Ru,Va)_{0.5}(Al,Ru,Va)_{0.5}(Va)₃, the Gibbs energy is expressed as

$$G_{m} = G_{m}^{dis}(x_{i}) + \Delta G^{ord*}(y_{i}, y_{i}) - \Delta G^{ord*}(x_{i}, x_{i})$$

$$\tag{9}$$

where $G_m^{dis}(x_i)$ is the molar Gibbs energy contribution from the disordered state (bcc-A2, modelled as a disordered solution phase) and $(\Delta G_m^{ord}(y_i; y_i) - \Delta G^{ord^*}(x_i, x_i))$ is the ordering energy contribution, equal to zero in the disordered state. Though the value zero is now built in for the ordering energy, some constraints must still be introduced between the thermodynamic parameters of the function. Since the lattices are indistinguishable because of the crystallography, the following constraints in the model parameter must be met

$$G_{Al:Ru:Va}^{MSL,B2} = G_{Ru:Al:Va}^{MSL,B2}$$
(10)

$$L_{Al,Ru;Ru}^{MSL,B2} = L_{Ru;Al,Ru}^{MSL,B2} \tag{11}$$

$$L_{AI,Ru;AI}^{MSL,B2} = L_{Ai;AI,Ru}^{MSL,B2} \tag{12}$$

The symmetrical MSL model description of RuAl-B2 introduces substitutional vacancies to the bcc-A2 disordered description. To ensure that the vacancy fraction in bcc-A2 is low at all temperatures, a high positive value of 120*T have been assigned to the interaction parameters ${}^{0}L_{Al/VaVa}^{bcc-A2}$ and ${}^{0}L_{Ru/VaVa}^{bcc-A2}$.

In the SL model description of RuAl-B2, the interaction parameters for the two unstable end-members $G_{Al:Va}^{B2}$ and $G_{Ru:Va}^{B2}$ were fixed to 60 000 J/mole of atoms. This ensures that the unstable B2 structure, where half the sites are empty, does not become stable, as this will represent a simple cubic bcc structure with no ordering.

Optimisation

Some of the high Al-content data of Obrowski [1960Obr] were found to disagree with that of other workers [1966Eds, 1968Eds, 1988Anl, 1996Bon1, 1996Bon2], and only data that were consistent were, therefore, used. The diagram of Boniface and Cornish [1996Bon2] was modified raising the formation temperatures of the RuAl₂ and Ru₂Al₃ phases to give a more correct liquidus slope [2000Pri]. The invariant reactions used in the optimisation are listed in Table 3. Higher weights were given to reliable and consistent data. The experimental enthalpy value [1992Jun] was also assigned a higher weight than the enthalpies estimated with the Miedema method.

The calculations were carried out using the PARROT module [1984Jan] in the Thermo-Calc software [1985Sun].



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As a first step, to ensure that the slope of the liquidus was correct at the melting point of the fcc phase. only the liquid, Al-fcc and Ru-hcp phases were optimised. A metastable eutectic reaction was created for this purpose. Once an acceptable liquidus slope was calculated, the RuAl-B2 phase, using the MSL description, was included in the optimisation as this was the only phase with experimental thermodynamic data. This gave the liquid phase a reference point.

Since one Gibbs energy function describes both the B2 and bcc-A2 phases in the MSL model, the parameters were selected so that the entropy contribution of the ordered B2 phase was described by the disordered A2 phase. This required that the coefficients of the B2 and A2 phases had to be tested for interdependence. This was done by calculating the solubility range of the B2 phase as a function of the $L_{M,Ri3}^{hec-A2}$ parameter. When the $L_{Al,Ru;Va}^{hec-A2}$ parameter is made more negative, the solubility range for B2 becomes wider. whereas when the $G_{Al;Ru;Vu}^{MSI,B2} = G_{Ru;Al;Vu}^{MSI,B2}$ parameter is made more negative, the solubility range becomes more narrow. Thus the parameters for the bcc-A2 phase were fixed to give a reasonable solubility range for the B2 phase and the RuAl-B2 parameters were used to adjust the solubility range.

The other phases, except for the Ru₂Al₃ phase, were introduced simultaneously. The liquid parameters were fixed while introducing the other phases into the calculation. The other phases were initially modelled to form by congruent melting. The peritectic invariant reactions were only introduced once the phases appeared in their correct composition ranges. Lastly, the Ru₂Al₃ phase was introduced in a similar fashion as the other

All parameters were fixed and the MSL description of the B2 phase was changed to the sublattice format. Only these parameters were optimised during the second assessment.

Table 3

	In	variant temperati	ires and compositions for the A	l-Ru system.	
Reaction (variant temperate	Reaction Temperature	Reference	
L .	→ (Al)	+ RuAl ₆			
0.1	Ò	14.8	923	[1988Anl]	
0.1	0	14.3	922	This work	
L .	+ Ru ₄ Al ₁₃	↔ RuAl ₆			
1.5	25	14.3	996	[1988Anl]	
2.5	25.4	14.3	997	This work	
L ·	+ RuAl ₂	↔ Ru ₄ Al ₁₃			
17.6	33.6	25.8	1676	[1988Anl]	
18.1	31.1	26.7	1725	This work	
	+ Ru ₂ Al ₃	↔ RuAl ₂			
26	36	33.4	1733	[1996Bon1]	
23	36.1	33.9	1873	[2000Pri]*	
23.4	39.6	31.8	1854	This work	
L ·	+ RuAl	↔ Ru ₂ Al ₃			
33.5	42.5	42	1873	[1996Bon1]	
27	42	41	1973	[2000Pri]*	
35	45.9	39.9	1978	This work (MSL)	
Ru ₂ Al ₃	↔ RuAl	+ RuAl ₂			
395	46	35.9	1249	[1996Bon1]	
40	49.5	32.9	1243	This work (MSL)	
L	↔ RuAl				
50	50		2333	[1960Obr]	
50	50		2342	This work (MSL)	
L ←	→ RuAl	+ (Ru)	_ =		
70	51	96	2193	[1960Obr]	
69.7	50.7	95.7	2189	This work (MSL)	

^{*}indicates the invariants which have been used in the optimisation

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To ensure stability of the thermodynamic parameters of the intermetallic phases, a condition forcing the entropy of formation to be negative was set for all the intermetallic phases.

Results and discussion

Despite the lack of experimental thermodynamic data, the calculated phase diagram, as shown in Figure 1, is in good agreement with the later experimental phase diagrams [1988Anl, 1996Bon2]. The experimental and calculated invariant temperatures and compositions are given in Table 3 and the final set of thermodynamic parameters is listed in Appendix 1. The optimised diagram is compared to the experimental data in Figure 2.

The solubility range of the Ru_2Al_3 phase is too narrow [1996Bon1], but not enough experimental data were available to extend the solubility range in the calculations. However, this phase has been shown to have little extension into the ternary Al-Ru-X (where X = Ni, Cr, Ir, Pt) phase diagrams [1997Hor, 1999Hil, 2000Hoh, 2001Com1, 2002Com2, 2002Pri].

The B2 phase is also slightly narrower than in the experimental phase diagram, although it agrees with experimental findings of a larger solubility range towards the Al-rich side than the Ru-rich side. The MSL description gave a wider phase, and hence a better fit to the experimental RuAl-B2 phase.

The B2 phase remains ordered throughout its stability range, which agrees with the available X-ray data [1963Sch, 1966Eds and 1994Bon] and the disordered bcc-A2 phase is unstable in the Al-Ru system at any composition.

The composition ranges of the Ru₄Al₁₃ and RuAl₂ phases are satisfactory, as both have been reported from stoichiometric compounds to having a 5 at. % composition range [1965Eds, 1988Anl, 1996Bon2]. The model description for Ru₄Al₁₃ is acceptable.

In Figure 3, the phase diagram is represented as a function of the chemical potential instead of composition. It indicates that, though the optimisation was performed with limited thermodynamic data, the entropy contributions in the calculated model parameters do not have excessive entropy contributions. The enthalpy of formation for the B2 phase at 298 K for the SL and MSL optimisations are compared with reported enthalpies of formation in Figure 4.

Conclusions

A consistent set of thermodynamic parameters, taking into account the ordered RuAl-B2 phase, was obtained for the Al-Ru binary system, and the resulting phase diagram agrees with a compiled diagram from experimental data. The results for the SL and MSL descriptions of the B2 phase compare well. The MSL description gave a better fit to the width of the experimental RuAl-B2 phase.

The MSL description is the preferred model to describe the ordered B2 phase with, and the description should be as simple as possible.

Acknowledgements

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Appendix I

Thermodynamic parameters for the Al-Ru system [J/mol]

The temperature range is $298.15 \le T \le 6000$, unless specified otherwise. Parameters which are not listed are equal to zero.

Liquid Disordered Solution Phase: (Al,Ru)
$${}^{0}G_{AI}^{liq}(T) - H_{AI}^{0,fec-A1}(298.15) : [1991Din]$$

$${}^{0}G_{Ru}^{liq}(T) - H_{Ru}^{0,hep-A3}(298.15) : [1991Din]$$

$${}^{0}L_{(AI,Ru)}^{liq} = -73000 - 14T$$

$${}^{1}L_{IAI,Ru)}^{liq} = -56000$$

(Al) (fce-A1) Disordered Solution Phase: (Al,Ru)(Va)
$${}^{0}G_{Al}^{fcr-A1}(T) - H_{Al}^{0,fcr-A1}(298.15) : [1991Din]$$

$${}^{0}G_{Ru}^{fcr-A1}(T) - H_{Ru}^{0,fcr-A1}(298.15) : [1991Din]$$

$${}^{0}L_{(Al,Ru)}^{fcr-A1} = -10000 - 10T$$

(Ru) (hcp-A3) Disordered Solution Phase: (Al, Ru)(Va)_{0.5}

$${}^{0}G_{Ru}^{hcp-A3}(T) - H_{Ru}^{0.hcp-A3}(298.15) : [1991Din]$$

$${}^{0}G_{Al}^{hcp-A3}(T) - H_{Al}^{0.hcp-A3}(298.15) : [1991Din]$$

$${}^{0}L_{(Al,Ru)}^{hcp-A3} = -105000 + 30T$$

bcc-A2 Disordered Solution Phase: (Al, Ru,Va)(Va)₃

$${}^{0}G_{Al}^{hcc-A2}(T) - H_{Al}^{0,hcc-A2}(298.15)$$
:[1991Din]
 ${}^{0}G_{Ru}^{hcc-A2}(T) - H_{Ru}^{0,hcc-A2}(298.15)$:[1991Din]
 ${}^{0}L_{Al,Ru;Vu}^{hcc-A2} = -176000 + 32 * T$
 ${}^{0}L_{Al,Ru;Vu}^{hcc-A2} = 120 * T$
 ${}^{0}L_{Ru,Va;Vu}^{hcc-A2} = 120 * T$

RuAl₆ Stoichiometric Phase: (Al)₆ (Ru)

$${}^{f}G_{Al,Ru}^{RuAl_{6}} = 6^{0}G_{Al}^{fcc-A1} + {}^{0}G_{Ru}^{hcp-A3} - 156000 + 7 * T$$

Ru₄Al₁₃ Sublattice Solution Phase: (Al)_{0.6275}(Ru)_{0.235} (Al,Va)_{0.1375}

$${}^{f}G_{Al;Ru;Al}^{Ru_4Al_{13}} = 0.765^{0}G_{Al}^{fcc-Al} + 0.235^{0}G_{Ru}^{hcp-A3} - 35100 + 1.65 * T$$

$${}^{f}G_{Al;Ru;Vu}^{Ru_4Al_{13}} = 0.6275^{0}G_{Al}^{fcc-Al} + 0.235^{0}G_{Ru}^{hcp-A3} - 35100 + 1.65 * T$$

RuAl₂ Sublattice Solution Phase: (Al)₂(Ru)(Al,Ru,Va)
$${}^{f}G_{Al:Ru:Va}^{RuAl_{2}} = 2^{0}G_{Al}^{fcc-Al} + {}^{0}G_{Ru}^{hcp-A3} - 136500 + 8 * T$$

$${}^{f}G_{Al:Ru:Al}^{RuAl_{2}} = 3^{0}G_{Al}^{fcc-Al} + {}^{0}G_{Ru}^{hcp-A3} - 138000 + 8 * T$$

$${}^{f}G_{Al:Ru:Ru}^{RuAl_{2}} = 2^{0}G_{Al}^{fcc-Al} + 2^{0}G_{Ru}^{hcp-A3} - 138000 + 8 * T$$

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Sublattice Solution Phase: (Al)3(Al,Ru)2(Ru,Va) Ru₂Al₃

$$\begin{cases}
G_{Al:Al:Va}^{Ru_2Al_3} = 5^0 G_{Al}^{bcc-A2} \\
G_{Al:Al:Ru}^{Ru_2Al_3} = 5^0 G_{Al}^{bcc-A2} + {}^0 G_{Ru}^{bcc-A2}
\end{cases}$$

$$G_{Al:Al:Ru} = 5 G_{Al}^{CCC} + G_{Ru}^{CCC}$$

$${}^fG_{Al:Ru;Va}^{Ru_2Al_1} = 3^0G_{Al}^{bcc-A2} + 2^0G_{Ru}^{bcc-A2} - 312630 + 30.5 *T$$

$${}^{f}G_{Al;Ru;Ru}^{Ru;Al_{1}} = 3^{0}G_{Al}^{bcc-A2} + 3^{0}G_{Ru}^{bcc-A2} - 312630 + 30.5 *T$$

RuAl (B2) Sublattice Solution Phase: (Al,Ru)(Al,Va)

$${}^{f}G_{Al:Al}^{B2} = 2^{0}G_{Al}^{bcc-A2}$$

$${}^fG_{Al:Va}^{B2} = {}^0G_{Al}^{bcc-A2} + 60000$$

$${}^{f}G_{Ru:Va}^{B2} = {}^{0}G_{Ru}^{bcc-A2} + 60000$$

$${}^{f}G_{Ru:Al}^{B2} = {}^{0}G_{Ru}^{bcc-A2} + {}^{0}G_{Al}^{bcc-A2} - 138700 + 15.5 *T$$

$${}^{0}L^{B2}_{Al:Al,Va} = 49100 - 22.4 * T$$

$${}^{0}L_{Ru:Al,Vu}^{B2} = -51770 + 20 * T$$

$${}^{0}L^{B2}_{Al,Ru:Al} = -30000$$

$${}^{0}L^{B2}_{Al,Ru;Va} = -30000$$

Modified Sublattice Model: $(Al,Ru,Va)_{0.5}(Al,Ru,Va)_{0.5}(Va)_3$

$${}^fG^{MSL,B2} = {}^fG^{MSL,B2} = -87600$$

$$\int G_{Al;Ru;Va}^{MSL,B2} = \int G_{Ru;Al;Va}^{MSL,B2} = -87600$$

$${}^{0}L_{Al;Ru;Al;Va}^{MSL,B2} = {}^{0}L_{Al;Al;Ru;Va}^{MSL,B2} = -73000$$

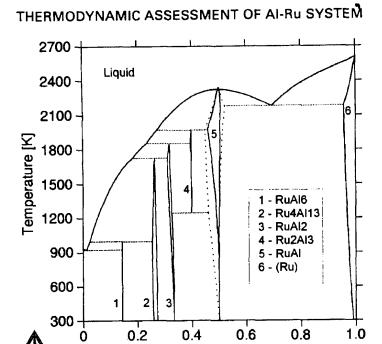


Figure 1. The calculated Al-Ru phase diagram showing B2 calculated using the SL (---) and MSL (---) models.

Mole-fraction Ru

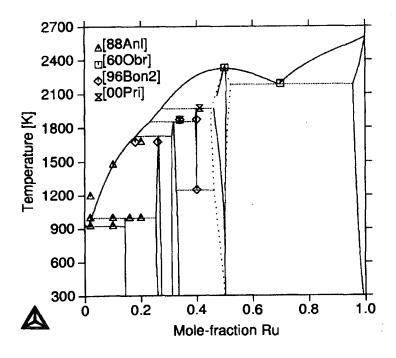


Figure 2. Comparison between the calculated phase diagram and experimental data.

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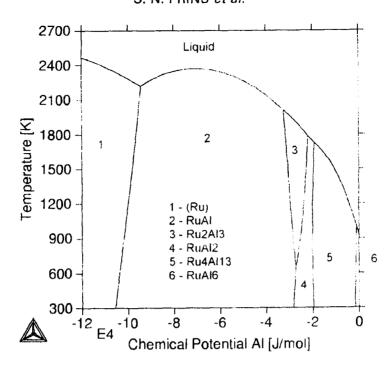


Figure 3. The phase diagram plotted as a function of chemical potential.

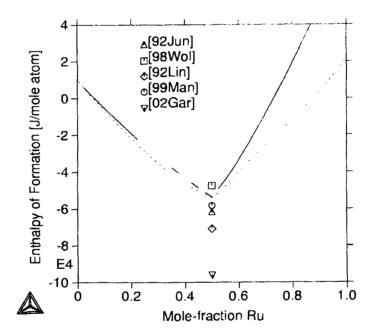


Figure 4. Comparison of the enthalpy of formation at 298 K for the SL (—) and MSL(---) RuAl-B2 descriptions with experimental [1992Jun], Miedema estimations [1998Wol] and ab initio [1992Lin, 1999Man, 2002Gar] values.

Case Study: Comparison of experimentally determined and CALPHAD-method predicted liquidus surfaces of the Al-Pt-Ru system.

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The Al-Pt-Ru ternary system has been studied experimentally. Sixteen samples were prepared by arc-melting. The samples were studied in the as-cast condition. The microstructures and compositions were analysed using scanning electron microscopy and energy dispersive X-ray spectroscopy, and the phases were confirmed by XRD. The solidification sequences of the alloys were derived from the as-cast microstructures and a liquidus surface projection was proposed. [2003Pri3]

Using the CALPHAD method, the Al-Ru and the Al- Pt systems have been calculated with the Parrot module in the Thermo-Calc software [2003Pri1, 2003Pri2]. The Pt-Ru system was calculated by Spencer [1996Spe]. The ternary system was extrapolated from these calculated binary systems to predict the liquidus surface projection. No ternary interaction parameters have been introduced and calculated for these predictions.

The experimental and calculated liquidus surface projections are in good agreement. The major differences arise from the fact that two new ternary phases were found in the experimental study. Since an extrapolation is based on the Gibbs energy functions for already entered phases, the software could not predict these new phases.

The good agreement between the experimental and calculated liquidus surface projections proves that thermodynamic modeling is powerful technique in the development of new alloy systems.

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Thermodynamic Assessment of the Al-Pt-Ru System

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The Al-Pt-Ru system has been studied experimentally as part of a project to characterise and develop Pt-based superalloys [2002Pri2, 2003Pri2]. Pt-based superalloys have the potential to substitute Ni-based superalloys for high-temperature components in turbine engines, as they have a higher melting point and better corrosion resistance. The second part of the project involves building a thermodynamic database for Pt-based alloys.

The Al-Pt-Ru ternary system has been optimised using the CALPHAD method. The ordered RuAl-B2 phase contains ~20 at. % Pt [2003Pri2] and has been modelled with the modified sublattice model (MSL) where the disorder contribution is given by the bcc-A2 phase. The ordered Pt₃Al-L1₂ phase comprises ~3 at. % Ru [2001Big] and has been modelled with the four sublattice compound energy formalism (4SL CEF), which describes the Gibbs energy of the ordered L1₂ and disordered fcc-A1 phases with one energy function. The 4SL CEF allows for mixing on two sublattices, which gives a thermodynamic description for both short and long range order. The other Al-Pt and Al-Ru intermetallic phases were extrapolated from the optimised Al-Pt [2002Pri1] and Al-Ru [2003Pri1] binaries, without the addition of ternary parameters. Two new ternary phases have been found in the Al-Pt-Ru system, and these have been included in the assessment.

The calculations were done with the Thermo-Calc software. The calculated liquidus surface is in good agreement with the experimental results.

The financial assistance of the Department of Science and Technology and the PDI is gratefully acknowledged.

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Reassessment of the Aluminum-Platinum Binary System

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Abstract. The Al-Pt binary system was assessed using the CALPHAD method. The four-sublattice compound energy formalism (4SL CEF) was used to describe the order-disorder relation between the Pt_3Al-Ll_2 and (Pt)-fcc phases. The model successfully describes both the long-range and the short-range order observed in $PtAl_3-Ll_2$ phase in this system. The optimization included the solution phases and the Pt_5Al_{21} , Pt_8Al_{21} , $PtAl_2$, Pt_3Al_5 , $PtAl_3$, $PtAl_3$, $PtAl_3$ and $PtAl_3$ intermetallic phases. The low temperature polymorph of the Pt_3Al phase has not been included in this optimisation.

Introduction

Platinum based alloys are studied as potential alloys to replaced Ni-based superalloys (NBSA) in ultrahigh temperature applications. The Pt-Al system exhibits the same γ/γ relation as Ni-Al, which is the basis of the NBSA. The Pt-Al system is of further interest as Pt is used increasingly in the coating technology to increase the heat and corrosion resistance of NBSA turbine blades, since Pt promotes the formation of stable alumina oxide layers.

The Al-Pt system has been assessed using the CALPHAD method by Wu and Jin [2000Wu], but their assessment did not consider the ordering in the system. They have also not included the $PtAl_2$ or β phases, due to a lack of experimental data. A study of Pt-Al-X ternaries (X=Ru, Ti, Cr, Ni) confirmed the presence of the Pt_2Al phase [2001Big]. Experimental work on Pt-Al-Ru ternary confirmed the presence of the β phase in the Al-Pt binary [2002Pri].

These experimental observations, and the need to include the ordering of the L12 phase, prompted the reassessment of the Al-Pt binary system.

Experimental

Phase diagram data

McAlister and Kahan [McA1986] have reported nine stable intermetallic phases in the Al-Pt system, with two of the phases showing high and low temperature polymorphs (Figure 1). Six metastable phases have also been reported [1986McA, 2001Lab].

Pt₅Al₂₁, Pt₈Al₂₁, Pt₂Al₃ and PtAl are stoichiometric phases, while PtAl₂, Pt₅Al₃, Pt₂Al and Pt₃Al exist with a solubility range. A β phase exists at high temperatures and decomposes below 1533 K. The phase data for the stable phases are listed in Table 1. The existence of the β phase were not confirmed beyond doubt, but rather

Table 1.

The crystal data for the stable elements and phases in the Al-Pt system.

Phase	Compo		Pearson symbol	Space Group	Struktur- bericht	Prototype	Reference
(Al)	0		cF4	Fm3m	A1	Cu	
Pt ₅ Al ₂₁	19.2		c**				[1964Huc]
							[1980Pia]
Pt_8Al_{21}	27		<i>tI</i> 116	I4 _{iα}			[1968Eds]
							[1982Ell]
$PtAl_2$	31.5	33.5	cF12	Fm3m	C1	CaF ₂	[1937Zin]
							[1963Fer]
							[1982Ell]
Pt ₂ Al ₃	40		hP5	P3m1			[1978Bah]
PtAl	50		cP8	P2 ₁ 3	B20	FeSi	[1957Sch]
				1 .			[1963Fer]
	50.4	51.8					[1975Chs2]
β	52	56	cP2	Pm3m	B2	CsCl	[1975Cha]
P							[1978Bha]
Pt ₅ Al ₃	61.5	63	oP16	Pbam		Ge ₃ Rh ₅	[1964Huc]
Pt ₂ Al	66	67	oP12	Pnma	C23	PbCl ₂	[1975Cha1]
Pt ₂ Al (LT)	66	67	oP24	Pmma		GaPt ₂ (LT)	[1976Cha]
Pt ₃ Al	67.3	77.7	cP4	Pm3m	L1 ₂	AuCu ₃	[1962Bro]
,							[1964Huc]
							[1963Mag]
Pt ₃ Al (LT)	73.5	100	<i>tP</i> 16	P4/mbm	DO _c '	GaPt ₃ (LT)	[1975Cha1]
(Pt)	83.8	100	cF4	Fm3m	A1	Cu	

deduced from thermal arrest data. However, recent experimental results in the Al-Pt-Ru ternary system confirmed the presence of the β phase in the Al-Pt system.

There are discrepancies on the L12-DOc' transformation temperature of the Pt₃Al phase.

Thermochemical data

Ferro [1968] determined the enthalpies of formation by solution calorimetry. Worrel [1981] used a electrochemical cell technique to determine the Gibbs energy of mixing. Enthalpies of formation have been predicted using Miedema's method [1989deB]. The enthalpies of formation for PtAl and Pt₃Al have been predicted using *ab initio* methods [2002Ngo]. The thermodynamic data are listed in Table 2.

Thermodynamic Models

The pure elements

The pure elements in their stable states at 298.15K were chosen as the reference states for the system (standard element reference SER). The Gibbs energies as a function of temperature for the stable elements were taken from the SGTE database [1991Din].

The liquid phase

The liquid phase was modeled as a substitutional solution phase according to the polynominal Redlich-Kister model. The Gibbs energy for a solution phase is given by

$$G_{m} = \sum_{i} x_{i}^{0} G_{i} + RT \sum_{i} x_{i} \ln(x_{i}) + {}^{E} G_{m}$$
 (1)



Experimental, predicted and calculated enthalpies of formation for the stable phases in the Al-Pt system.

Phase	$\Delta \mathbf{H}_f$	Method	Reference
	[J/mole atoms]		
Pt ₅ Al ₂₁	-57 320	Solute solvent drop calorimetry	[1968Fer]
	-56 827	Calculated	This work
Pt ₈ Al ₂₁	-71 130	Solute solvent drop calorimetry	[1968Fer]
	-81 751	Calculated	This work
PtAl ₂	-84 000	Solute solvent drop calorimetry	[1968Fer]
_	-87 325	Calculated	This work
Pt ₂ Al ₃	-94 980	Solute solvent drop calorimetry	[1968Fer]
2 3	-79 000	Miedema semi-empirical method	[1989deB]
	-96 500	Direct Synthesis Calorimetry	[1993Mes]
	-89 839	Calculated	This work
PtAl	-100 420	Solute solvent drop calorimetry	[1968Fer]
	-100 000	Direct Synthesis Calorimetry	[1991Jun]
	-82 000	Miedema semi-empirical method	[1989deB]
	-67 440	Ab initio	[2002Ngo]
	-94 025	Calculated	This work
β	-91 300*	Calorimetry	[1968Fer]
Г	-92 913	Calculated	This work
Pt ₅ Al ₃	-90 730	Miedema semi-empirical method	[1989deB]
5 5	-87 213	Calculated	This work
Pt ₂ Al	-88 280	Miedema semi-empirical method	[1989deB]
-	-85 278	Calculated	This work
Pt ₃ Al	-69 870	Solution Calorimetry	[1968Fer]
- •,	-63 600	Direct Synthesis Calorimetry	[1993Mes]
	-50 990	Miedema semi-empirical method	[1989deB]
	-76 000**	Electrochemical	[1981Wor]
	-74 380	Ab initio	[2002Ngo]
	-51 668	Calculated	This work

^{*} estimated from the curve fitted to the enthalpies of formation experimentally determined by Ferro et. al. [1986Fer].

where x_i is the mole fraction of the element i and 0G_i is the Gibbs energy of the element i in the liquid phase relative to its reference state. The second term is the ideal entropy of mixing, while the third term is excess Gibbs energy, which can be expressed as

$$G_m = x_{Al} x_{Pt} L_{AlPt} (2)$$

 L_{AlPt} is the so-called interaction parameter and the composition dependence is expressed as a Redlich-Kister polynomial

$$L_{AlPt} = \sum_{\nu=0} (x_{Al} - x_{Pt})^{\nu} L_{AlPt}^{\nu}$$
(3)

where L_{AIPT}^{ν} are obtained from the optimization and may or may not be temperature dependent.

The fcc phases

The four-sublattice compound energy formalism (4SL CEF) [1998Sun] was used to model the fcc phases. The model is based on the four sublattices describing the four corners of a tetrahedron in an fcc unit cell, with all the nearest neighbours of an atom are on a different sublattice. The model can describe the fcc-A1, L1₂ and L1₀ phases, depending of the positions of the atoms on the tetrahedron. Not all the structures need to be stable in the alloy system [2001Kus].

The 4SL CEF describes the Gibbs energy of the A1, L1₂ and L1₀ structures with one function, which includes an ordered and a disordered energy contribution

$$G_m = G_m^{dis}(x_i) + \Delta G_m^{ord}(y_i^s)$$

^{**} deduced from G = -76460 + 7.48*T [1981Wor]

$$\Delta G_m^{ord} = G_m^{4sl}(y_i^s) - G_m^{4sl}(y_i^s = x_i)$$

is zero when the phase is disordered.

The Pt₃Al phase is an ordered structure (L1₂) of the disordered fcc phase (A1), the latter in which the atoms are randomly distributed on the lattice. The associated other two ordered phases in this system, PtAl₃ (L1₂) and PtAl (L1₀), are unstable. The Pt₃Al phase shows both long-range and short-range order (lro and sro respectively).

According to the 4SL CEF, the following model can be used to describe the fcc phases in this system

$$(Al,Pt)_{0.25}(Al,Pt)_{0.25}(Al,Pt)_{0.25}(Al,Pt)_{0.25}$$

Physically, the sublattices describe the four corners of a tetrahedron in a unit cell. Due to the crystallographic symmetry of the unit cell, the sublattices must be identical, implying that all nearest neighbours of an atom is on a different sublattice. With 0.25 sites for each sublattice, the requirement of 1 mole of atoms in the model is met. For the disordered structure (fcc_A1), all the sublattices are equivalent, which reduces this model to an equivalent (Al,Pt) substitutional model. When two sublattices have the same fractions, but different to the other two, which also have the same fractions, the model describes the PtAl phase (L10 structure). When three sublattices have the same fractions and the fourth sublattice a different fraction, the above model describes the Al₃Pt and Pt₃Al phases (Ll₂ structure).

From the model, the following relationships hold

$$\sum_{i} y_i^s = 1 \tag{4}$$

$$x_i = 0.25 \sum_{s} y_i^s \tag{5}$$

with y_i^s the site fraction of each element i on each sublattice s and x_i the molar fraction of i.

The Gibbs energy expression describing the fcc phases of the 4SL CEF is

$$G_m = \sum_{i} \sum_{k} \sum_{l} y_i^{(1)} y_j^{(2)} y_k^{(3)} y_l^{(4)} {}^{o}G_{l:j:k:l} + 0.25RT \sum_{l} y_i^{(s)} \ln(y_i^{(s)}) + {}^{E}G_m$$
 (6)

where the first term describes the mechanical mixing of all the stoichiometric compounds defined by the model, with ${}^{o}G_{i:j:k:l}$ the Gibbs energy of the stoichiometric compound ijkl relative to the pure elements in the fcc state. The second term is the random mixing of all elements in each sublattice. The excess term EG_m includes the first two interactions according to the CEF and is defined as

$${}^{E}G_{m} = \sum_{i_{1}} \sum_{i_{2}} \sum_{j_{1}} \sum_{k} \sum_{l} y_{i_{1}}^{(r)} y_{i_{2}}^{(r)} y_{j}^{(s)} y_{k}^{(u)} L_{i_{1}, i_{2}: j: k: l} + \dots + \sum_{i_{1}} \sum_{i_{2}} \sum_{j_{1}} \sum_{j_{2}} \sum_{k} \sum_{l} y_{i_{1}}^{(r)} y_{i_{2}}^{(r)} y_{j_{1}}^{(s)} y_{j_{2}}^{(s)} y_{k}^{(t)} y_{l}^{(u)} L_{i_{1}, i_{2}: j_{1}, j_{2}: k: l} + \dots$$

$$(7)$$

The comma "," separate interacting constituents on the same sublattice, with ":" separating the sublattices. The first summation describes the regular interaction parameters, $L_{i_1,i_2:j:k:l}$, which represents interactions between i_1 and i_2 on sublattice r, when the other sublattices, s, u and t, are occupied by constituents j, k and l. This is the next nearest neighbour interactions.

The second summation is called the reciprocal parameters. They represent interaction on two sublattices, r and s, simultaneously while the other two sublattices, t and u, are occupied by constituents k and l respectively. This describes the nearest neighbour interactions, thus introduces a component to describe sro in the model.

As all the sublattices are equivalent, symmetry relations were applied to reduce the number of independent parameters.



The intermetallic phases

The intermetallic compounds $Pt_{21}Al_5$, $Pt_{21}Al_8$, $PtAl_2$, Pt_2Al_3 , PtAl, Pt_5Al_3 and Pt_2Al were treated as stoichiometric compounds. The β phase was assumed to be stoichiometric, since very little experimental information was available. The β phase was treated as $Pt_{52}Al_{48}$.

The Gibbs energy per formula unit Pt_mAl_n is expressed as

$${}^{o}G_{m}^{Pt_{m}Al_{n}} = m^{o}G_{Pt}^{fcc-Al} + n^{o}G_{Al}^{fcc-Al} + \Delta G_{f}^{Pt_{m}Al_{n}}$$
(8)

where $\Delta G_f^{Pt_mAl_n}$ is the Gibbs energy of formation per mole of formula unit Pt_mAl_n and is given by the expression

$$\Delta G_f^{Pt_m Al_n} = a + b * T \tag{9}$$

The parameters a and b were evaluated in the present work.

Optimisation

The optimization was carried out with the Parrot module [1984Jan] of the Thermo-Calc software [1985Sun]. With this module the Gibbs energy functions can be derived by fitting experimental data through a least square method. Different types of experimental data can be used and the weights can be assigned to the data based on the uncertainties associated with the original data.

In the initial optimization, the values from Wu and Jin [2000Wu] were used to calculate a basic set of data. The Pt₃Al phase was excluded. Once their phase diagram was reproduced, the fcc description was modified to the 4SL CEF formal. The ordered phases were introduced using the same Gibbs energy function as the disordered fcc. The results from Kusskofsky et al [2002Kus] were used to estimate starting values for the parameters. Conditions were set to ensure that PtAl₃ and Pt₂Al₂, which are experimentally unstable in this system, were unstable in the thermodynamic description as well.

Both the Pt_2Al and β phases were introduced as a stoichiometric compounds. For the β phase, an initial metastable congruent melting formation was set. This could not be done for the Pt2Al phase, since it forms in the solid state. The metastable congruent melting for the β phase was removed and the peritectic formation included. The decomposition of the β phase was introduced in the final set of optimisations.

Results and Discussion

A self-consistent thermodynamic description has been obtained for the Al-Pt system. The 4SL CEF has been successfully applied in describing the order disorder transformation between the fcc and Pt₃Al. The calculated model parameters for the Al-Pt system are listed in Appendix I.

The calculated phase diagram is shown in Figure 1 and compared to the experimental data in Figure 2. The invariant temperatures and compositions are compared in Table 3. The calculated enthalpies of formation are compared to experimental, empirical and *ab initio* values in Table 2. The calculated enthalpy of formation for the Pt_3Al phase is compared with reported enthalpies of formation in Figure 4.

The calculated phase diagram is in good agreement with the experimental phase diagram of McAlister and Kahan [1986McA].

The calculated temperatures for the invariant reactions and compositions for the intermetallic phases are in good agreement with the experimental temperatures. The calculated eutectic temperature for the $L\to\beta$ + Pt_5Al_3 is ~ 50 degrees too high. This is not a well-defined area in the phase diagram from McAlister [1986McA], and could also be due to the estimation of the enthalpy of formation for the β phase.

The congruent formation of the Pt_3Al phase and $L \to Pt_3Al + (Pt)$ eutectic reactions are not in very good agreement with the experimental diagram. The 4SL CEF model is of such that the formation composition of Pt_3Al is at 75 at. %, while it has been found to form congruently at 73.2 at. %. This off-stoichiometry formation cannot be reached with the model, and had an influence on the temperature as well as the enthalpy of formation

for the Pt₃Al phase. The symmetry of the UNIVERSITY OF PRETORIA npossible to move the eutectic reaction to a lower Pt-contents.

Although the phase area of the (Pt) solid solution is too narrow, especially at lower temperatures, the phase area for the Pt_3Al phase is acceptable. The Pt_3Al phase is ordered throughout its phase area and the unstable $PtAl_3$ and Pt_2Al_2 phases, which are introduced through the 4SL CEF, are not stable at any composition or temperature in the phase diagram, which is correct.

The calculated solubility of Pt in (Al) is too high.

Table 3. Experimental and calculated invariant compositions and temperatures for the Al-Pt system.

Experimental and calculated invari Reaction and Compositions					Reaction Temperature [K]	Reference	
(at. % Pt)					Keachon Temperature [K]	Keierence	
L	\leftrightarrow	Pt ₃ Al	+	(Pt)			
79.5	\leftarrow	76.4	•	85.7	1780	[1986McA]	
83.7		70.4		99	1748	This work	
PtAl	+	L	\leftrightarrow	β	1770		
50.0	т	53.7	\leftarrow	51.5	1783	[1986McA]	
50.0		33.1		52.0	1783	This work	
<u> </u>	\leftrightarrow	Pt ₂ Al ₃	+	PtAl	1703		
44.47	\leftarrow	40.0	т	50.0	1741	[1986McA]	
44.47 46.7		40.0		50.0	1773	This work	
<u>40.7</u> L	+	Pt ₃ Al		Pt ₅ Al ₃	1773		
62.3	+	67.3	\leftrightarrow	62.5	1738	[1986McA]	
02.3		07.3		62.5	1730	This work	
D+ A1	1	Dr A1		$\frac{02.5}{\text{Pt}_2\text{Al}}$	1/20	1110	
Pt_5Al_3	+	Pt ₃ Al	\leftrightarrow	67.5	1703	[1986McA]	
62.7		67.0		07.3	1703	This work	
62.5		D4 A1		D+ A 1	1701	This work	
L	+	Pt_2Al_3	\leftrightarrow	PtAl ₂	1670	[1986McA]	
31.8		40.0		33.3 33.3	1679 1671	This work	
т		40.0			10/1	This work	
L	\leftrightarrow	β	+	Pt_5Al_3	1670	[1986McA]	
55.7		57.9		66.5	1670	This work	
		52.0		62.5	1724	THIS WOLK	
β	\leftrightarrow	PtAl		Pt_5Al_3	1522	[1986McA]	
54.2		50.0		61.5	1533	This work	
52.0		50.0		62.5	1533	This work	
L	+	PtAl ₂	\leftrightarrow	Pt_8Al_{21}	1400	[1096MaA]	
18.8		32.6		27.5	1400	[1986McA] This work	
		33.3		27.5	1404	This work	
L	+	Pt_8Al_{21}	\leftrightarrow	Pt_5Al_{21}	1070	[1006] [1006]	
3.1		27.5		19.2	1079	[1986McA]	
		27.5		19.2	1097	This work	
L	\leftrightarrow	(Al)	+	Pt_5Al_{21}	000	[1006] [100]	
0.4		0.0		19.2	930	[1986McA]	
				19.2	910	This work	
	L	\leftrightarrow	Pt₃Al		1000	[1006] K. A.]	
	73.2		73.2		1829	[1986McA]	
	75.3		75.3		1877	This work	
	L	\leftrightarrow	PtAl			5100CM A1	
	50.0		50.0		1827	[1986McA]	
	50.0		50.0		1827	This work	
	L	\leftrightarrow	Pt_2Al_3			510000 6 43	
	40.0		40.0		1800	[1986McA]	
	40.0		40.0		1800	This work	



A consistent set of thermodynamic parameters, taking into account the order-disorder relation between Pt_3Al-Ll_2 and (Pt)-fcc, was obtained for the Al-Pt system. The 4SL CEF successfully described the fcc phases. The calculated phase diagram is in good agreement with the experimental phase diagram.

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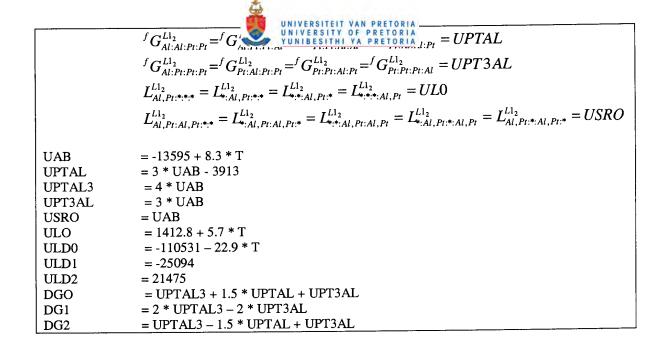
Appendix I

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Thermodynamic parameters for the Al-Pt system [J/mol atoms]

The temperature range is $298.15 \le T \le 6000$, unless specified otherwise. Parameters which are not listed are equal to zero.

Liquid	Disordered Solution Phase: (Al,Pt)
Liquid	${}^{0}G_{Al}^{liq}(T) - H_{Al}^{0,fcc-Al}(298.15)$: [1991Din]
	${}^{0}G_{p_{t}}^{liq}(T) - H_{p_{t}}^{0,hcp-A3}(298.15):[1991Din]$
	${}^{0}L_{(Al,Pt)}^{Liq} = -352540 + 114.8 * T$
5	$^{1}L_{(Al,Pt)}^{Liq} = 68570 - 53 * T$
fcc-A1	Disordered Solution Phase: (Al,Pt)(Va) ${}^{0}G_{Al}^{fcc-Al}(T) - H_{Al}^{0,fcc-Al}(298.15)$: [1991Din]
	${}^{0}G_{Pt}^{fcc-A1}(T) - H_{Pt}^{0,fcc-A1}(298.15)$:[1991Din]
	$^{0}L_{(Al,Pt)}^{fcc-A1} = ULDO + DGO + 1.5 * USRO$
	$^{1}L_{(Al,Pl)}^{fcc_A1} = ULD1 + DG1$
	$^{2}L_{(Al,Pt)}^{fcc-A1} = ULD2 + DG2 - 1.5 * USRO$
Pt ₅ Al ₂₁	Stoichiometric Phase: $(Al)_{0.8077}(Pt)_{0.1923}$ ${}^fG_{Al:Pl}^{Pt_5Al_{21}} = 0.8077{}^0G_{Al}^{fcc-A1} + 0.1923{}^0G_{Pl}^{fcc-A1} - 56870 + 14.8 * T$
Pt ₈ Al ₂₁	Stoichiometric Phase: $(Al)_{0.7242}(Pt)_{0.2759}$ ${}^fG_{Al:Pt}^{Pt_8Al_{21}} = 0.7242^0G_{Al}^{fcc-Al} + 0.2759^0G_{Pt}^{fcc-Al} - 81805 + 23.2*T$
PtAl ₂	Stoichiometric Phase: (Al) _{0.666} (Pt) _{0.334} ${}^{f}G_{Al:Pt}^{PtAl_{2}} = 0.666^{0}G_{Al}^{fcc-A1} + 0.334^{0}G_{Pt}^{fcc-A1} - 87371 + 22.1*T$
Pt ₂ Al ₃	Stoichiometric Phase: $(Al)_{0.6}(Pt)_{0.4}$ ${}^fG_{Al;Pt}^{Pt_2Al_3} = 0.6^0G_{Al}^{fcc-Al} + 0.4^0G_{Pt}^{fcc-Al} - 89885 + 21.5*T$
PtAl	Stoichiometric Phase: (Al) _{0.5} (Pt) _{0.5} ${}^fG_{Al:Pt}^{PtAl} = 0.5{}^0G_{Al}^{fcc-Al} + 0.5{}^0G_{Pt}^{fcc-Al} - 94071 + 24.1*T$
Beta	Stoichiometric Phase: $(Al)_{0.48}(Pt)_{0.52}$ ${}^fG_{Al:Pt}^{\beta} = 0.48^0G_{Al}^{fcc-Al} + 0.52^0G_{Pt}^{fcc-Al} - 92959 + 24.1*T$
Pt ₅ Al ₃	Stoichiometric Phase: $(Al)_{0.375}(Pt)_{0.625}$ ${}^fG_{Al:Pt}^{Pt_5Al_3} = 0.375^0G_{Al}^{fcc-Al} + 0.625^0G_{Pt}^{fcc-Al} - 87260 + 24 * T$
Pt ₂ Al	Stoichiometric Phase: $(Al)_{0.334}(Pt)_{0.666}$ ${}^fG^{Pt_2Al}_{Al;Pt} = 0.334^0G^{fcc-Al}_{Al} + 0.666^0G^{fcc-Al}_{Pt} - 85325 + 24.9 *T$
L1 ₂ (Pt ₃ Al)	4SL-CEF: $(Al,Pt)_{0.25}(Al,Pt)_{0.25}(Al,Pt)_{0.25}(Al,Pt)_{0.25}$ ${}^fG_{Al:Al:Al:Pt}^{Ll_2} = {}^fG_{Al:Al:Pt:Al}^{Ll_2} = {}^fG_{Al:Pt:Al:Al}^{Ll_2} = {}^fG_{Pt:Al:Al:Al}^{Ll_2} = UPTAL3$



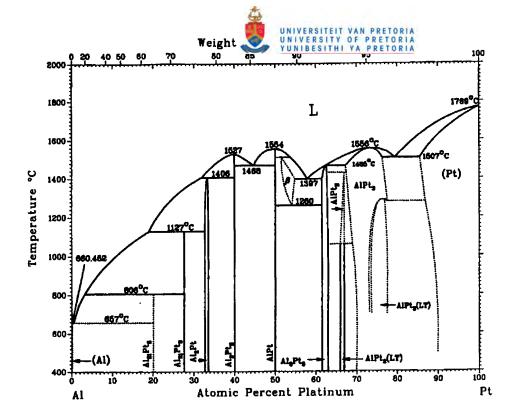


Figure 1. The Al-Pt phase diagram [1990Mas]

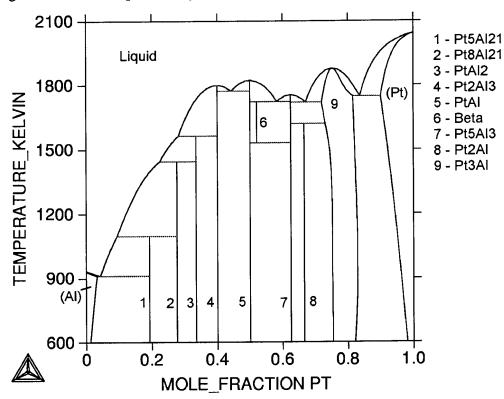


Figure 2. The calculated Al-Pt phase diagram.

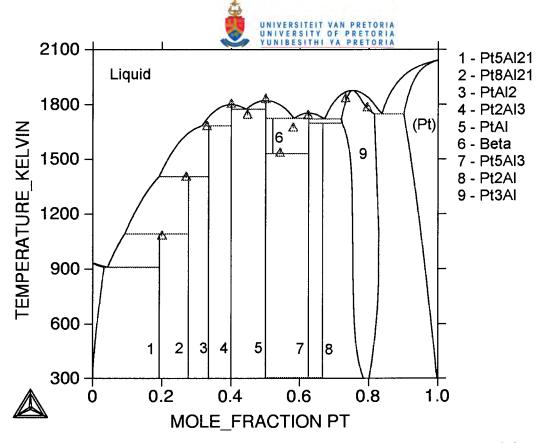


Figure 2. Comparison between the calculated phase diagram and experimental data [1986McA].

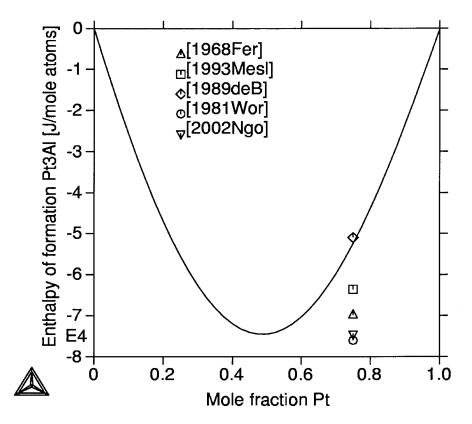


Figure 4. Comparison of the calculated, experimental [1968Fer, 1981Wor], Miedema estimated [1993Mes] and *ab initio* predicted [2002Ngo] enthalpy of formation at 298 K for the ordered Pt₃Al phase.

XRD study of phases in an investigation of the Al-Pt-Ru system. S.N.Prins^a, P.S. Boucher^a and L.A. Cornish^b, ^a CSIR-NML, PO Box 395, Pretoria 0001, RSA, ^b Physical Metallurgy Division, Mintek, Private Bag X3015, Randburg, 2125, RSA.

Keywords: Al-Pt-Ru, Pt-based alloys, XRD

As part of a study for the development of alloys based on Pt for high temperature applications [1], the Al-Pt-Ru phase diagram has been investigated. Both arc-melted and annealed samples have been characterised using scanning electron microscopy (SEM) with energy dispersive X-ray spectroscopy (EDS) [2]. The samples were annealed in argon at 600°C for 160 hours. The phases were initially identified by their compositions and morphology, and X-ray diffraction was used to identify the structures and verify the phase identification.

Bulk polished halves of the as-cast and annealed button samples were scanned in a Philips XRD with Cu Kα radiation using a continuous scan from 4 to 90° 2θ.

Initially, it was thought that the experimentally recorded spectra could be matched with standard spectra from the ICDD database [3] for the expected phases. However, many phases were not yet included in the ICDD database. Even for the binary phases that were in the database, the presence of the third element shifted the diffraction patterns of the phases significantly, rendering identification difficult, especially for non-cubic structures.

A lattice parameter refinement procedure was followed to identify the phases, as well as to calculate the modified lattice parameters for the phases. Where prototypes for the phases were given in the literature, and the prototype was included in the ICDD, the prototype structure was used as a starting point.

A ternary phase of composition $\sim Ru_{12}Pt_{15}Al_{73}$ was observed to be stable to room temperature. By employing a search-and-match method, it was found that the ternary phase exhibited a primitive cubic structure and lattice parameter of ~ 0.7721 nm, and was of similar type to $IrAl_{2.75}$ and $RhAl_{2.63}$.

XRD confirmed most of the phase identification from the SEM/EDS results, and also showed that the ~Ru₁₂Pt₁₅Al₇₃ phase was a true ternary phase, and not an extension of Ru₄Al₁₃ as initially thought.

The Platinum Development Initiative and Department of Science and Technology are acknowledged for supporting this work.

- [1] L.A. Cornish, J. Hohls, P.J. Hill, S.N. Prins, R. Süss and D.N. Compton, 34th International October Conference on Mining and Metallurgy Proceedings, Ed. Z.S. Markovic and D.T. Zivkovic, 545-550, 30 September 3 October 2002, Bor Lake, Yugoslavia.
- [2] S.N. Prins, L.A. Cornish, P.S. Boucher and W.E. Stumpf, submitted to J. Alloys and Compounds.
- [3] International Center for Diffraction Data (ICDD). 'Powder Diffraction File', Pennsylvania, USA, 2001.

Thermodynamic Assessments of the Pt-Cr and Cr-Ru Systems with an Extrapolation into the Pt-Cr-Ru

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A CALPHAD-like assessment of the Pt-Cr system has been carried out, starting with the data obtained from an assessment by Oikawa et al. [2001Oik]. The Pt3Cr phase was not included in their assessment. A four sublattice model has been incorporated in order to add the L12 ordered Pt3Cr phase. This phase shows an ordered-disordered transition from L12 to fcc at about 1403 K.

Within the Cr-Ru system a sigma phase (Strukturbericht D8b) has been modelled. The sigma model with 10:4:16 sites was used [2003Sun].

An extrapolation to the ternary system Pt-Cr-Ru has been made, with an emphasis on L1₂ ordered phases close to the Pt-rich side.

Financial assistance of the Department of Science and Technology, South Africa and the Platinum Development Initiative is gratefully acknowledged.

References

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220-233

[2003Sun] B. Sundman, private communication

A STUDY OF THE Pt-Al-Ru SYSTEM AT 600°C

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The Pt-Al-Ru system is being studied as part of a larger project to develop and optimise Pt-based alloys for high temperature use [1]. These alloys are based on a two-phase microstructure of ~Pt₃Al in a (Pt) matrix, analogous to the γ/γ' microstructure of Ni-based superalloys. Work has been done on the Pt-Al-Ru system [2,3] and the liquidus surface has been derived from as-cast alloys [3].

Six alloys were selected from the alloys so as to contain the phases of interest. The samples were sealed in silica tubes backfilled with argon and annealed at 600°C for 3 weeks. They were prepared metallographically and studied with a LEO 1525 SEM and Oxford INCA EDS. The phases were confirmed, as far as possible, using a Philips XRD with Cu K alpha radiation on solid samples.

The \sim Pt₅₁:Al₂₁:Ru₂₈ sample comprised coarse needles of (Ru) in a binary eutectic of fine (Ru) needles and \sim Pt₃Al. Compared to the as-cast sample, the fine needles had coarsened, and there were no traces of the (Pt) component. Thus the heat treatment had removed the ternary eutectic which appeared due to non-equilibrium cooling. There was precipitation of \sim Pt₃Al in the coarse (Ru) needles; this indicated that the (Ru) solvus slopes to lower Ru contents at lower temperatures, and agrees with Obrowski's observations in the Al-Ru system [4].

The as-cast ~Pt₂₅:Al₄₆:Ru₂₉ sample comprised very cored ~RuAl dendrites in a matrix of ~PtAl + Pt₅Al₃ which had originated from solid state decomposition of the high temperature beta phase. The heat treated sample showed much reduced coring (Fig. 1) and coarsening in the matrix phases.

The ~Pt₃₉:Al₅₂:Ru₉ sample in the as-cast condition had a complex structure that revealed primary formation of cored ~RuAl followed by the formation of PtAl and Pt₂Al₃. The actual reactions were difficult to interpret since the PtAl and Pt₂Al₃ phases were extremely fine. Annealing at 600°C reduced the coring in ~RuAl and coarsened the microstructure so that a eutectic between ~RuAl and ~PtAl was revealed. The ~PtAl within the eutectic had a higher Ru content, and so had a slightly darker contrast as indicated by the arrow in Fig. 2.

As-cast \sim Pt₁₄:Al₅₄:Ru₃₂ was another complex sample and was not at equilibrium since it contained four phases: \sim RuAl, \sim RuAl₂, \sim PtAl₂, and \sim Ru₁₂Pt₁₅Al₇₃, a new ternary phase [3]. The annealed sample only had three phases: \sim RuAl, \sim RuAl₂ and \sim PtAl₂. In addition, there was precipitation of \sim RuAl₂ within \sim PtAl₂

The as-cast \sim Pt₂₈:Al₆₄:Ru₈ specimen contained dendrites of \sim Ru₁₂Pt₁₅Al₇₃ surrounded by \sim PtAl₂, in a eutectic comprising \sim PtAl₂ and \sim Ru₁₂Pt₁₅Al₇₃. In the annealed condition, there was much less of the \sim Ru₁₂Pt₁₅Al₇₃ phase and the eutectic had coarsened.

In the as-cast condition, the \sim Pt₈:Al₈₅:Ru₇ alloy had two distinct microstructures locally and the primary phase was different in each: \sim Ru₁₂Pt₁₅Al₇₃ and \sim Pt₅Al₂₁ respectively. The other phases were

~RuAl₆ and (Al). Although the annealed sample contained regions which appeared different, the ~Pt₅Al₂₁ phase had disappeared, and the ~RuAl₆ phase was not discerned. However, since the ~Ru₁₂Pt₁₅Al₇₃ phase still showed coring, it is likely that the ~RuAl₆ phase was still present and was in local equilibrium with the less Pt-rich composition of ~Ru₁₂Pt₁₅Al₇₃, but too fine to detect.

The phase and alloys' EDS analyses were plotted and compared to the as-cast values. The alloys suffered minimal aluminium loss on annealing. Pt₃Al had lost all discernible Ru, which agrees with other work [2]. Similarly, RuAl₂ had negligible Pt after annealing, showing that the solubility for Pt decreases with temperature. The composition of ~Ru₁₂Pt₁₅Al₇₃ moved to slightly lower Pt contents at lower temperatures. Two samples exhibited a similar and a higher Ru composition for the ~PtAl₂ phase than in the as-cast samples, indicating that the solubility increased with temperature. Both the PtAl and Pt₂Al₃ phase compositions shifted to more stoichiometric values after annealing, indicating a contraction in phase width at lower temperatures. At 600°C, the penetration of the ~RuAl phase was reduced compared to the as-cast samples: from ~26 at. % Pt to ~22 at. % Pt. In addition, the phase width narrowed at lower temperatures.

Annealing the samples at 600° C equilibriated them to some degree; no sample had more than three phases, and the compositions had changed to more stoichiometric values. The only unexpected result was that the ~PtAl₂ phase extended to higher ruthenium contents.

References

[1] L.A. Cornish, J. Hohls, P.J. Hill, S.N. Prins, R. Süss and D.N. Compton, 34th International October Conference on Mining and Metallurgy Proceedings, Ed. Z.S. Markovic and D.T. Zivkovic, 545-550, 30 September - 3 October 2002, Bor Lake, Yugoslavia.

[2] T. Biggs, P.J. Hill, L.A. Cornish and M.J. Witcomb, J. Phase Equilibria, 22 (2001) 214-215.

[3] S.N. Prins, L.A. Cornish, P.S. Boucher and W.E. Stumpf, submitted to J. Alloys and Compounds.

[4] W. Obrowski, Metallwissenschaft und Technik (Berlin), 17 (1960) 108-112.

[5] This research was supported by the PDI and the DS&T, South Africa.

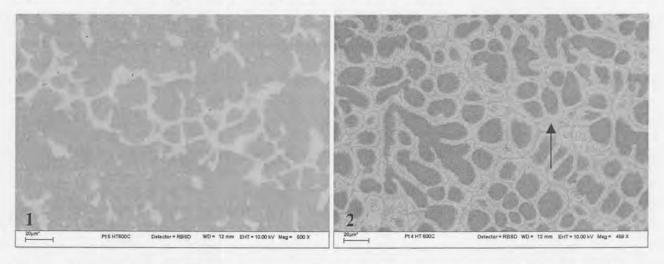


Fig. 1. ~Pt₂₅:Al₄₆:Ru₂₉: BSE image showing ~RuAl (dark) in a matrix of ~PtAl + Pt₅Al₃ (light). Fig. 2. ~Pt₃₉:Al₅₂:Ru₉: BSE image showing ~RuAl (dark), ~PtAl (light) and Pt₂Al₃ (medium grey).

Appendix B

XRD lattice parameter refinement on sample PAR4.

The XRD spectrum for sample PAR4 is shown in Figure 1, and the d-values and intensities of the spectrum as recorded on a Philips XRD are listed in Table 1.

From EDS analysis, it was proposed that the phases present in this sample are RuAl, PtAl and Pt₂Al₃. Initial XRD spectrum matching showed that PtAl₂ are possibly present in the sample. Furthermore, neither the PtAl nor Pt₂Al₃ phases are included in the ICDD. However, PdAl and Pd₂Al₃ are similar to PtAl and Pt₂Al₃, respectively, in crystal structure and lattice parameter and are included in the ICDD. The presence of the PtAl₂ phase found in the XRD is in contradiction to the EDS results. It was further found that it is difficult to distinguish between PtAl₂ and RuAl, since the standard diffraction patterns overlap almost completely.

For each of the four phases, a lattice refinement was done with the WinCell program [2000Raj]. To do the refinement, the hkl values for each phase and the observed corresponding two theta values (from Table 1) were entered into the program. WinCell does not take the peak intensities into account. An estimate of the lattice parameter is also entered.

The WinCell input screen for the PdAl phase is shown in Figure 2. The software then calculates through a non-linear regression the lattice parameter and the corresponding R² of the phase. The presence of a third element in the binary structures shifted the two theta values in some cases, and more than one attempt was then needed to identify the relevant two theta values to obtain the best R² value.

The WinCell output sheets for the four phases are attached. Output 2 is for PtAl₂, which is actually NOT present in the sample, but it is interesting to note that both RuAl and PtAl₂ gave a good fit (factor R at the bottom of each output sheet). As can be seen from the input values listed in Table 2, RuAl overlaps completely with PtAl₂. On closer investigation, comparing the input data with the ICDD standard reflections, the (311) reflection for PtAl₂ is absent. The (311) reflection for PtAl₂, which appeared at 51.010 two theta, initially gave a bad fit in the refinement and was removed. The pattern then gave a much better R² value. However, since this is a major reflection for the PtAl₂ phase and the (311) reflection should not have been removed in the first place. Following the EDS analysis that suggested RuAl, a good fit was obtained for RuAl. It can be seen that there are many overlaps and that the relative intensities of the reflections should be considered where doubt exists.

This shows the power of using lattice refinement to confirm the presence of the phase. However, care should be taken since WinCell does not take into account the intensities of the reflections. It also be stated that WinCell does not ensure that space group conditions are met, and the operator must check the selected hkl values to make sure that they are cone conflicting the space group rules.

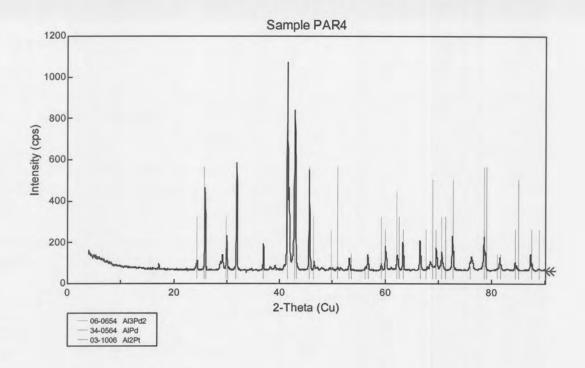


Figure 1. XRD spectrum for sample PAR4.

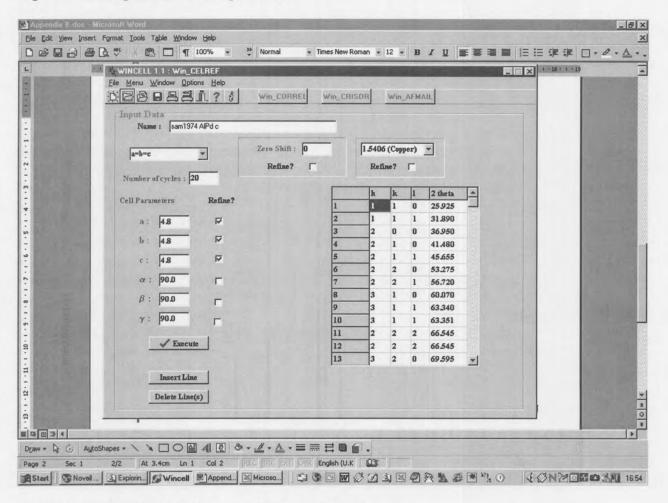


Figure 2. Input screen for the PdAl phase into WinCell.



Table 1. Comparison of WinCell input for RuAl and PtAl₂.

		F	RuAl		PtAl ₂			
h	k	ı	2 theta	h	k	1	2 theta	
1	0	0	30.000	1	1	1	25.925	
1	1	0	42.965	2	0	0	30.000	
1	1	1	53.275	2	2	0	42.965	
2	0	0	62.260	2	2	2	53.275	
2	1	0	70.260	4	0	0	62.260	
2	1	1	78.595	3	3	1	68.515	
2	1	0	78.579	4	2	0	70.675	
				4	2	2	78.595	
				4	2	2	78.579	
				5	1	1	84.360	

Appendix C

UNIV

Thermodynamic database for Al-Pt-Ru

ELEMENT /- ELECTRON GAS

This database was extrapolated from the binaries, and no ternary parameters have been optimised yet.

The metastable parameters for Pt-bcc and Pt-hcp were added to the bcc and hcp phase descriptions. Due to the additions to the disorder descriptions, the ordered phases had to be stabilised. Pt was add as a third element to the B2 sublattices and Ru was added to the L12 sublattices to stabilise these two phases in the ternary, but no interaction parameters were included for these additions.

0.0000E+00 0.0000E+00 0.0000E+00!

No ternary parameters were included for any phases.

```
ELEMENT VA VACUUM
                                0.0000E+00 0.0000E+00 0.0000E+00!
ELEMENT AL FCC A1
                              2.6982E+01 4.5773E+03 2.8322E+01!
ELEMENT PT FCC_A1
                              1.9508E+02 5.7237E+03 4.1631E+01!
                              1.0107E+02 4.6024E+03 2.8535E+01!
ELEMENT RU HCP A3
FUNCTION GHSERPT 2.98150E+02 -7595.631+124.38828*T-24.5526*T*LN(T)
  -.00248297*T**2-2.0138E-08*T**3+7974*T**(-1); 1.30000E+03 Y
  -9253.174+161.52962*T-30.2527*T*LN(T)+.002321665*T**2-6.56947E-07*T**3
  -272106*T**(-1); 2.04210E+03 Y
  -222518.97+1021.2109*T-136.42269*T*LN(T)+.020501692*T**2
  -7.60985E-07*T**3+71709819*T**(-1); 4.00000E+03 N!
FUNCTION GHSERRU 2.98150E+02 -7561.873+127.86623*T-22.914329*T*LN(T)
  -.004062566*T**2+1.7641E-07*T**3+56377*T**(-1); 1.50000E+03 Y
  -59448.103+489.51621*T-72.324122*T*LN(T)+.018726245*T**2
  -1.952433E-06*T**3+11063885*T**(-1); 2.60700E+03 Y
  -38588773+168610.52*T-21329.705*T*LN(T)+5.221639*T**2
  -2.4024599E-04*T**3+1.3082993E+10*T**(-1); 2.74000E+03 Y
  -55768.304+364.48231*T-51.8816*T*LN(T); 4.50000E+03 N!
FUNCTION GHSERAL 2.98140E+02 -7976.15+137.093038*T-24.3671976*T*LN(T)
  -.001884662*T**2-8.77664E-07*T**3+74092*T**(-1); 7.00000E+02 Y
  -11276.24+223.048446*T-38.5844296*T*LN(T)+.018531982*T**2
  -5.764227E-06*T**3+74092*T**(-1); 9.33470E+02 Y
  -11278.378+188.684153*T-31.748192*T*LN(T)-1.230524E+28*T**(-9);
  2.90000E+03 N!
FUNCTION GHCPAL
                    2.98150E+02 +5481-1.799*T+GHSERAL#; 6.00000E+03 N!
FUNCTION GHCPPT
                    2.98150E+02 +2500+.1*T+GHSERPT#; 4.00000E+03 N!
FUNCTION GBCCPT
                    2.98150E+02 +15000-2.4*T+GHSERPT#; 4.00000E+03 N!
FUNCTION GBCCAL
                   2.98150E+02 +10083-4.813*T+GHSERAL#; 6.00000E+03 N
FUNCTION GBCCRU
                    2.98150E+02 +26500-6.2*T+GHSERRU#; 4.50000E+03 N!
FUNCTION GFCCRU
                    2.98150E+02 +12500-2.4*T+GHSERRU#; 4.50000E+03 N!
FUNCTION UAB
                  2.98150E+02 -13595+8.3*T; 6.00000E+03 N!
FUNCTION UPT3AL
                   2.98150E+02 +3*UAB#-3913; 6.00000E+03 N!
FUNCTION UPTAL
                   2.98150E+02 +4*UAB#; 6.00000E+03 N!
FUNCTION UPTAL3
                    2.98150E+02 +3*UAB#; 6.00000E+03 N!
FUNCTION UL0
                 2.98150E+02 +1412.8+5.7*T; 6.00000E+03 N!
```

```
FUNCTION USRO
                   2.98150E+02 +UAB#; 6.00000E+03 N!
FUNCTION ULD0
                   2.98150E+02 -110531-22.9*T: 6.00000E+03 N!
FUNCTION ULD1
                   2.98150E+02 -25094; 6.00000E+03 N!
 FUNCTION ULD2
                   2.98150E+02 21475; 6.00000E+03 N!
 FUNCTION DG0
                  2.98150E+02 +UPTAL3#+1.5*UPTAL#+UPT3AL#; 6.00000E+03
   N!
FUNCTION DG1
                  2.98150E+02 +2*UPTAL3#-2*UPT3AL#: 6.00000E+03 N!
FUNCTION DG2
                  2.98150E+02 +UPTAL3#-1.5*UPTAL#+UPT3AL#; 6.00000E+03
   N!
FUNCTION UN ASS 2.98150E+02 0.0: 3.00000E+02 N!
TYPE DEFINITION % SEO *!
DEFINE SYSTEM DEFAULT ELEMENT 2!
DEFAULT COMMAND DEF SYS ELEMENT VA!
PHASE LIQUID:L % 1 1.0 !
  CONSTITUENT LIQUID:L:AL.PT.RU:!
 PARAMETER G(LIQUID,AL;0) 2.98140E+02 +11005.553-11.840873*T
 +7.9401E-20*T**7+GHSERAL#; 9.33600E+02 Y
 +10481.974-11.252014*T+1.234264E+28*T**(-9)+GHSERAL#: 2.90000E+03 N
 REF0!
 PARAMETER G(LIQUID,PT;0) 2.98150E+02 +12520.614+115.11473*T
 -24.5526*T*LN(T)-.00248297*T**2-2.0138E-08*T**3+7974*T**(-1); 6.00000E+02
 +19019.913+33.017485*T-12.351404*T*LN(T)-.011543133*T**2+9.30579E-07*T**3
 -600885*T**(-1); 2.04210E+03 Y
 +1404.968+205.86191*T-36.5*T*LN(T); 4.00000E+03 N REF0!
 PARAMETER G(LIQUID,RU;0) 2.98140E+02 +19918.743+119.467485*T
 -22.9143287*T*LN(T)-.004062566*T**2+1.7641E-07*T**3+56377*T**(-1);
 8.00000E+02 Y
 +50827.232-179.818561*T+19.539341*T*LN(T)-.026524167*T**2
 +1.667839E-06*T**3-3861125*T**(-1); 2.60700E+03 Y
 -17161.807+349.673561*T-51.8816*T*LN(T); 4.50000E+03 N REF0!
 PARAMETER G(LIQUID,AL,RU;0) 2.98150E+02 -73000-14*T; 6.00000E+03 N
 REF0!
 PARAMETER G(LIQUID,AL,RU;1) 2.98150E+02 -56000; 6.00000E+03 N REF0!
 PARAMETER G(LIQUID,AL,PT;0) 2.98150E+02 -352536+114.8*T; 6.00000E+03
 N REF0!
 PARAMETER G(LIQUID,AL,PT;1) 2.98150E+02 +68566-53*T; 6.00000E+03 N
 REF0!
 PARAMETER G(LIQUID, PT, RU; 0) 2.98140E+02 -8000; 4.00000E+03 N REF0!
$ THIS PHASE HAS A DISORDERED CONTRIBUTION FROM BCC_A2
PHASE B2 % 3.5 .5 3!
 CONSTITUENT B2 :AL%,PT,RU,VA : AL,PT%,RU%,VA : VA% : !
   PARA G(B2,AL:AL:VA;0) 298.15 0; 6000 N!
 PARAMETER G(B2,PT:AL:VA;0) 2.98150E+02 +V50#+V51#*T; 6.00000E+03 N
REF0!
 PARAMETER G(B2,RU:AL:VA;0) 2.98150E+02 -87600; 6.00000E+03 N REF0!
   PARA G(B2,VA:AL:VA;0) 298.15 0; 6000 N!
 PARAMETER G(B2,AL:PT:VA;0) 2.98150E+02 +V50#+V51#*T: 6.00000E+03 N
```

```
REF0!
  PARA G(B2,PT:PT:VA;0) 298.15 0; 6000 N!
   PARA G(B2,RU:PT:VA;0) 298.15 0; 6000 N!
   PARA G(B2, VA:PT:VA;0) 298.15 0; 6000 N!
 PARAMETER G(B2,AL:RU:VA;0) 2.98150E+02 -87600; 6.00000E+03 N REF0!
   PARA G(B2,PT:RU:VA;0) 298.15 0; 6000 N!
  PARA G(B2,RU:RU:VA;0) 298.15 0; 6000 N!
  PARA G(B2, VA: RU: VA; 0) 298.15 0; 6000 N!
  PARA G(B2,AL:VA:VA;0) 298.15 0; 6000 N!
  PARA G(B2,PT:VA:VA;0) 298.15 0; 6000 N!
  PARA G(B2,RU:VA:VA;0) 298.15 0; 6000 N!
  PARA G(B2,VA:VA:VA;0) 298.15 0; 6000 N!
 PARAMETER G(B2.AL.RU:AL:VA:0) 2.98150E+02 -73000; 6.00000E+03 N
REF0!
PARAMETER G(B2,AL,PT:AL:VA;0) 2.98150E+02 +V52#+V53#*T; 6.00000E+03
N REF0!
PARAMETER G(B2,AL,PT,RU:AL:VA;0) 2.98150E+02 +V54#+V55#*T;
6.00000E+03 N REF0!
PARAMETER G(B2,AL:AL,RU:VA;0) 2.98150E+02 -73000; 6.00000E+03 N
PARAMETER G(B2,AL:AL,PT:VA;0) 2.98150E+02 +V52#+V53#*T; 6.00000E+03
N REF0!
PARAMETER G(B2,AL:AL,PT,RU:VA;0) 2.98150E+02 +V54#+V55#*T;
6.00000E+03 N REF0!
PARAMETER G(B2,VA:AL,RU:VA:0) 2.98150E+02 +80*T; 6.00000E+03 N REF0!
 PARAMETER G(B2,VA:AL,PT:VA;0) 2.98150E+02 +80*T; 6.00000E+03 N REF0!
 PARAMETER G(B2,VA:PT,RU:VA;0) 2.98150E+02 +80*T; 6.00000E+03 N REF0!
PARAMETER G(B2,AL,RU:VA:VA;0) 2.98150E+02 +80*T; 6.00000E+03 N REF0!
PARAMETER G(B2,AL,PT:VA:VA;0) 2.98150E+02 +80*T; 6.00000E+03 N REF0!
 PARAMETER G(B2,PT,RU:VA:VA:0) 2.98150E+02 +80*T: 6.00000E+03 N REF0!
TYPE_DEFINITION & GES AMEND PHASE DESCRIPTION B2 DIS PART BCC A2,,,!
TYPE_DEFINITION 'GES A_P_D BCC_A2 MAGNETIC -1.0 4.00000E-01!
PHASE BCC A2 %&' 21 3!
 CONSTITUENT BCC_A2 :AL,PT,RU,VA : VA : !
PARAMETER G(BCC A2,AL:VA;0) 2.98140E+02 +GBCCAL#; 2.90000E+03 N REF0!
PARAMETER G(BCC A2,PT:VA;0) 2.98140E+02 +GBCCPT#; 4.50000E+03 N REF0!
PARAMETER G(BCC_A2,RU:VA;0) 2.98140E+02 +GBCCRU#; 4.50000E+03 N REF0!
  PARA G(BCC A2, VA: VA; 0) 298.15 0; 6000 N!
PARAMETER G(BCC A2,AL,RU:VA;0) 2.98150E+02 -176000+32*T; 6.00000E+03
NREF0!
PARAMETER G(BCC A2,AL,VA:VA;0) 2.98150E+02 +120*T; 6.00000E+03 N
REF0!
PARAMETER G(BCC_A2,PT,RU:VA;0) 2.98140E+02 0.0; 4.00000E+03 N REF0!
PARAMETER G(BCC A2,PT,RU:VA;1) 2.98140E+02 0.0; 4.00000E+03 N REF0!
PARAMETER G(BCC A2,PT,VA:VA;0) 2.98150E+02 +120*T; 6.00000E+03 N
PARAMETER G(BCC A2,RU,VA:VA;0) 2.98150E+02 +120*T; 6.00000E+03 N
REF0!
```

PHASE BETA % 2.48 .52! CONSTITUENT BETA :AL: PT:!



PARAMETER G(BETA,AL:PT;0) 2.98150E+02 -92723+23.88*T+.48*GHSERAL# +.52*GHSERPT#; 6.00000E+03 N REF0!

```
TYPE DEFINITION (GES A P D FCC A1 MAGNETIC -3.0 2.80000E-01!
PHASE FCC A1 %( 21 1!
 CONSTITUENT FCC A1 :AL,PT,RU: VA: !
 PARAMETER G(FCC_A1,AL:VA;0) 2.98140E+02 +GHSERAL#; 2.90000E+03 N REF0!
 PARAMETER G(FCC_A1,PT:VA;0) 2.98150E+02 +GHSERPT#; 4.50000E+03 N REF0!
 PARAMETER G(FCC A1,RU:VA;0) 2.98150E+02 +4938.127+125.46623*T
-22.914329*T*LN(T)-.004062566*T**2+1.7641E-07*T**3+56377*T**(-1);
1.50000E+03 Y
 -46948.103+487.11621*T-72.324122*T*LN(T)+.018726245*T**2
-1.952433E-06*T**3+11063885*T**(-1); 2.60700E+03 Y
 -38576273+168608.12*T-21329.705*T*LN(T)+5.221639*T**2-2.4024599E-04*T**3
+1.3082993E+10*T**(-1); 2.74000E+03 Y
 -43268.304+362.08231*T-51.8816*T*LN(T); 4.50000E+03 N REF0!
 PARAMETER G(FCC A1,AL,PT:VA;0) 2.98150E+02 +ULD0#+DG0#+1.5*USRO#;
6.00000E+03 N REF0!
 PARAMETER G(FCC A1,AL,PT:VA;1) 2.98150E+02 +ULD1#+DG1#; 6.00000E+03
N REF0!
PARAMETER G(FCC_A1,AL,PT:VA;2) 2.98150E+02 +ULD2#+DG2#-1.5*USRO#;
6.00000E+03 N REF0!
 PARAMETER G(FCC_A1,AL,PT,RU:VA;0) 2.98150E+02 +V10#+V11#*T;
6.00000E+03 N REF0!
 PARAMETER G(FCC A1,AL,RU:VA;0) 2.98150E+02 -10000-10*T; 6.00000E+03
N REF0!
PARAMETER G(FCC A1,PT,RU:VA:0) 2.98140E+02 -17249.639-2.745999*T;
4.00000E+03 N REF0!
PARAMETER G(FCC A1,PT,RU:VA;1) 2.98140E+02 13184.597; 4.00000E+03 N
REF0!
TYPE_DEFINITION) GES A P D HCP A3 MAGNETIC -3.0 2.80000E-01!
PHASE HCP A3 %) 21 .5!
 CONSTITUENT HCP_A3 :AL,PT,RU : VA : !
 PARAMETER G(HCP A3,AL:VA:0) 2.98140E+02 +GHCPAL#; 2.90000E+03 N REF0!
 PARAMETER G(HCP A3,PT:VA;0) 2.98150E+02 -5095.631+124.48828*T
-24.5526*T*LN(T)-.00248297*T**2-2.0138E-08*T**3+7974*T**(-1); 1.30000E+03
 -6753.174+161.62962*T-30.2527*T*LN(T)+.002321665*T**2-6.56947E-07*T**3
-272106*T**(-1); 2.04210E+03 Y
-220018.97+1021.3109*T-136.42269*T*LN(T)+.020501692*T**2-7.60985E-07*T**3
+71709819*T**(-1); 4.00000E+03 N REF0!
PARAMETER G(HCP A3,RU:VA;0) 2.98150E+02 +GHSERRU#; 4.50000E+03 N REF0!
PARAMETER G(HCP A3,AL,RU:VA;0) 2.98150E+02 -105000+30*T; 6.00000E+03
N REF0!
PARAMETER G(HCP A3,AL,PT:VA;0) 2.98150E+02 50000; 6.00000E+03 N
REF0!
PARAMETER G(HCP A3,AL,PT,RU:VA;0) 2.98150E+02 +V15#+V16#*T;
6.00000E+03 N REF0!
PARAMETER G(HCP_A3,PT,RU:VA;0) 2.98140E+02 +8629.8149-7.889606*T;
```



4.00000E+03 N REF0!

PARAMETER G(HCP_A3,PT,RU:VA;1) 2.98140E+02 -5283.9355; 4.00000E+03 N REF0!

\$ THIS PHASE HAS A DISORDERED CONTRIBUTION FROM FCC_A1
TYPE_DEFINITION * GES AMEND_PHASE_DESCRIPTION L12 DIS_PART FCC_A1,,,!

PHASE L12 %* 5.25 .25 .25 .25 .1!

CONSTITUENT L12 :AL,PT,RU : AL,PT,RU : AL,PT,RU : AL,PT,RU : VA : !

PARA G(L12,AL:AL:AL:AL:VA;0) 298.15 0; 6000 N!

PARAMETER G(L12,PT:AL:AL:AL:VA;0) 2.98150E+02 +UPTAL3#; 3.00000E+03 N REF0!

PARA G(L12,RU:AL:AL:AL:VA;0) 298.15 0; 6000 N!

PARAMETER G(L12,AL:PT:AL:AL:VA;0) 2.98150E+02 +UPTAL3#; 3.00000E+03 N REF0!

PARAMETER G(L12,PT:PT:AL:AL:VA;0) 2.98150E+02 +UPTAL#; 3.00000E+03 N REF0!

PARA G(L12,RU:PT:AL:AL:VA;0) 298.15 0; 6000 N!

PARA G(L12,AL:RU:AL:AL:VA;0) 298.15 0; 6000 N!

PARA G(L12,PT:RU:AL:AL:VA;0) 298.15 0; 6000 N!

PARA G(L12,RU:RU:AL:AL:VA;0) 298.15 0; 6000 N!

PARAMETER G(L12,AL:AL:PT:AL:VA;0) 2.98150E+02 +UPTAL3#; 3.00000E+03 N REF0!

PARAMETER G(L12,PT:AL:PT:AL:VA;0) 2.98150E+02 +UPTAL#; 3.00000E+03 N REF0!

PARA G(L12,RU:AL:PT:AL:VA;0) 298.15 0; 6000 N!

PARAMETER G(L12,AL:PT:PT:AL:VA;0) 2.98150E+02 +UPTAL#; 3.00000E+03 N REF0!

PARAMETER G(L12,PT:PT:PT:AL:VA;0) 2.98150E+02 +UPT3AL#; 3.00000E+03 N REF0!

PARA G(L12,RU:PT:PT:AL:VA;0) 298.15 0; 6000 N!

PARA G(L12,AL:RU:PT:AL:VA;0) 298.15 0; 6000 N!

PARA G(L12,PT:RU:PT:AL:VA;0) 298.15 0; 6000 N!

PARA G(L12,RU:RU:PT:AL:VA;0) 298.15 0; 6000 N!

PARA G(L12,AL:AL:RU:AL:VA;0) 298.15 0; 6000 N!

PARA G(L12,PT:AL:RU:AL:VA;0) 298.15 0; 6000 N!

PARA G(L12,RU:AL:RU:AL:VA;0) 298.15 0; 6000 N!

PARA G(L12,AL:PT:RU:AL:VA;0) 298.15 0; 6000 N!

PARA G(L12,PT:PT:RU:AL:VA;0) 298.15 0; 6000 N!

PARA G(L12,RU:PT:RU:AL:VA;0) 298.15 0; 6000 N!

PARA G(L12,AL:RU:RU:AL:VA;0) 298.15 0; 6000 N!

PARA G(L12,PT:RU:RU:AL:VA;0) 298.15 0; 6000 N! PARA G(L12,RU:RU:RU:AL:VA;0) 298.15 0; 6000 N!

PARAMETER G(L12,AL:AL:AL:PT:VA;0) 2.98150E+02 +UPTAL3#; 3.00000E+03 N

PARAMETER G(L12,PT:AL:AL:PT:VA;0) 2.98150E+02 +UPTAL#; 3.00000E+03 N REF0!

PARA G(L12,RU:AL:AL:PT:VA;0) 298.15 0; 6000 N!

PARAMETER G(L12,AL:PT:AL:PT:VA;0) 2.98150E+02 +UPTAL#; 3.00000E+03 N

PARAMETER G(L12,PT:PT:AL:PT:VA;0) 2.98150E+02 +UPT3AL#; 3.00000E+03 N REF0!

PARA G(L12,RU:PT:AL:PT:VA;0) 298.15 0; 6000 N!

PARA G(L12,AL:RU:AL:PT:VA;0) 298.15 0; 6000 N!



PARA G(L12,PT:RU:AL:PT:VA;0) 298.15 0; 6000 N! PARA G(L12,RU:RU:AL:PT:VA;0) 298.15 0; 6000 N!

PARAMETER G(L12,AL:AL:PT:PT:VA;0) 2.98150E+02 +UPTAL#; 3.00000E+03 N REF0!

PARAMETER G(L12,PT:AL:PT:PT:VA;0) 2.98150E+02 +UPT3AL#; 3.00000E+03 N REF0!

PARA G(L12,RU:AL:PT:PT:VA;0) 298.15 0; 6000 N!

PARAMETER G(L12,AL:PT:PT:PT:VA;0) 2.98150E+02 +UPT3AL#; 3.00000E+03 N REF0!

PARA G(L12,PT:PT:PT:PT:VA;0) 298.15 0; 6000 N!

PARA G(L12,RU:PT:PT:PT:VA;0) 298.15 0; 6000 N!

PARA G(L12,AL:RU:PT:PT:VA;0) 298.15 0; 6000 N!

PARA G(L12,PT:RU:PT:PT:VA;0) 298.15 0; 6000 N!

PARA G(L12,RU:RU:PT:PT:VA;0) 298.15 0; 6000 N!

PARA G(L12,AL:AL:RU:PT:VA;0) 298.15 0; 6000 N!

PARA G(L12,PT:AL:RU:PT:VA;0) 298.15 0; 6000 N!

PARA G(L12,RU:AL:RU:PT:VA;0) 298.15 0; 6000 N!

PARA G(L12,AL:PT:RU:PT:VA;0) 298.15 0; 6000 N!

PARA G(L12,PT:PT:RU:PT:VA;0) 298.15 0; 6000 N!

PARA G(L12,RU:PT:RU:PT:VA;0) 298.15 0; 6000 N!

PARA G(L12,AL:RU:RU:PT:VA;0) 298.15 0; 6000 N!

PARA G(L12,PT:RU:RU:PT:VA;0) 298.15 0; 6000 N!

PARA G(L12,RU:RU:RU:PT:VA;0) 298.15 0; 6000 N!

PARA G(L12,AL:AL:AL:RU:VA;0) 298.15 0; 6000 N!

PARA G(L12,PT:AL:AL:RU:VA;0) 298.15 0; 6000 N!

PARA G(L12,RU:AL:AL:RU:VA;0) 298.15 0; 6000 N!

PARA G(L12,AL:PT:AL:RU:VA;0) 298.15 0; 6000 N!

PARA G(L12,PT:PT:AL:RU:VA;0) 298.15 0; 6000 N!

PARA G(L12,RU:PT:AL:RU:VA;0) 298.15 0; 6000 N!

PARA G(L12,AL:RU:AL:RU:VA;0) 298.15 0; 6000 N!

PARA G(L12,PT:RU:AL:RU:VA:0) 298.15 0; 6000 N!

PARA G(L12,RU:RU:AL:RU:VA;0) 298.15 0; 6000 N!

PARA G(L12,AL:AL:PT:RU:VA:0) 298.15 0; 6000 N!

PARA G(L12,PT:AL:PT:RU:VA;0) 298.15 0; 6000 N!

PARA G(L12,RU:AL:PT:RU:VA;0) 298.15 0; 6000 N!

PARA G(L12,AL:PT:PT:RU:VA;0) 298.15 0; 6000 N!

PARA G(L12,PT:PT:PT:RU:VA;0) 298.15 0; 6000 N!

PARA G(L12,RU:PT:PT:RU:VA;0) 298.15 0; 6000 N!

PARA G(L12,AL:RU:PT:RU:VA;0) 298.15 0; 6000 N!

PARA G(L12,PT:RU:PT:RU:VA;0) 298.15 0; 6000 N!

PARA G(L12,RU:RU:PT:RU:VA;0) 298.15 0; 6000 N! PARA G(L12,AL:AL:RU:RU:VA;0) 298.15 0; 6000 N!

PARA G(L12,PT:AL:RU:RU:VA;0) 298.15 0; 6000 N!

PARA G(L12,RU:AL:RU:RU:VA;0) 298.15 0; 6000 N!

PARA G(L12,AL:PT:RU:RU:VA;0) 298.15 0; 6000 N!

PARA G(L12,PT:PT:RU:RU:VA;0) 298.15 0; 6000 N!

PARA G(L12,RU:PT:RU:RU:VA;0) 298.15 0; 6000 N!

PARA G(L12,AL:RU:RU:RU:VA;0) 298.15 0; 6000 N!

PARA G(L12,PT:RU:RU:RU:VA;0) 298.15 0; 6000 N!

PARA G(L12,RU:RU:RU:VA;0) 298.15 0; 6000 N!

PARAMETER G(L12,AL,PT:*:*:*:VA;0) 2.98150E+02 +UL0#; 3.00000E+03 N REF0!

PARAMETER G(L12,*:AL,PT:*:*:VA;0) 2.98150E+02 +UL0#; 3.00000E+03 N REF0!

PARAMETER G(L12, *: *: *: AL, PT: *: VA;0) 2.98150E+02 +UL0#; 3.00000E+03 N

REF0!

PARAMETER G(L12,*:*:*:AL,PT:VA;0) 2.98150E+02 +UL0#; 3.00000E+03 N REF0!

PARAMETER G(L12,AL,PT:AL,PT:*:*:VA;0) 2.98150E+02 +USRO#; 3.00000E+03 N REF0!

PARAMETER G(L12,AL,PT:*:AL,PT:*:VA;0) 2.98150E+02 +USRO#; 3.00000E+03

PARAMETER G(L12,AL,PT:*:*:AL,PT:VA;0) 2.98150E+02 +USRO#; 3.00000E+03 N REF0!

PARAMETER G(L12,*:AL,PT:AL,PT:*:VA;0) 2.98150E+02 +USRO#; 3.00000E+03 N REF0!

PARAMETER G(L12,*:AL,PT:*:AL,PT:VA;0) 2.98150E+02 +USRO#; 3.00000E+03 N REF0!

PARAMETER G(L12,*:*:AL,PT:AL,PT:VA;0) 2.98150E+02 +USRO#; 3.00000E+03 N REF0!

PHASE PT2AL % 2.334 .666! CONSTITUENT PT2AL :AL : PT : !

PARAMETER G(PT2AL,AL:PT;0) 2.98150E+02 -84989+24.9*T+.334*GHSERAL# +.666*GHSERPT#; 6.00000E+03 N REF0!

PHASE PT2AL3 % 2.6 .4! CONSTITUENT PT2AL3 :AL : PT : !

PARAMETER G(PT2AL3,AL:PT;0) 2.98150E+02 -89885+21.5*T+.6*GHSERAL# +.4*GHSERPT#; 6.00000E+03 N REF0!

PHASE PT5AL21 % 2.8077 .1923! CONSTITUENT PT5AL21 :AL : PT : !

PARAMETER G(PT5AL21,AL:PT;0) 2.98150E+02 -56873+14.8*T+.8077*GHSERAL# +.1923*GHSERPT#; 6.00000E+03 N REF0!

PHASE PT5AL3 % 2 .375 .625 ! CONSTITUENT PT5AL3 :AL : PT : !

PARAMETER G(PT5AL3,AL:PT;0) 2.98150E+02 -87260+24*T+.375*GHSERAL# +.625*GHSERPT#; 6.00000E+03 N REF0!

PHASE PT8AL21 % 2.7242 .2759! CONSTITUENT PT8AL21 :AL : PT : !

PARAMETER G(PT8AL21,AL:PT;0) 2.98150E+02 -82342+23.7*T+.7242*GHSERAL# +.2759*GHSERPT#; 6.00000E+03 N REF0!

PHASE PTAL % 2.5 .5!
CONSTITUENT PTAL :AL : PT : !

_ .

PARAMETER G(PTAL,AL:PT;0) 2.98150E+02 -94071+24.1*T+.5*GHSERAL# +.5*GHSERPT#; 6.00000E+03 N REF0!

PHASE PTAL2 % 2.666 .334! CONSTITUENT PTAL2 :AL: PT:!

PARAMETER G(PTAL2,AL:PT;0) 2.98150E+02 -87898+23.3*T+.666*GHSERAL# +.334*GHSERPT#; 6.00000E+03 N REF0!

PHASE RU2AL3 % 33 2 1!

CONSTITUENT RU2AL3 :AL : AL,RU : RU,VA : !

PARAMETER G(RU2AL3,AL:AL:RU;0) 2.98150E+02 +V15#+5*GBCCAL#+GBCCRU#; 6.00000E+03 N REF0!

PARAMETER G(RU2AL3,AL:RU:RU;0) 2.98150E+02 -312631.26+30.5*T+3*GBCCAL# +3*GBCCRU#; 6.00000E+03 N REF0!

PARAMETER G(RU2AL3,AL:AL:VA;0) 2.98150E+02 +5*GBCCAL#; 6.00000E+03 N REF0!

PARAMETER G(RU2AL3,AL:RU:VA;0) 2.98150E+02 -312631.26+30.5*T+3*GBCCAL# +2*GBCCRU#; 6.00000E+03 N REF0!

PHASE RU4AL13 % 3 .6275 .235 .1375 ! CONSTITUENT RU4AL13 :AL : RU : AL,VA : !

PARAMETER G(RU4AL13,AL:RU:AL;0) 2.98150E+02 -35100+1.65*T+.765*GHSERAL# +.235*GHSERRU#; 6.00000E+03 N REF0!
PARAMETER G(RU4AL13,AL:RU:VA;0) 2.98150E+02 -35100+1.65*T +.6275*GHSERAL#+.235*GHSERRU#; 6.00000E+03 N REF0!

PHASE RUAL2 % 3 2 1 1!
CONSTITUENT RUAL2 :AL : RU : AL,RU,VA : !

PARAMETER G(RUAL2,AL:RU:AL;0) 2.98150E+02 -136500+8*T-1368.28 +3*GHSERAL#+GHSERRU#; 6.00000E+03 N REF0! PARAMETER G(RUAL2,AL:RU:RU;0) 2.98150E+02 -136500+8*T-1412.41 +2*GHSERAL#+2*GHSERRU#; 6.00000E+03 N REF0! PARAMETER G(RUAL2,AL:RU:VA;0) 2.98150E+02 -136500+8*T+2*GHSERAL# +GHSERRU#; 6.00000E+03 N REF0!

PHASE RUAL6 % 2 6 1!
CONSTITUENT RUAL6 :AL : RU : !

PARAMETER G(RUAL6,AL:RU;0) 2.98150E+02 -156000+7*T+6*GHSERAL#+GHSERRU#; 6.00000E+03 N REF0!

LIST_OF_REFERENCES NUMBER SOURCE REF0